Thomas Jefferson National Accelerator Facility



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# Source size measurments in the eHe → e'p∧X reaction (for CLAS collaboration)

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# OutLine

- Physics Motivation of pA femtoscopy
- STAR experimental results
- CLAS setup and experimental conditions
- Details of CLAS pA experiment
- Comparison with theory
- Conclusions

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# **Physics motivation**

 It was shown by Wang and Pratt that an enhancement of the pA correlation function at low relative momentum allows one to infer the size of the emitting source

[F. Wang and S. Pratt PRL 83,3138,1999]

 The low-energy p∧ parameters can be estimated using the Migdal-Watson approach to FSI (reformulated taking the Jaffe-Low P-Matrix).

[B.Kerbikov et al., Sov.J.Nucl.Phys. 43, 982 (1986), Nucl.Phys. A480, 585 (1988);

R.L.Jaffe and F.E.Low, Phys. Rev. D19, 2105 (1979)]

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# Our knowledge on p∧ interaction is far from being complete

Table 2:  $\Lambda p$  scattering length and effective ranges in fm. The subscripts s and t correspond to spin singlet and triplet states, the first and second columns display the spinblind values

	a	r	$a_s$	$a_t$	$r_s$	$r_t$
[38]	-1.5		0			3 6
[39]	-1.8	2.8				
[40, 41]	-2.44	2.64				
[36]			-0.71	-2.18		
[36]			-2.51	-1.75		
[42]			-1.941	-1.858	3.570	3.133
[38]			-1.80	-1.23	1.73	2.29
[43]			-2.18	-1.93	3.19	3.35
[9]			-2.88	-1.66	2.92	3.78
[44]			-(2.4-2.6)	-(1.3-1.7)		
[37]			-2.59	-1.60	2.83	3.00

### Contribution to the measured $p\Lambda$ c.f.



# STAR: $p\Lambda$ ( $p\Lambda$ ) correlation in central Au+Au collisions at Sqrt(s\_NN)=200GeV

#### PRC 74, 064906 (2006)

Source size parameter:  $r_0 (p\Lambda) = 3.09 \pm 0.3$  fm,  $r_0 (p\Lambda) = 1.56 \pm 0.08$  fm

Drawback: Most Λ hyperons and protons are from the decay of hyperons (low "purity"):

TABLE III. Summary of the main fractions of pairs containing particles from particle decays included in  $p-\Lambda$ ,  $p-\overline{\Lambda}$ ,  $\overline{p}-\Lambda$ , and  $\overline{p}-\overline{\Lambda}$ correlation functions assuming the absence of residual correlations.  $\Lambda_{\Xi}$  are  $\Lambda$  ( $\overline{\Lambda}$ ) decay products of  $\Xi^-$ ,  $\Xi^0$  ( $\overline{\Xi^-}$ ,  $\overline{\Xi^0}$ ),  $\Lambda_{\Sigma^0}$ , are  $\Lambda$  ( $\overline{\Lambda}$ ) decay products of  $\Sigma^0$  ( $\overline{\Sigma^0}$ ),  $p_{\Lambda}$  are p ( $\overline{p}$ ) decay products of  $\Lambda$  ( $\overline{\Lambda}$ ),  $p_{\Sigma^+}$  are p ( $\overline{p}$ ) decay products of  $\Sigma^+$  ( $\overline{\Sigma^+}$ ),  $\Lambda_{\text{prim}}$  and  $p_{\text{prim}}$  represent primary  $\Lambda$  ( $\overline{\Lambda}$ ) and p ( $\overline{p}$ ). The remaining 29% represents misidentified p ( $\overline{p}$ ) and reconstructed fake  $\Lambda$  ( $\overline{\Lambda}$ ).

Pairs	Fractions (%)		
$p_{\rm prim}$ - $\Lambda_{\rm prim}$	15		
$p_{\Lambda}$ - $\Lambda_{\text{prim}}$	10		
$p_{\Sigma^+} - \Lambda_{\text{prim}}$	3		
$p_{\text{prim}}$ - $\Lambda_{\Sigma^0}$	11		
$p_{\Lambda} - \Lambda_{\Sigma^0}$	7		
$p_{\Sigma} + -\Lambda_{\Sigma^0}$	2		
$p_{\rm prim}$ - $\Lambda_{\Xi}$	9		
$p_{\Lambda} - \Lambda_{\Xi}$	5		
$p_{\Sigma^+} - \Lambda_{\Xi}$	2		
$p_{\text{prim}} - p_{\text{prim}}$	7		



#### Jefferson Lab CLAS detector



**Electromagnetic calorimeters** Lead/scintillator, 1296 PMTs

**Gas Cherenkov counters**  $e/\pi$  separation, 216 PMTs



Lead/scintillator, 512 PMTs

# CLAS experiment: pA interactions at low relative momentum

#### **Reaction and run condition**

- The reaction:  $e^{3}He$ ,  ${}^{4}He \rightarrow e'p\Lambda X$
- The data : e2a (1999) and e2b (2002) runs, 2430 millions triggers on <sup>3</sup>He and 440 millions on <sup>4</sup>He. The beam energy was 4.7 GeV and 4.46 GeV respectively.

#### Identification of Λ

- A-hyperons were identified by proton pion decay:  $M(p\pi) = 1115.5 \pm 2MeV$
- Cuts: Vertex (target walls), track quality, same TOF, transferred energy v, missing mass (eHe  $\rightarrow$  e'pp $\pi$ X)
- Proton momentum range : 0.3 to 2.0 GeV/c
- $\pi$  momentum range : 0.1 to 0.7 GeV/c
- Due to kinematical restrictions (K-meson production at least) the minimal energy transferred (v) is not negligible. The cut v> 0.8 GeV was applied as a compromise of data reduction and purity.

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### $\Lambda$ id: invariant mass of proton-pion



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#### Λ id: subtract background



Measured corr. function:  $\mathbf{R}_{p\Lambda+pp\pi} = \alpha \mathbf{R}_{p\Lambda} + (1 - \alpha) \mathbf{R}_{pp\pi}$ , where  $\alpha \approx 0.5$ 

### Measured correlation function(LRC)



#### **Close track efficiency correction**



### $p-p\pi$ contribution to $p\Lambda$



#### After correction on p-pπ contribution



#### p∧ source size

• Lednicky and Lyuboshitz analytical model, Sov. J. Nucl. Phys. 35, 770 (1982): Two particle CF is given by square of wave function elastic transition  $ab \rightarrow ab$ averaged over distance r<sup>\*</sup> of emitters [ Gaussian dist  $d^3N/d^3r^* \sim exp(r^{*2}/4r_0^2)$ ] and over spin projections

•Scatt. length and effective range (as in STAR fit): a<sup>0</sup>=2.88 fm, a<sup>1</sup>=1.66 fm, d<sup>0</sup>=2.92 fm and d<sup>1</sup>=3.78fm (0-singlet, 1-triplet)



#### **P-matrix**



## Conclusions

- The data show a narrow structure in the correlation function in the region of small relative momenta (q<0.2 GeV/c), which is in qualitative accordance with theoretical expectations.
- The important p-p $\pi$  correlations were studied. It was shown that p-p $\pi$  pairs in the region of mass p $\pi$  around mass of lambda are correlated.
- The source size for strangeness production reaction proved to be consistent with one measured in semi-inclusive two proton production reaction.
- The proton-lambda correlation function is compatible with Pmatrix fit of the hyperon-nucleon data.
- Small relative momentum  $p\Lambda$  correlations both for He target and for electro-production reaction was studied for the first time.

#### Thank you for your attention!

#### Extra slides

## Vertex cut



Figure 2: Vertex z-position distribution for reconstructed scattered electron in  $e^4He \rightarrow e'pp\pi^-X$ . Blue line corresponds to full target He run period. Green shadowed histogram is for empty run period normalized for tha same number of events at z=-8cm and z=3cm peaks. The red histogram corresponds to events which are taken into analysis.

# Missing Mass



Figure 5: Missing mass squared distributions for reaction  $e^3He(^4He) \rightarrow e'pp\pi^-X$ . Black histogram is for all events, blue is for events from  $\Lambda$ -peak, and red-green is for events from  $\Lambda$ -peak with cut  $\nu - \nu_{min} > 0.8$  GeV. Green histogram represents events accepted for the analysis.

# Q<sup>2</sup> versus v



 $\nu$  -  $Q^2$  plot for selected events which are taken into analysis.

Konstantin Mikhaylov *et al*.

### Theoretical p∧ cor.fun.



# P-matrix

Jaffe and Low identified P-matrix is a tool which allows to reveal the connection between the scattering data and the multiquark states.

The excess energy:

$$\epsilon = s_{p\Lambda}^{1/2} - (m_p + m_{\Lambda})$$

The cross secton of eHe->e'p $\Lambda$ X reaction:

 $d\sigma/d\epsilon = const^* \epsilon^{1/2} |T|^2$ ,

where the amplitude T in the narrow enegry region close to pA threshold ( $\epsilon$ <30MeV) may be factorized:

$$|T|^{2} = |T_{0}|^{2} / |f(-k^{*})|^{2}$$

 $T_0$  is a production amplitude (independent of k\*) and f(k\*) is the Jost function (enhaacement factor) corresponding to the low-energy p $\Lambda$  interaction which may be expressed in term of scattering length (a) and effective range (r):

 $f(k^*) = (k^*-i\beta) / (k^*+i\alpha)$  with  $r(\alpha-\beta)=2$ ,  $r\alpha\beta = -2/a$ 

In case of correlation function the phase space factor  $\epsilon^{1/2}$  eliminates:

 $R_{nA}(\epsilon) = \text{const} \{ (k^*)^2 + \alpha^2 \} / \{ (k^*)^2 + \beta^2 \}$ 

# P-matrix(2)

Two channel  $\Lambda N$ - $\Sigma N$  S-matrix is connected to the P-matrix via relation

$$\hat{S} = \hat{Q}^{1/2} e^{-i\hat{Q}b} (\hat{P} - i\hat{Q})^{-1} (\hat{P} + i\hat{Q}) e^{-i\hat{Q}b} \hat{Q}^{-1/2}$$

Here Q is the diagonal matrix momenta  $k_1 = k^*(\Lambda p)$  and  $k_2 = k^*(\Sigma p)$ , b is YN separation at which the quark degrees of freedom come into play.

In the YN channel with I=1/2,  $J^{P}=1^{+}$  the bag model predicts a six-quark state with  $M_n=2.34$ GeV ( $E_n=M_n-m_p-m_A=0.286$ Gev above the  $\Sigma N$  threshold). The poles of the S-matrix the quark-hadron coupling is introduced with coupling constants  $\lambda_i$ (i= $\Lambda p, \Sigma p$ ). P-matrix:

$$P_{ij} = \delta_{ij}P_i + \frac{\lambda_i\lambda_j}{E - E_n}, \qquad i, j = 1, 2$$

The set of parameters was:  $\lambda^2 = 0.014 |\text{GeV}^2$ ,  $P_1 = 0.11 \text{ GeV}$ ,  $P_2 = 0.13 \text{ GeV}$ 

Expressions for the  $\Lambda p$  scattering length (*a*) and effective range (*r*):

$$a = -\left\{P_1 - \frac{\lambda^2}{E_n - \frac{\lambda^2}{H}}\right\}^{-1} + b\,,$$

$$r = 2b - \frac{b^2}{a} + \frac{P_1}{\lambda^2 \mu a} \left[ P_1(b-a) - 1 \right],$$

$$P_1(b-a) - 1 = \frac{1}{\lambda^2} + \frac{\lambda^2}{\lambda^2} + \frac{1}{\lambda^2} + \frac{1}{\lambda^2} + \frac{\lambda^2}{\lambda^2} + \frac{1}{\lambda^2} + \frac{1}{\lambda^2}$$

 $H = P_2 + \Delta, \frac{1}{\mu} = \frac{1}{\mu_1} + \frac{\lambda^2}{H^2 \Delta}, \Delta^2 = 2\mu_1 E_0$ 

