

Some aspects of BM@N physical program

A.Stavinskiy^{1,2} for BM@N collaboration

1.NRC “Kurchatov Institute” - ITEP (Moscow)

2.JINR

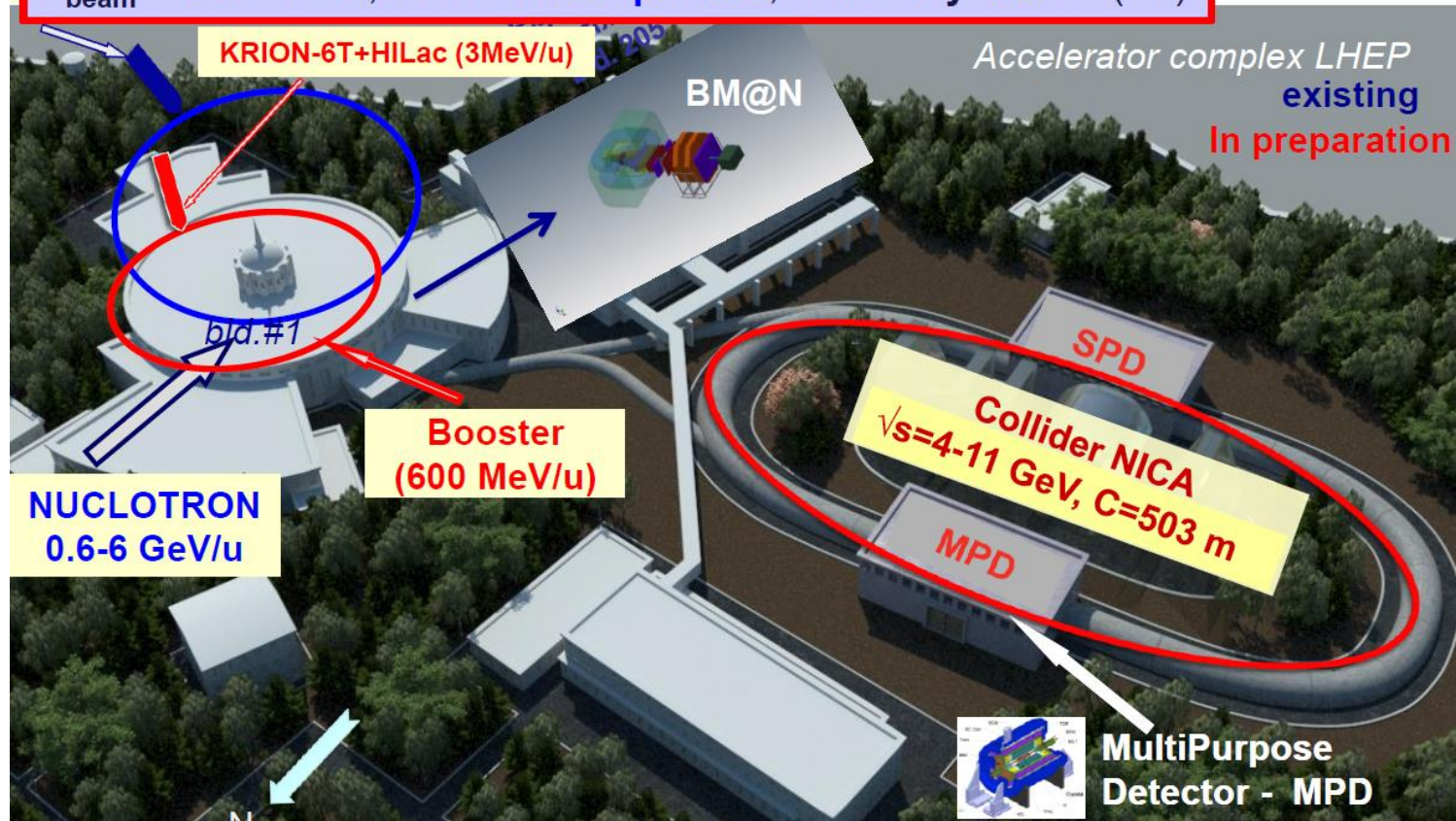
Baryonic Matter at Nuclotron (BM@N)

JINR (Dubna), IHEP (Protvino), INR RAS (Troitsk), ITEP (Moscow), SINR MSU, MEPHI, Plovdiv Uni, WUT (Warsaw), Goethe Uni (Frankfurt), MoU with GSI (Darmstadt) + SRC team

Complex NICA

Parameters of Nuclotron for BM@N experiment:

$E_{\text{beam}} = 1-6 \text{ GeV/u}$; *beams: from p to Au*; Intensity $\sim 10^7 \text{ c}^{-1} (\text{Au})$



1. Strange baryons at BM@N

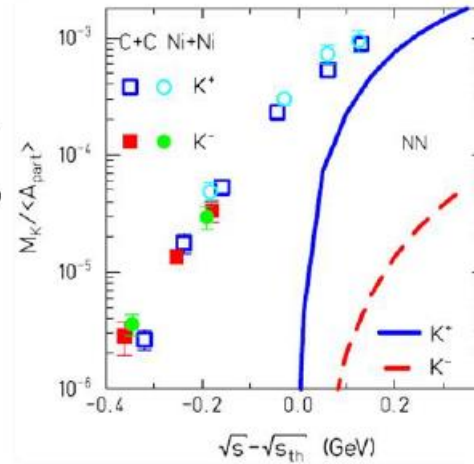
I. In A+A collisions at Nuclotron energies:

□ Opening thresholds for strange and multi-strange hyperon production

➔ strangeness at threshold

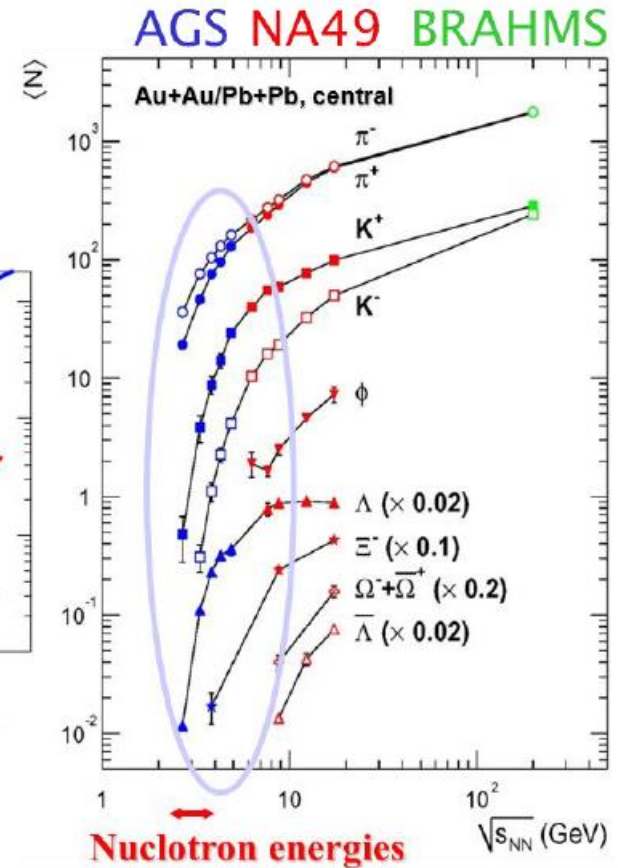
➔ Need more precise data for strange mesons and hyperons, multi-variable distributions, unexplored energy range

▶ Collective flows v_1, v_2



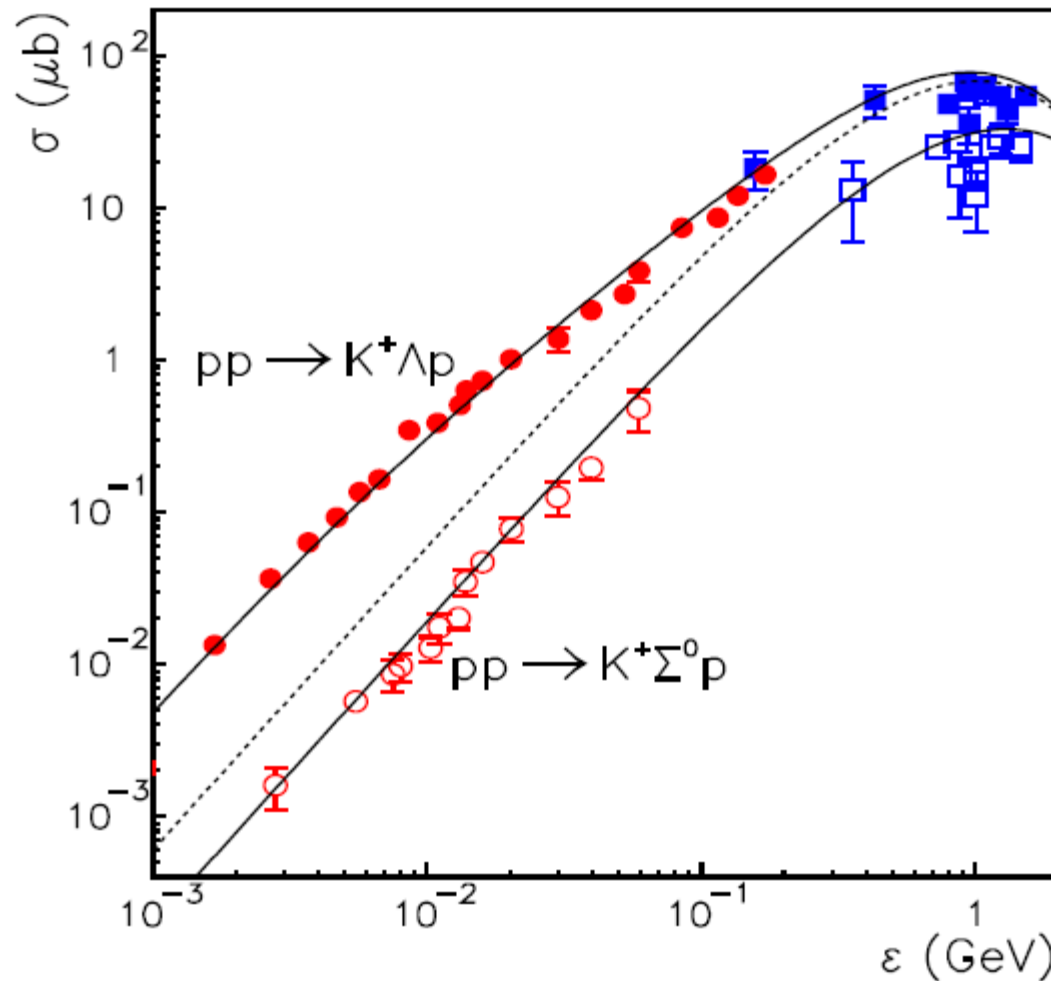
II. In $p+p, p+n, p+A$ collisions:

➔ hadron production in elementary reactions and ,cold' nuclear matter as ,reference' to pin down nuclear effects



CC,UrQMD,10 ⁵ ev.	2AGeV	3AGeV	4AGeV	10AGeV	30AGeV
All particles	2968383	3269875	3555732	4785049	6861519
P	980372	973357	964317	934470	899765
N	982267	974936	965797	937139	900696
Λ	1393	5493	10405	30537	57559
Σ^+	489	2347	4389	11135	17909
Σ^0	623	2918	5653	12424	19557
Σ^-	549	2277	4321	11209	18108
π^+	178772	269480	354107	714208	1286150
π^0	205822	312142	407661	796030	1418912
π^-	178205	267809	354088	713459	1286178
K^+	1607	6884	13574	45080	108427
K^0	1506	6741	13218	44376	108090
anti K^0	30	279	942	11760	51677
K^-	27	279	918	11516	51639

3AGeV: $K^+ + K^0$ (13625) \sim $\Lambda + \Sigma$ (13035).



arXiv:hep-ph/0608098,
A.Sibirtsev et al.

No FSI for Σ ?

Fig. 1. Total cross sections for the $pp \rightarrow K^+ \Lambda p$ (closed symbols) and $pp \rightarrow K^+ \Sigma^0 p$ (open symbols) reactions as a function of the excess energy ϵ . Results from COSY [1,2,11,13,14] are indicated by circles, while the squares are data from Ref. [25]. The solid lines are our results for the Λ and Σ^0 reaction channels, respectively. The dashed line is obtained by switching off the Λp final-state interaction.

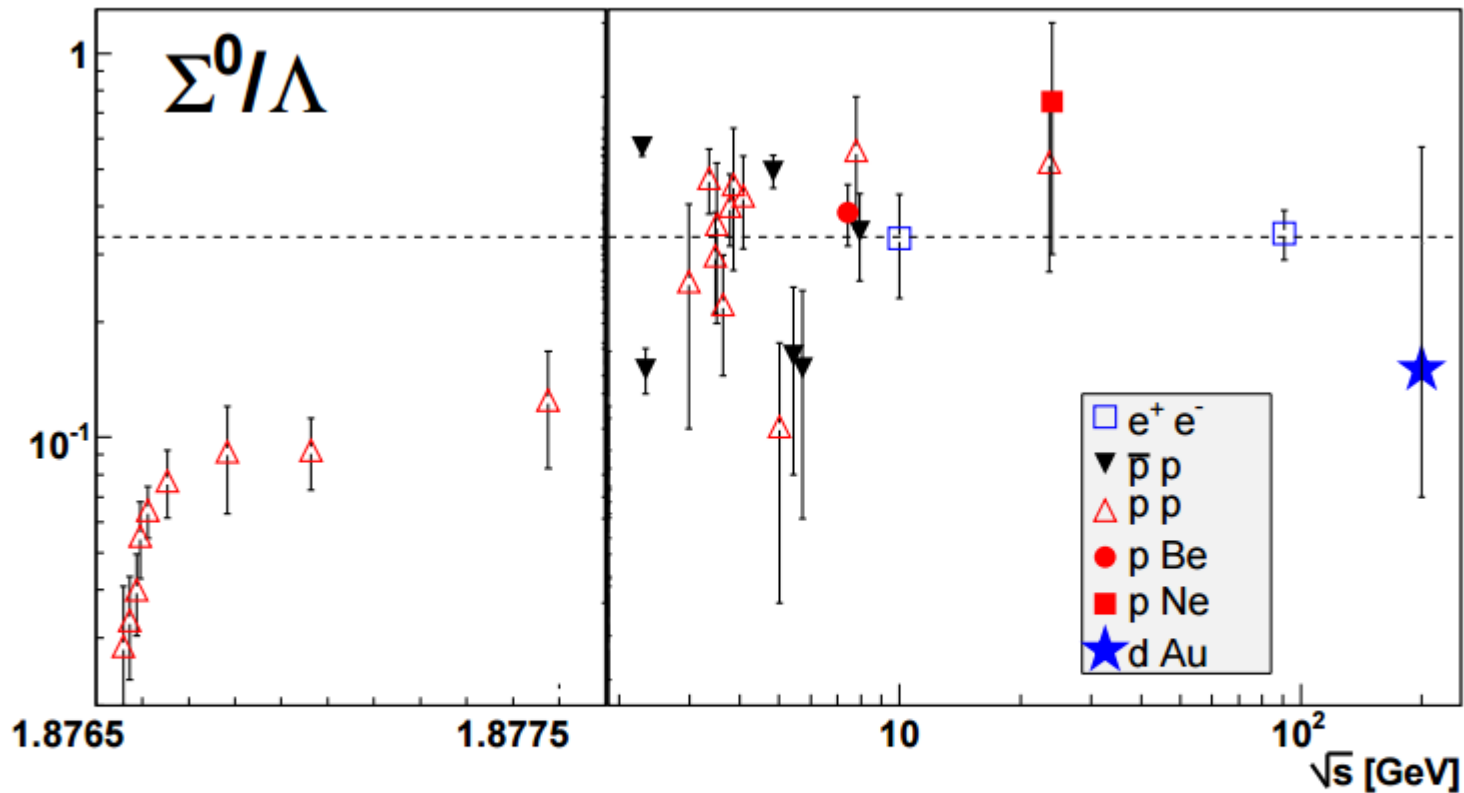


Figure 4: Σ^0/Λ results versus collision \sqrt{s} ($\sqrt{s_{NN}}$ for p/d+A) [1]. Meson-nucleon reaction results are excluded for clarity, but exist only at intermediate energies and lie in the same range. The dashed line is the ratio of isospin degeneracy factors (1/3).

arXiv:nucl-ex/0512018, G. Van Buren for the STAR collaboration

FSI depends on the size of the interaction region ($\sim 1/r^2$), Λ/Σ ($E \rightarrow 0$) 3 for AA in contrast to Λ/Σ ($E \rightarrow 0$) 30 for pp? No data!

$E \gg 1 \text{ GeV}$ (no FSI)

Model baryon = quark + diquark:

“ diquark: $T=S=1$ or 0 .”

И.Ю.Кобзарев, Б.В.Мартемьянов, М.Г.Щепкин

УФН 162, вып.4, 1992, стр.1-41

See, also, Anisovich A.V., et al., Int. J. Modern Phys. A, 25:15 (2010);

arXiv:1001.1259[hep-ph]

(Quark-Diquark Systematics of Baryons)

Femtoscopy.

Λ : $\Sigma(1385) \rightarrow \Lambda\pi(87\%), \Sigma\pi(12\%), \Sigma^0 \rightarrow \Lambda\gamma(100\%), \Xi^0 \rightarrow \Lambda\pi^0(99.5\%),$
 $\Xi^- \rightarrow \Lambda\pi^-(99.9\%)$

P: $\Lambda \rightarrow p\pi^-(64\%), \Sigma^+ \rightarrow p\pi^0(52\%), \Sigma^0 \rightarrow \Lambda\gamma(100\%) \rightarrow p\pi^-(64\%)$

To measure Λp , better to know $\Xi^0 p, \Xi^- p, \Sigma(1385)p, \Sigma^0 p, \Sigma^+ \Lambda, \Lambda\Lambda, \Sigma^0 \Lambda$ interactions.

$$a_{pp}(^1S_0) = -7.8 \text{ fm}; a_{np}(^1S_0) = -23.7 \text{ fm}; a_{nn}(^1S_0) = -16.4 \text{ fm}.$$

$$a_{p\Lambda}(^1S_0) = -2.7 \text{ fm}; a_{\Sigma^+ p}(^1S_0) = -3.85 \text{ fm}; a_{\Lambda\Lambda}(^1S_0) = -0.88 \text{ fm}[1]$$

[1] Th.A.Rijken, M.M.Nagels, Y.Yamamoto,
Progress of Theoretical Physics Suppl.NO.185(2010),14

Σ^+ DECAY MODES Fraction (Γ_i/Γ)
 $p\pi^0$ (52 %)
 $n\pi^+$ (48 %)

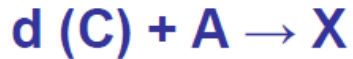
Σ^0 DECAY MODES Fraction (Γ_i/Γ)
 $\Lambda\gamma$ (100 %)

Σ^- DECAY MODES Fraction (Γ_i/Γ)
 $n\pi^-$ (100 %)

To identify Σ one needs detectors for γ and n .



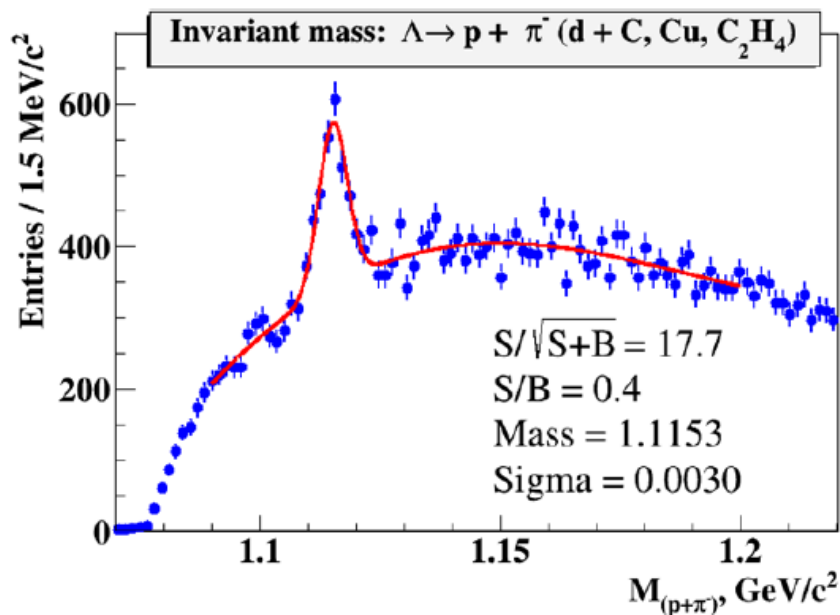
Λ in deuteron and carbon beams



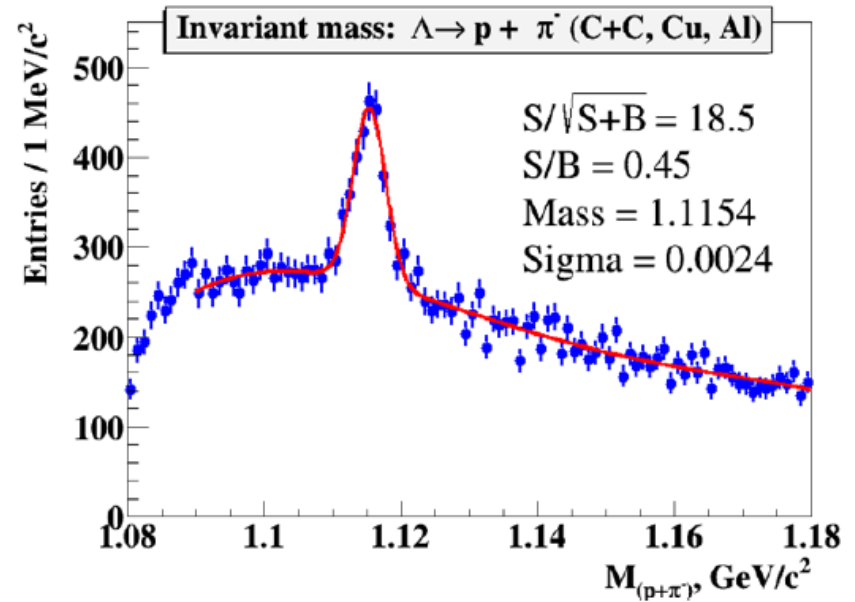
G. Pokatashkin, I. Rufanov,
V. Vasendina and A. Zinchenko

Λ signal width of 2.4 - 3 MeV

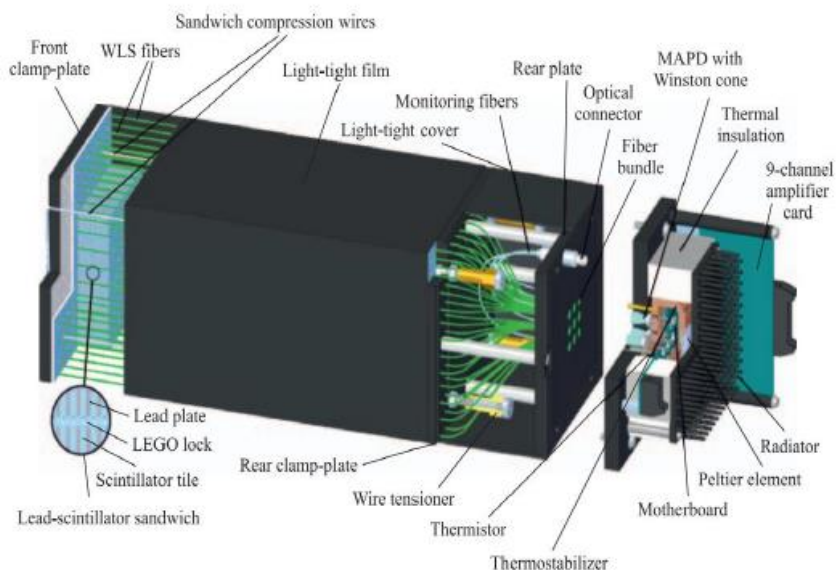
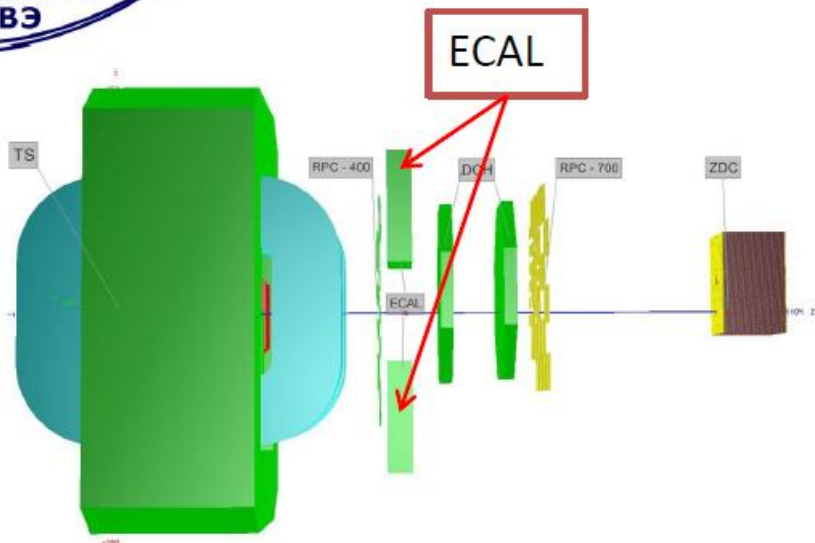
Deuteron Data



Carbon beam run, 4 AGeV



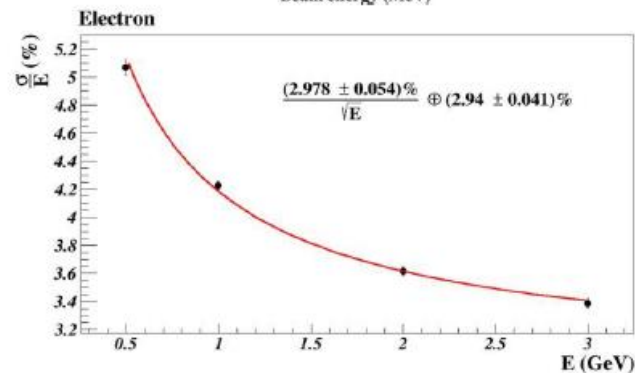
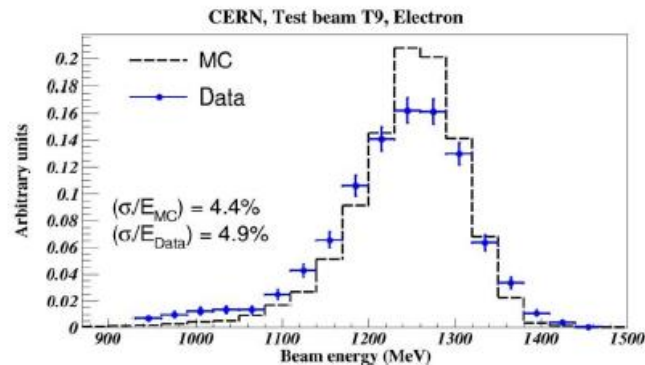
Electromagnetic calorimeter (optional)



Design of the Shashlyk type calorimeter module

I.Tyapkin

Energy resolution



Parameters

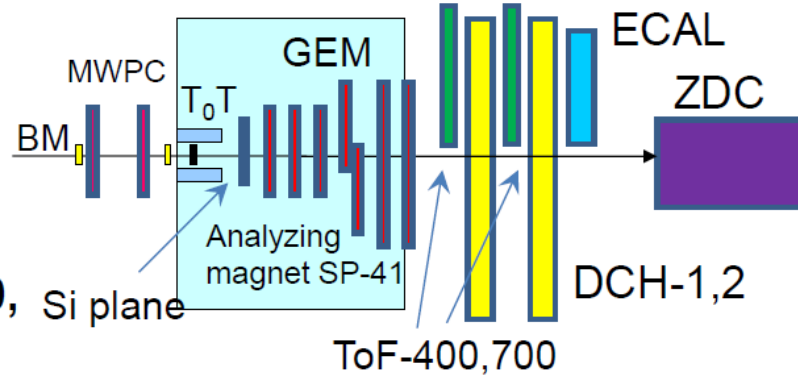
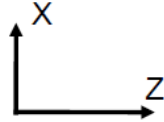
Transverse size, mm ²	40x40
Module size, mm ²	120x120
Number of layers	220
Lead absorber thickness, mm	0.3
Polystyrene scintillator thickness, mm	1.5
Molière radius, mm	26
Radiation length, X ₀	11.8



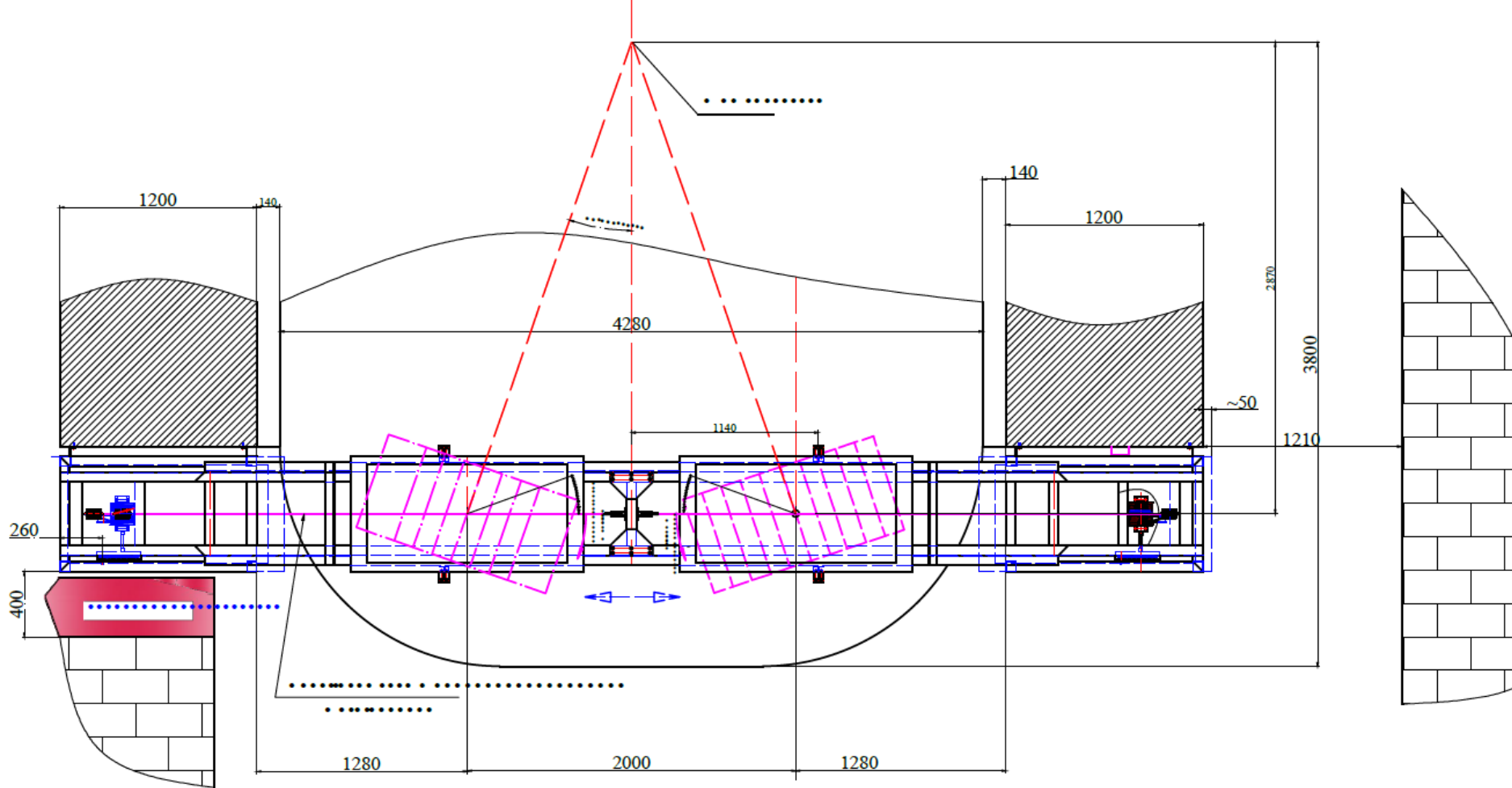
BM@N in technical runs with deuteron and carbon beams



Deuteron beam, $T_0 = 4.0$,
4.6 GeV/n



Carbon beam, $T_0 = 3.5, 4.0$,
4.5, (5.14) GeV/n



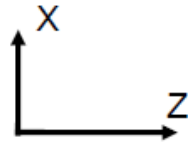
V.Semyachkin,A.S.



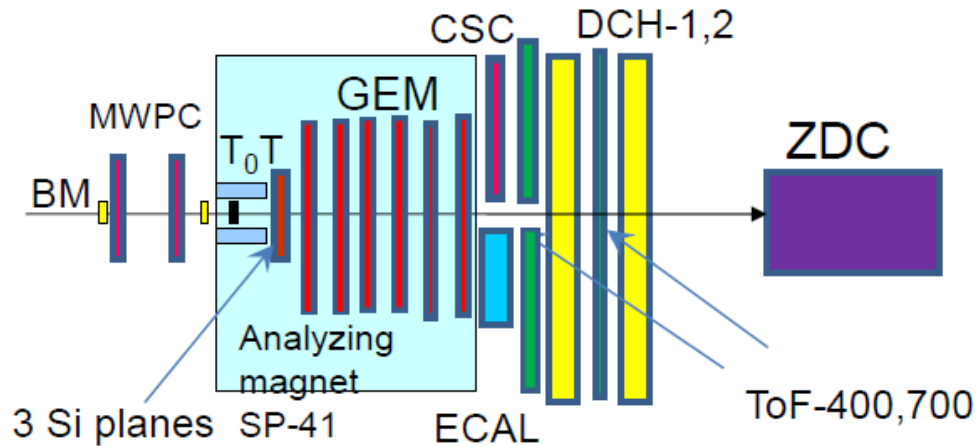
BM@N run with Ar and Kr beams in March 2018



Ar beam, $T_0 = 3.2$ GeV/n



Kr beam, $T_0 = 2.3$ (2.9) GeV/n



- Central tracker inside analyzing magnet → 6 GEM detectors 163×45 cm² and 3 forward Si strip detectors for tracking
- Full ToF-400, ToF-700, T0 + Trigger barrel and Si detectors, full ZDC, part of ECAL, CSC and DCH chambers as outer tracker

Program:

- Measure inelastic reactions Ar (Kr) + target → X on targets Al, Cu, Sn, Pb
- Hyperon production measured in central tracker (Si + GEM)
- Charged particles and nuclear fragments identified with ToF-400,700
- Gamma and multi-gamma states identified in ECAL
- **130 M events in Ar beam, 50 M events in Kr beam**

+ analyze data from previous technical runs with Deuteron and Carbon beams of 3.5 - 4.6 GeV/n performed in December 2016 and March 2017

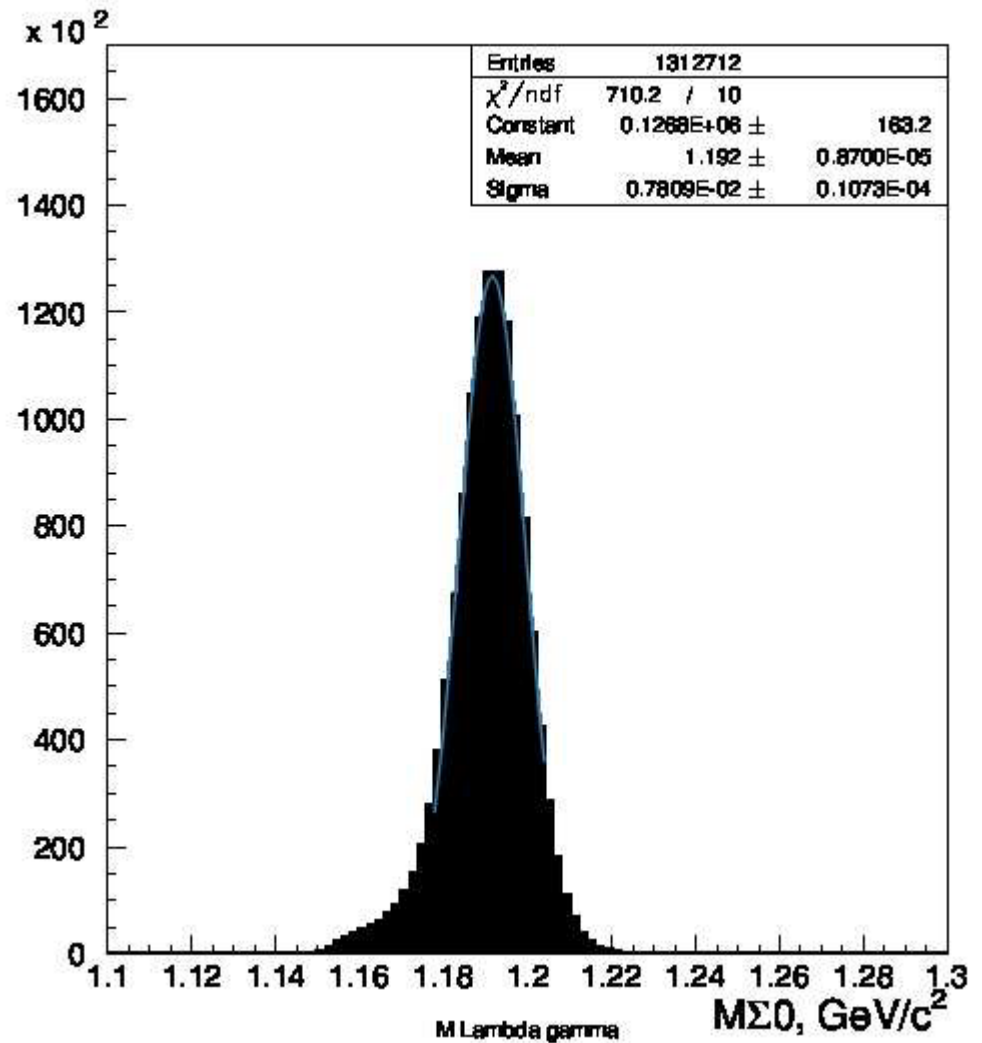
C+C at 3AGeV
 100000 generated events
without kinematic cuts

All particles:		3269875
Protons	973357 (29.8%)	
Neutrons	974936 (29.8%)	
Σ^+	13035 (0.39%)	2347 (0.07%)
Σ^0		2918 (0.09%)
Σ^-		2277 (0.07%)
Λ		5493 (0.17%)
π^+	849431 (25.9%)	269480 (8.2%)
π^0		312142 (9.5%)
π^-		267809 (8.2%)

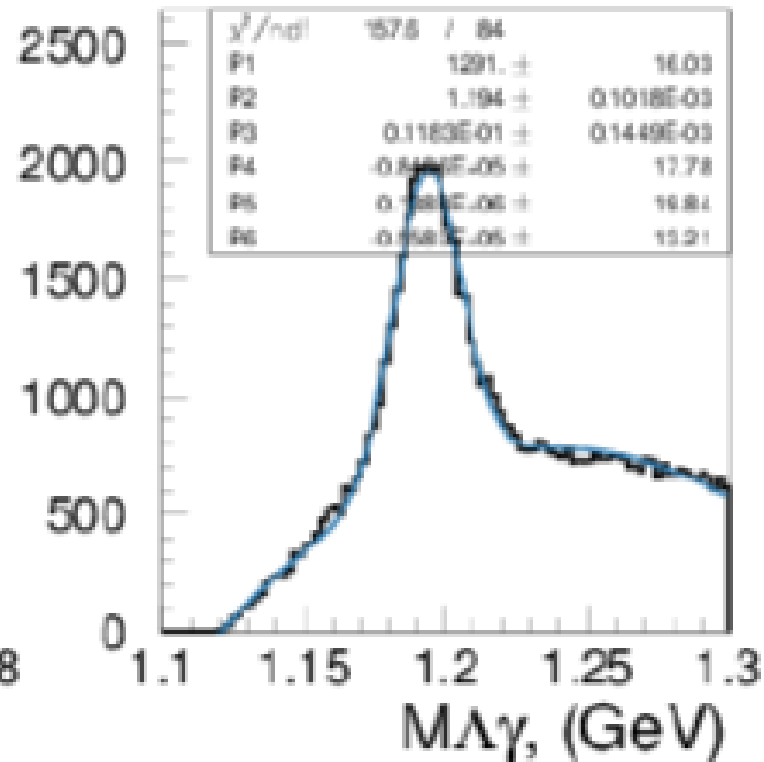
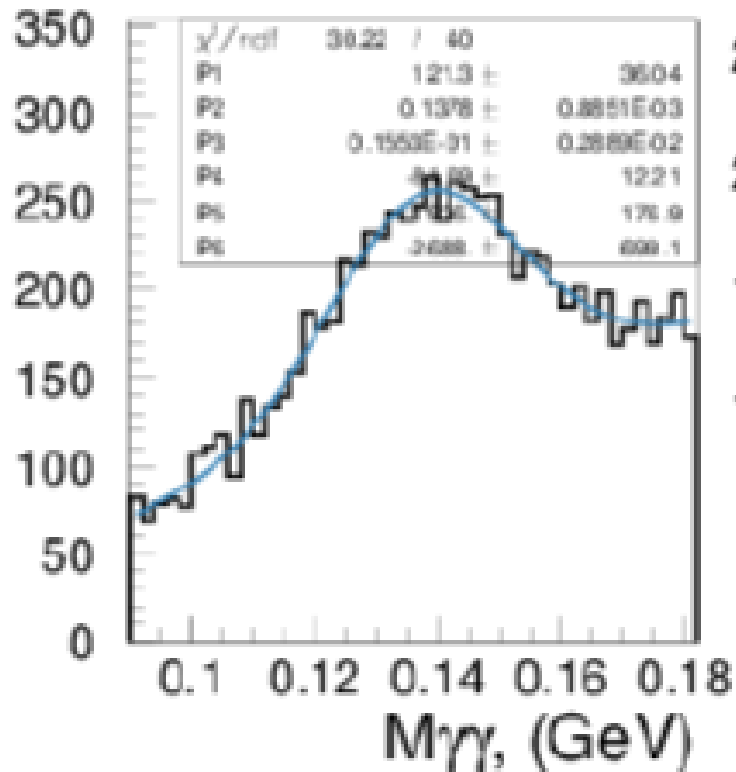
Photon(ECAL Acceptance) $\sim 1\%$;
 $\Lambda \sim 1/10$; $\delta M_\Sigma \sim 10$ MeV, Rate
 estimate $\sim 0.3 \text{ sec}^{-1}$
 (N.Zhigareva,A.S.)

The UrQMD Model
 (The Ultrarelativistic Quantum Molecular
 Dynamics model)
 v. 3.4 (<http://urqmd.org/documentation/>)

Simulations show $\sim 8\text{MeV}$
 mass resolution for $\Sigma 0$ and
 $\sim 7\text{MeV}$ mass
 resolution for difference in
 $\Sigma 0$ and Λ masses
 Calorimeter has $\sim 6.2\%$
 geometrical acceptance
 for γ s from $\Sigma 0$ decay
 and high $\sim 99\%$
 reconstruction efficiency
 in the clean (no
 background)
 conditions



I.Larin,V.Tarasov



Simulation of π^0 and Σ^0 reconstruction; UrQMD,
 CC interaction, I.Larin, V.Tarasov(ITEP), JINR,
 BM@N meeting 27.12.2017

Σ^\pm

unknown: $|P(\Sigma)|, |P(n)|$

Beam
Target

Σ^\pm

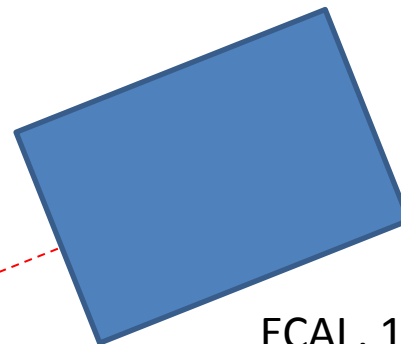
n

π^\pm

$\sigma(\tau) \sim 0.5$ nsec, $L \sim 3.5$ m

$\delta\tau \sim 3\sigma \sim 1.5$ nsec, $P(n)_{\max} \sim 1.8$ GeV/c

ECAL, 140
modules,
 ~ 0.16 ster.



2. Short range correlations at BM@N

Probing Short Range Correlations

BM@N Project

List of organizations and participants

Russia: Joint Institute for Nuclear Research – JINR (Dubna) the BM@N
collaboration

Israel: Tel Aviv University

Germany: TUD and GSI

USA: MIT and ODU

Spokespersons:

Or Hen (MIT), Thomas Aumann (TUD, GSI), Mikhail Kapishin (Dubna), Eli
Piassetzky (TAU),

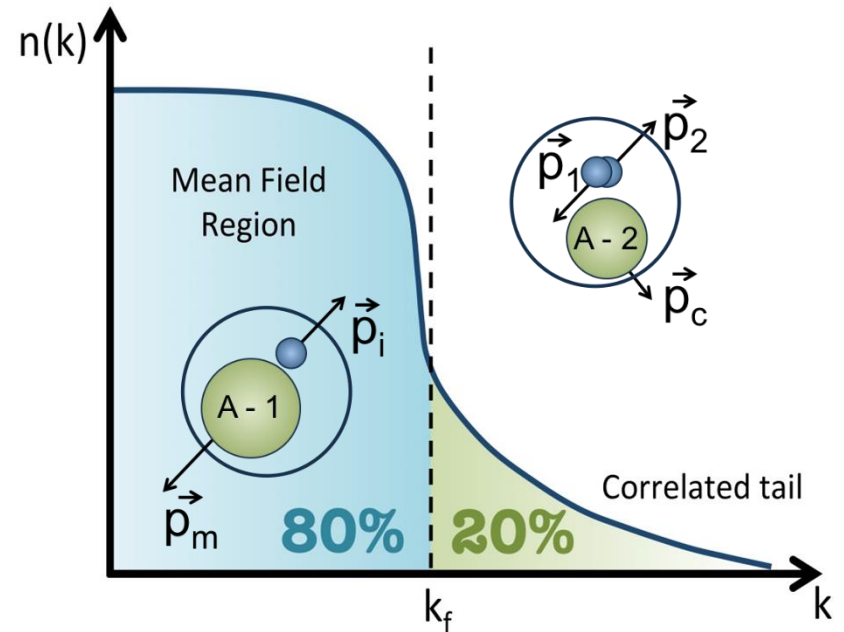
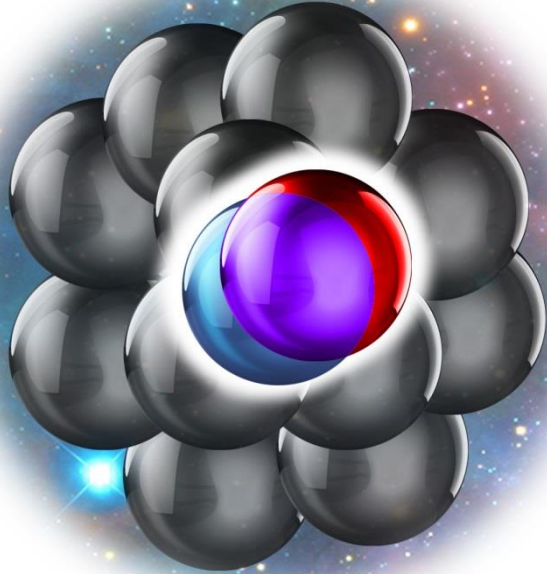
Coordinators:

Georgios Laskaris (MIT and TAU), Anatoly Litvinenko (Dubna), Maria Patsyuk
(MIT)

The stability of atomic nuclei is a result of a delicate interplay between the long-range attraction that binds nucleons and the short-range repulsion that prevents the collapse of the system. In between, the dominant scalar part of the nucleon-nucleon (NN) force almost vanishes and the interaction is dominated by the tensor force, which depends on the spin orientations and the relative orbital angular momentum of the nucleons.

Already in a 1953 Scientific American journal article, Hans Bethe claimed that probably more man-hours had been devoted to understanding the nucleon-nucleon interaction and how it forms atomic nuclei than to any other scientific question in the history of mankind. Even today, more than 60 years later, our theoretical and experimental knowledge of the short-range part of NN interaction is very limited.

2N-Short Range Correlations

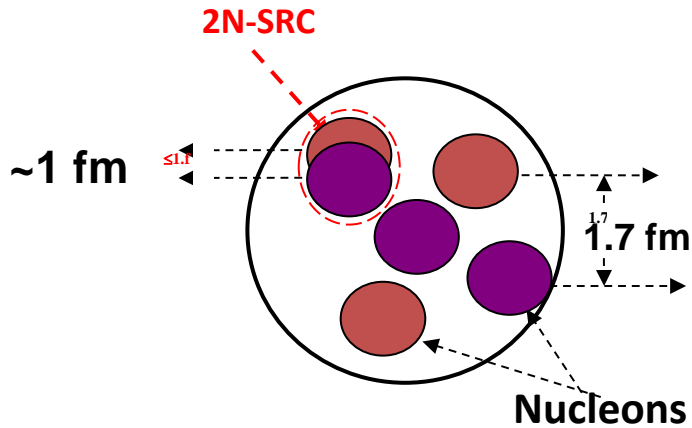


Occasionally nucleons are at close proximity in the nucleus

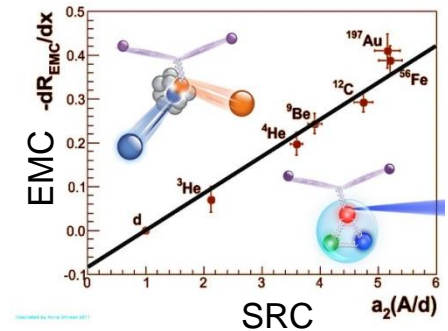
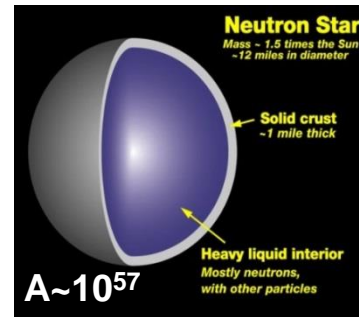
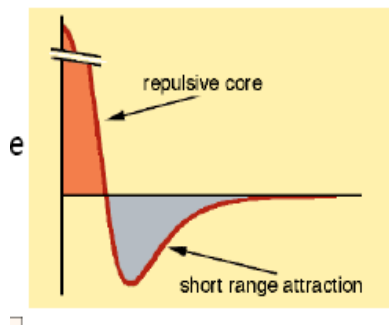
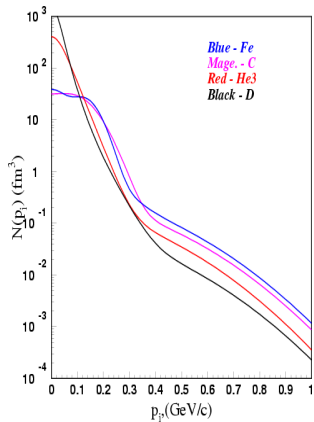
Each individual nucleon has high momentum

Low center of mass momentum of the pair relative to k_F

What SRC can teach us?



- High momentum component of the nuclear wave function
- **The strong short-range force between nucleons (tensor force, repulsive core, 3N forces)**
- Cold dense nuclear matter (from deuteron to neutron stars)
- **Nucleon structure modification in medium (EMC and SRC)**



Recent high-momentum-transfer triple-coincidence $^{12}\text{C}(e, e'pN)$ and $^{12}\text{C}(p, 2pn)$ measurements [1-4] have shown that nucleons in the nuclear ground state form nucleon pairs with large relative momentum and small center-of-mass (CM) momentum, where large and small are relative to the Fermi momentum of the nucleus (k_F). We refer to these pairs as short-range correlated (SRC) pairs [5-7]. In the range of missing-momentum (the knocked-out proton's pre-scatter momentum in the absence of re-interactions) from 300– 600 MeV/c, these pairs were found to dominate the nuclear wave function, with neutron-proton (np) pairs nearly 20 times more prevalent than proton-proton (pp) pairs, and by inference neutron-neutron (nn) pairs (see figure 1). The strong preference for np pairs is due to the dominance of the tensor part of the NN interaction at the probed sub-fm distances [8-10]. These observations were also confirmed in recent measurements on heavier nuclei reaching all the way up to ^{208}Pb [16].

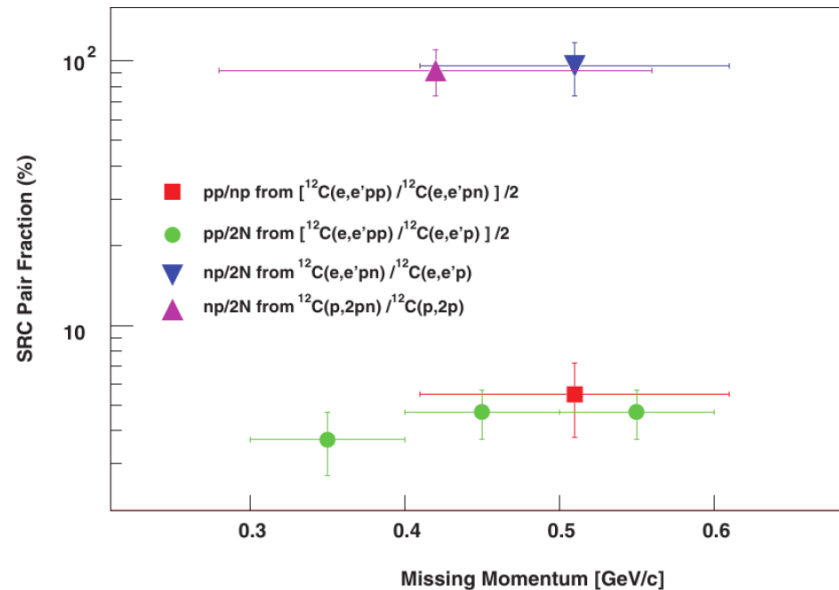
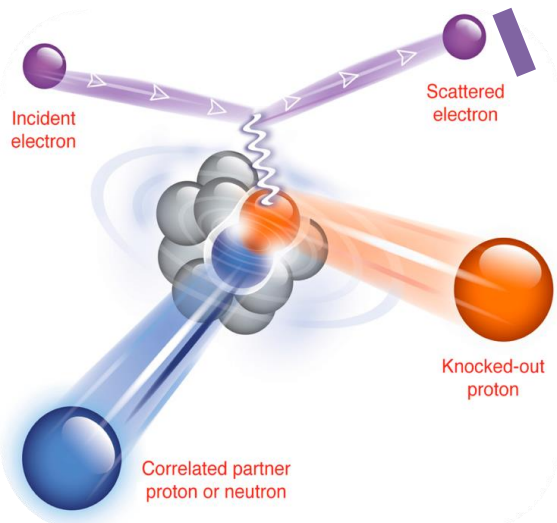


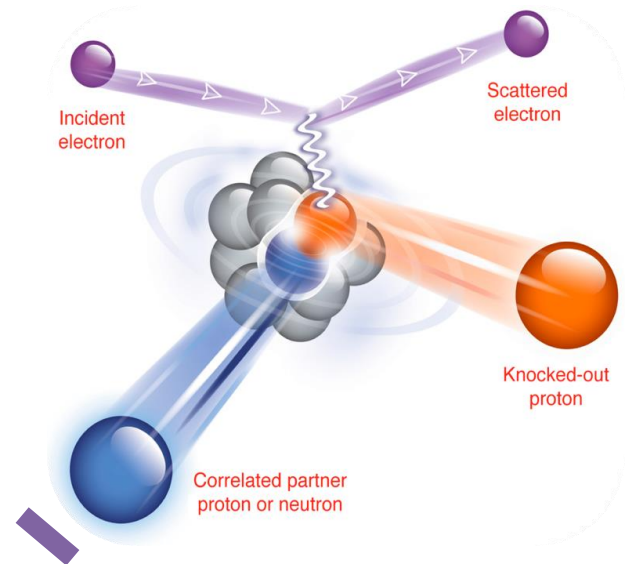
Figure 1: The fractions of correlated pair combinations in carbon as obtained from the $^{12}\text{C}(e, e'pp)$ and $^{12}\text{C}(e, e'pn)$ reactions measured at JLab [1,2] as well as from previous, $^{12}\text{C}(p,2pn)$ data from BNL [3,4].

How to study SRC? - Break up the pair!

Hard scattering in direct kinematics



Inclusive measurement



Detect scattered probe $A(e, e')$

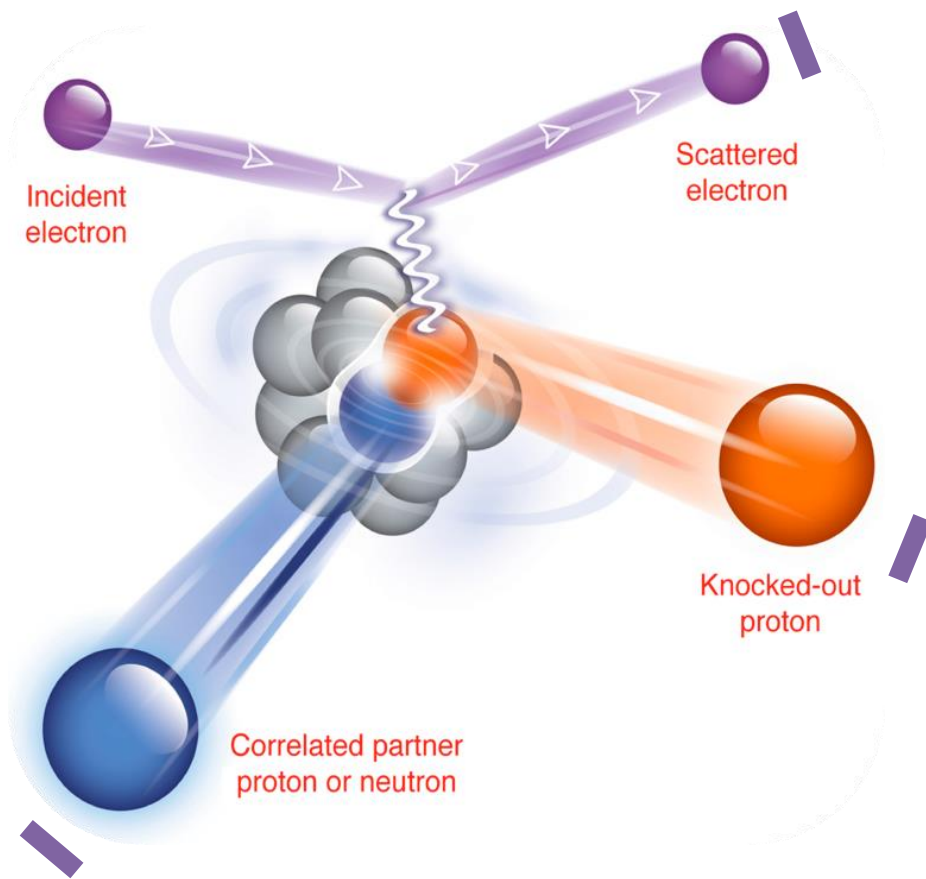
OR

Recoil particle (cumulative kinematics):

JLab

Dubna and Yerevan

How to study SRC? - Break up the pair!



Exclusive measurement

Detect (3 particles):

scattered probe,

the knocked-out nucleon,

and the recoil

$A(e, e'pp)$ - JLab

$A(e, e'pn)$ - JLab

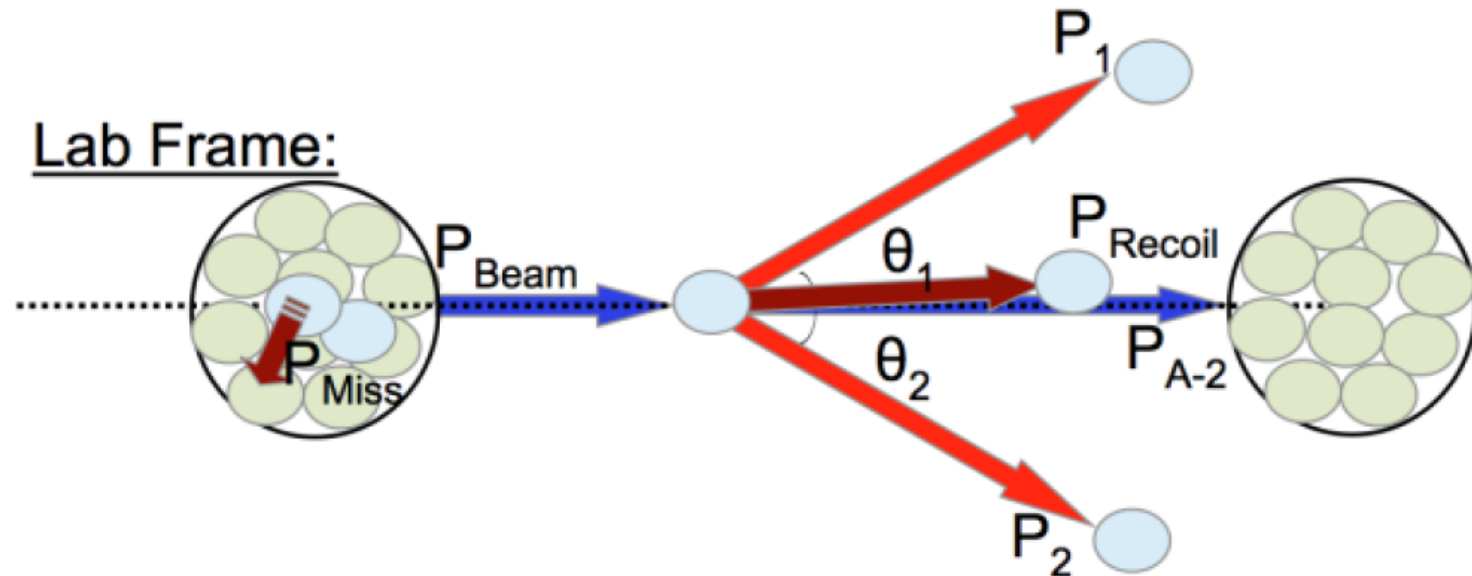
$A(p, 2pn)$ - BNL

Also inverse kinematics:

$p(^{12}\text{C}, 2p A-2)$ - Dubna

2 Experimental Setup

The typical kinematics of a scattering off a SRC-pair is shown in figure 7. A proton (P_{miss}) from the SRC-pair in the carbon nucleus is scattered from a proton inside the target. The two leading protons have a large angle with respect to each other in the lab system. The short-range correlated nucleon emerges forward. The A-2 system moves along the beam direction after the scattering. We plan to detect the leading protons, the A-2 system, and possibly the recoil neutron or proton for np-SRC and pp-SRC pairs respectively.



Why Nuclotron at JINR?

$$P_F (\sim 200 \text{ MeV}/c) \ll P_{\text{SRC}} (\sim 800 \text{ MeV}/c) \ll P_{\text{beam/nucleon}} (\sim 4 \text{ GeV/nucleon})$$

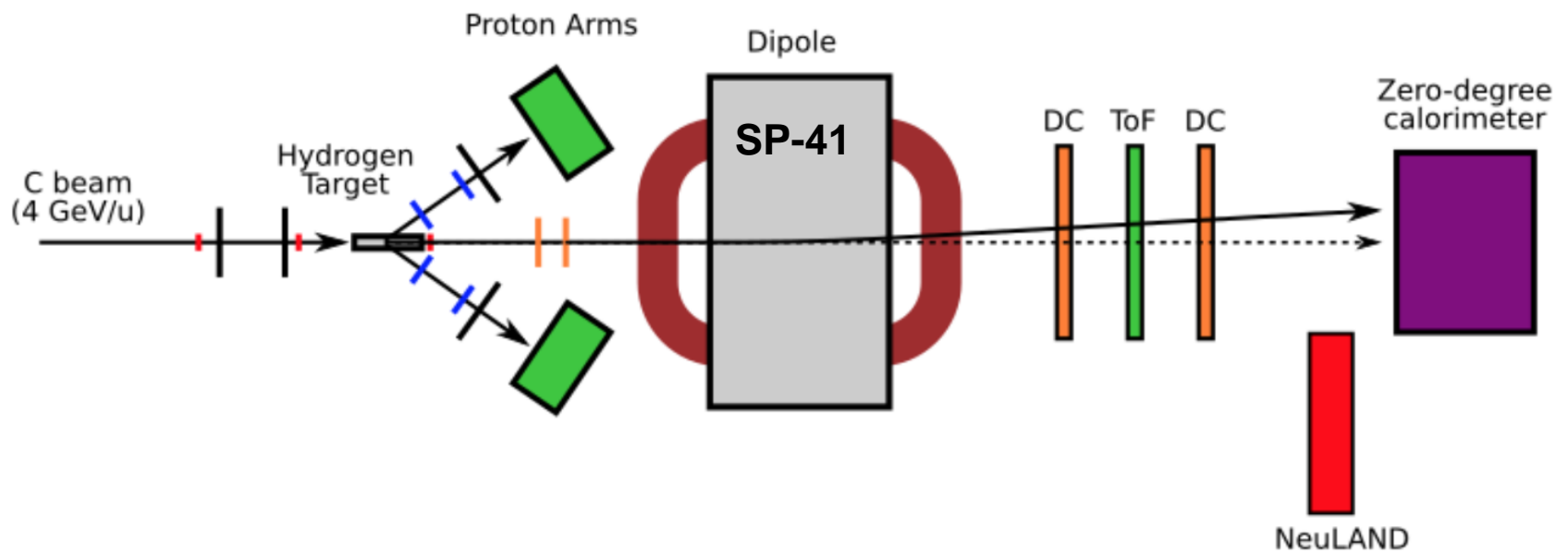
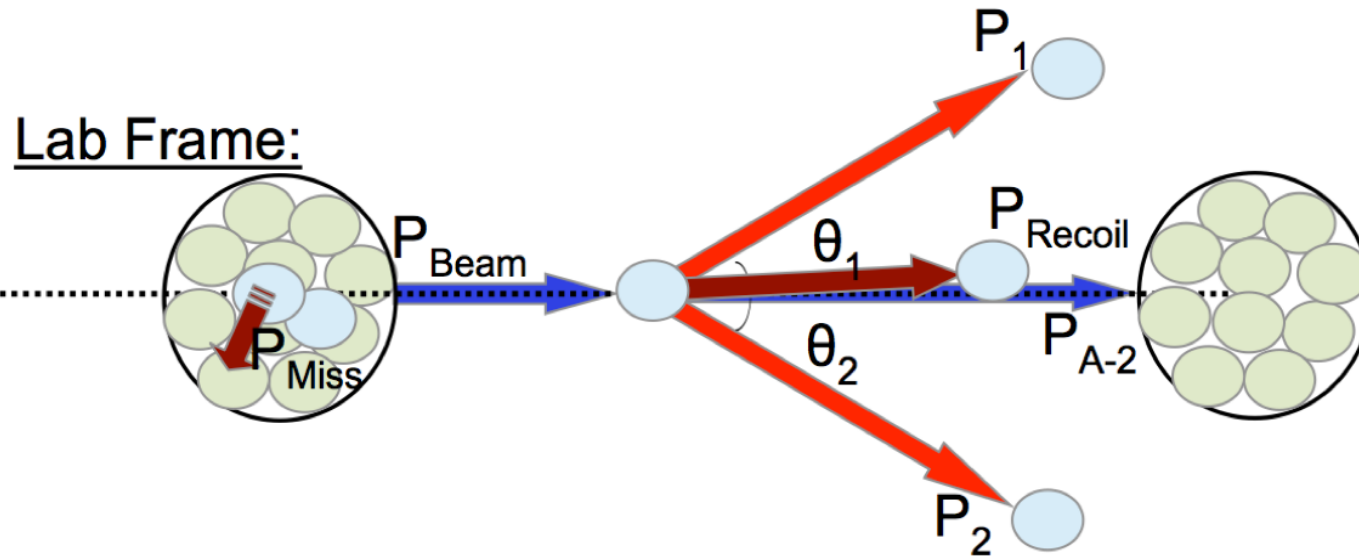
The experiment proposed here intends to:

(A) verify the previous phenomenological findings with different reaction/kinematics and

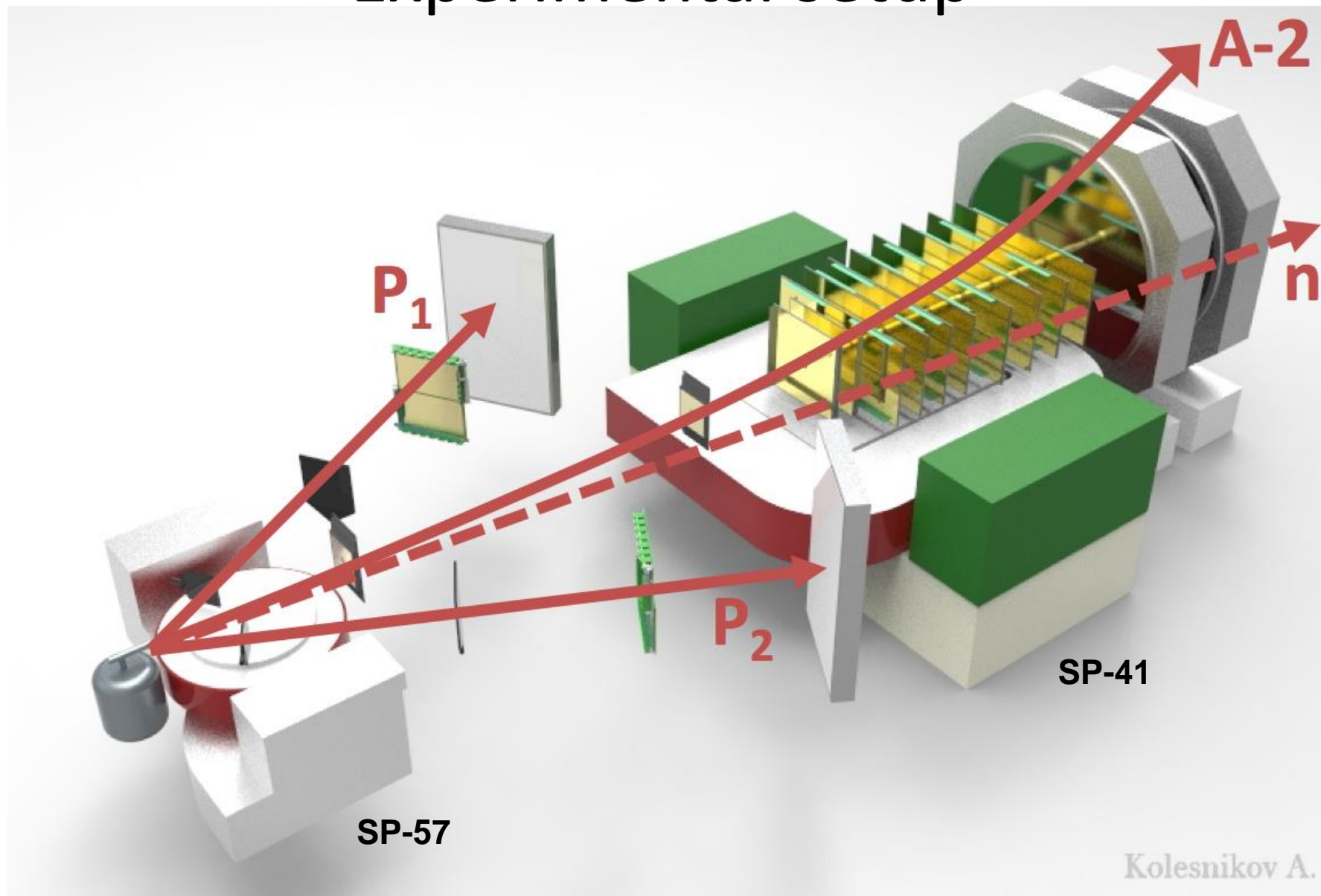
(B) allow a first observation of the A-2 system left after the hard breakup of the SRC pair from the ^{12}C nucleus.

The use of a nuclear beam and a hard knockout reaction in inverse kinematics can be a breakthrough in SRC research and can open the way to the development of a new experimental program. In particular, these will enable future studies of SRCs in nuclei far from stability using radioactive beams and will make accessible detailed information on the origin and formation process of SRC pairs through direct measurements of the A-2 system (with gamma spectroscopy and other techniques).

Kinematics



Experimental setup



Talk of E.Piasezky

Cuts

$$|\theta_{1,2}-30^\circ| < 6.5^\circ$$

$$|\Delta\phi_{1,2}| < 7.5^\circ$$

$$|s,t,u| > 2 \text{ (GeV/c)}^2$$

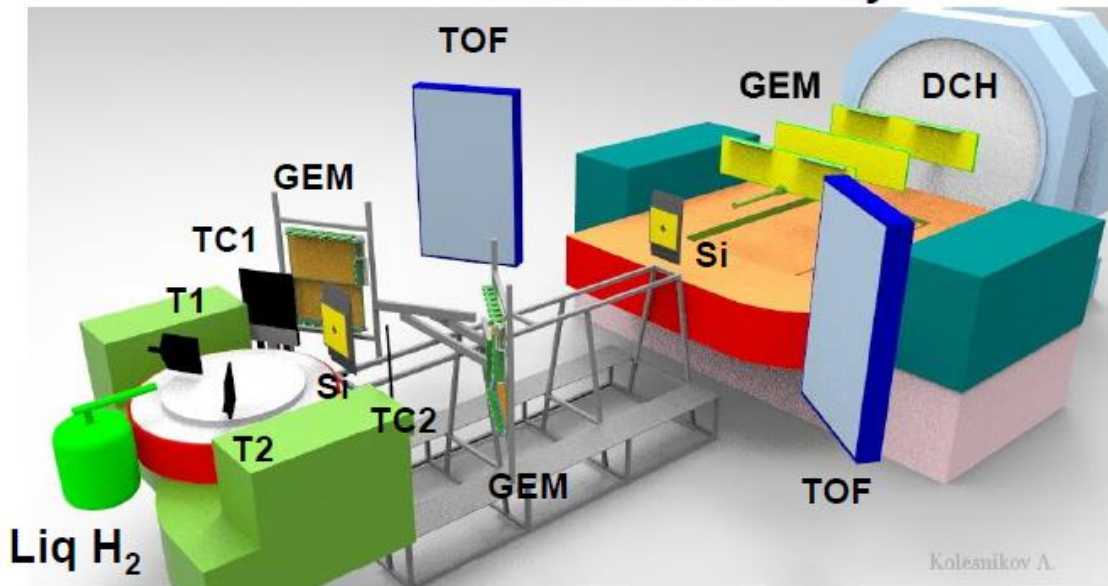
$$P_{\text{miss}} > 0.275 \text{ GeV/c}$$

Trigger:

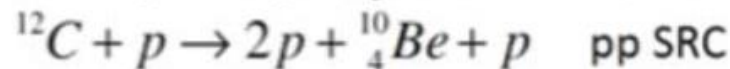
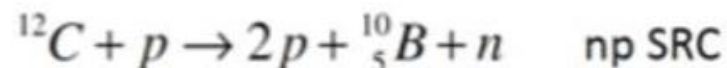
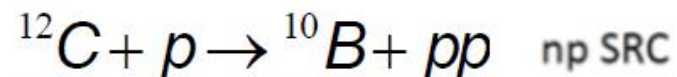
$$T0 \cdot T1 \cdot T2 \cdot TC1 \cdot TC2$$

Signal rates for 14 days of data taking

Within LAND acceptance



T0 + Target + T1



→ First SRC @ BMN run in March 2018: collected 8 M events

Femtoscscopy aspect of this study:
Up to what degree SRC is isolated
from A-2? →
How long live A-2 system? →
Fragments correlation study at
small relative velocity

What is proposed to measure:

- *Correlation function of two fragments

(p,d,t,3He,4He) at small relative velocity

- *approximation: $p_z/\text{nucleon} \approx p_{z\text{beam}}/\text{nucleon}$,

relative velocity \approx transverse relative velocity

- *transverse relative velocity from tracks position at DC

- *mixing procedure for background

Expected results:

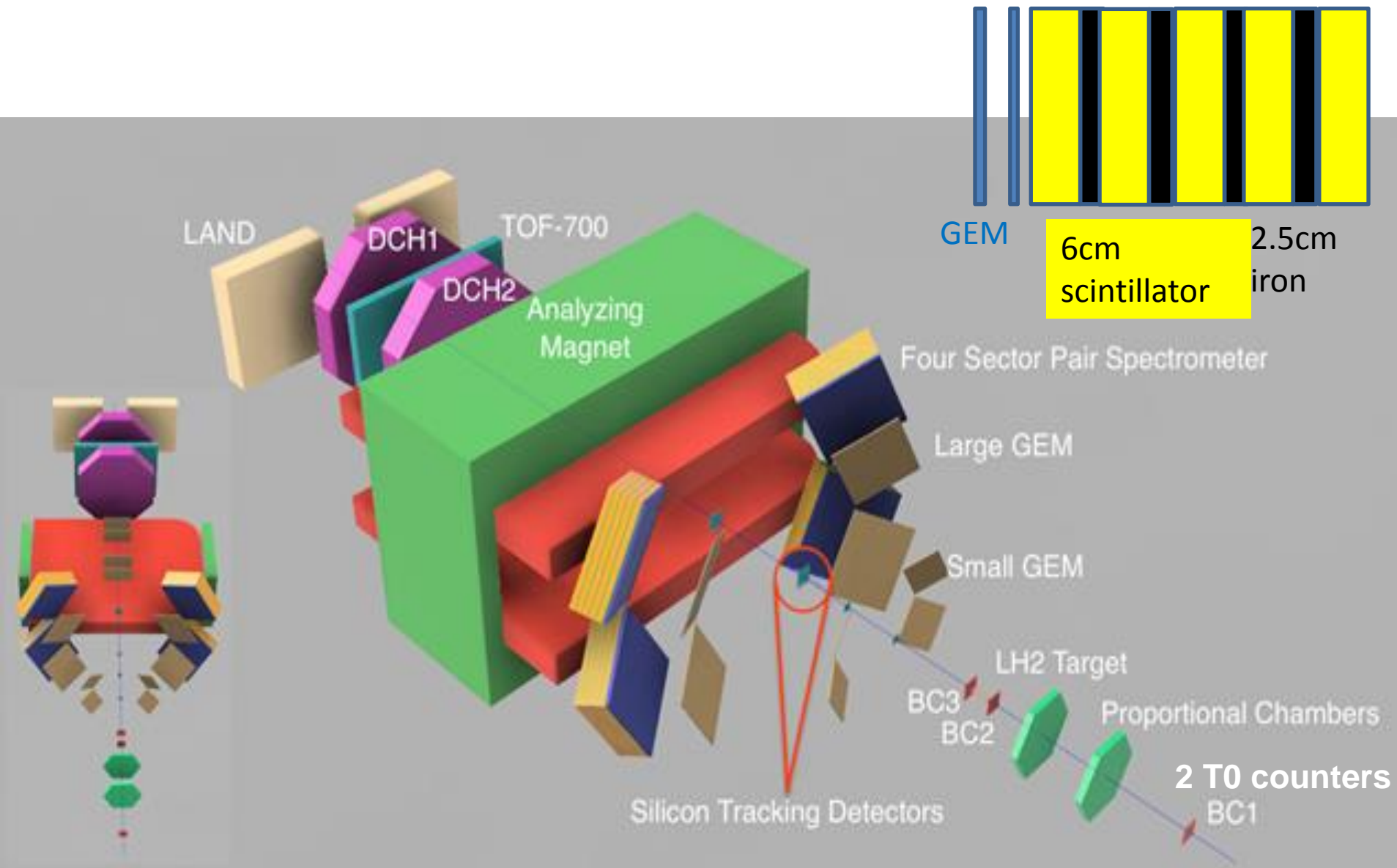
Two(at least) possible model:

1."Izolated" flucton(as supposed in proposal) $\rightarrow ct \gg r_c$

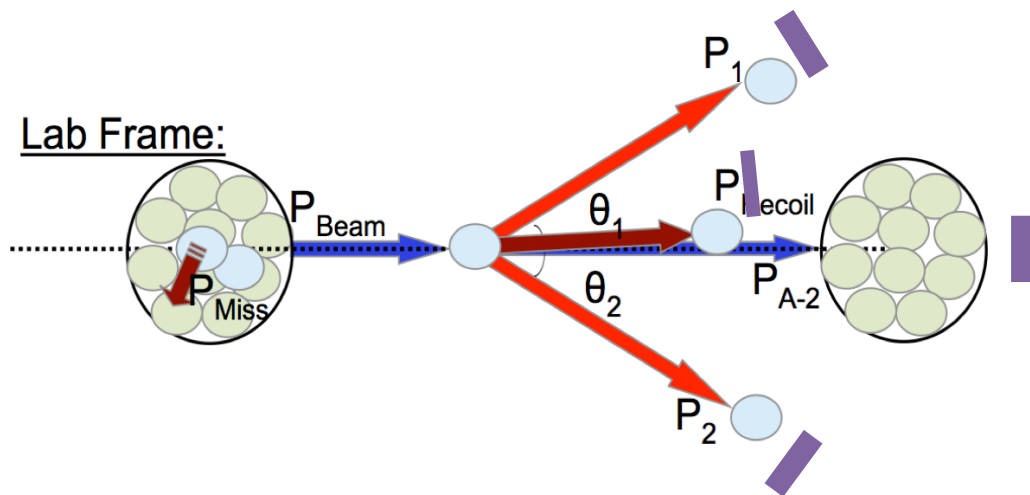
2."Nonizolated" flucton(due to energy-momentum conservation) $\rightarrow ct \sim r_c$

Thank you for the attention and
welcome to collaboration!

Ideas for the future



How to study SRC? - Break up the pair!



Inverse kinematics

Super exclusive measurement!

Detect (4 particles):
the scattered probe,
the knocked-out nucleon,
the recoil,
and the A-2 system!

$A(p, 2p \ n \ A-2)$ – Dubna

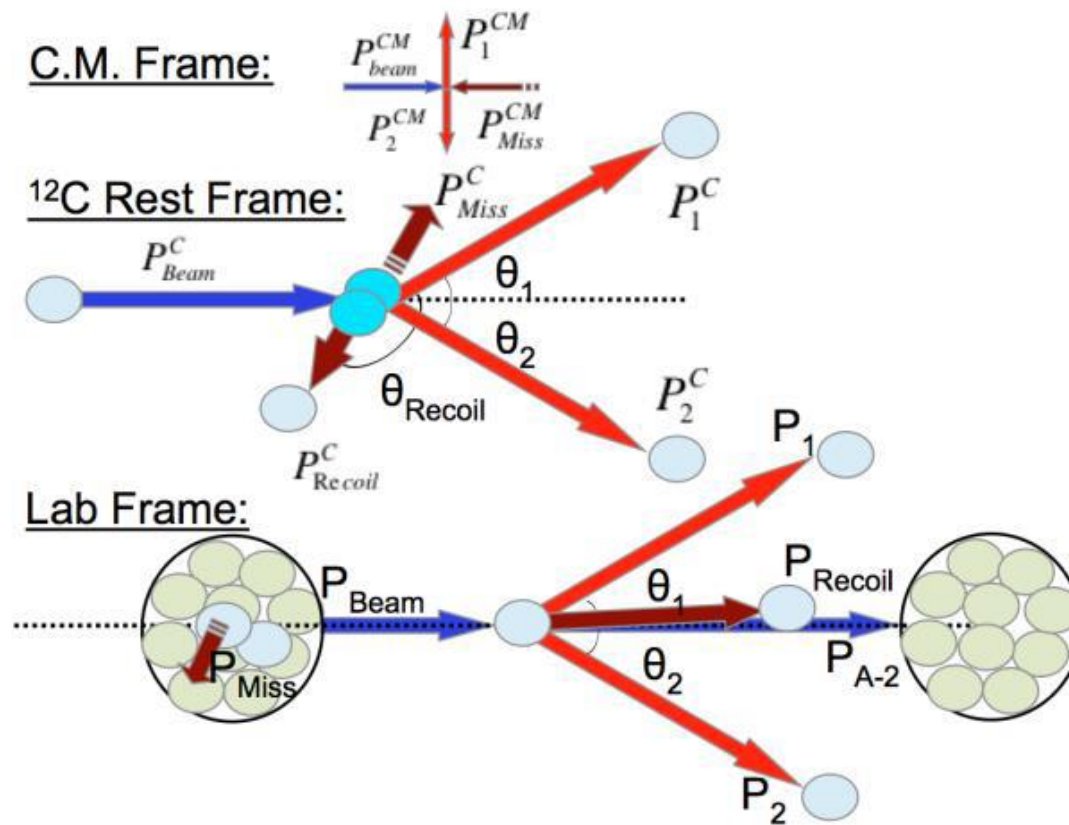
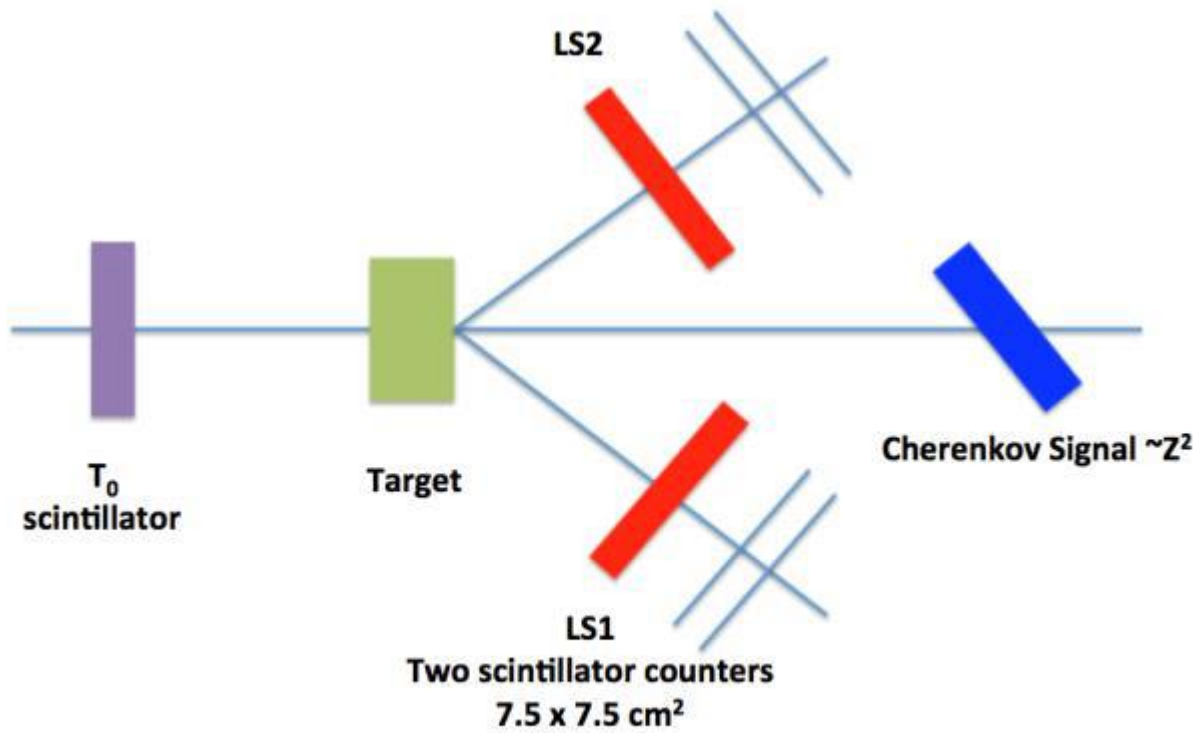
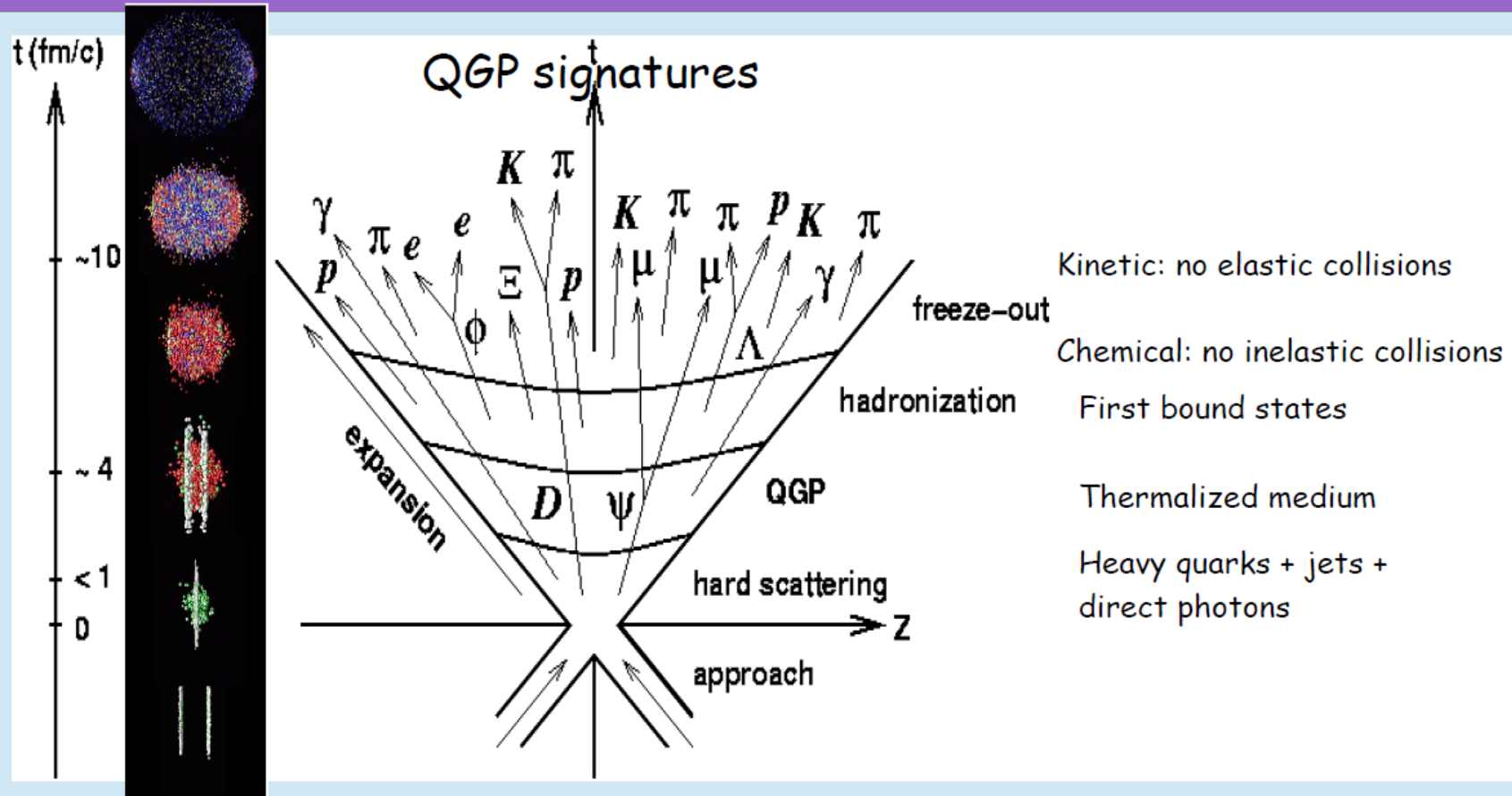


Figure 15: (Top) Two protons scattering at $\theta_{cm}=90^\circ$ in their C.M. frame. The momenta of the particles after scattering are P_1 (C.M.) and P_2 (C.M.). (Middle) Proton beam scattering off of an SRC-pair inside a stationary nucleus. The beam proton scatters from a proton within the SRC-pair with initial momentum P_{miss} , knocking it from the nucleus. The short-range-correlated partner recoils backward with momentum P_{recoil} . (Bottom) An SRC-pair in a moving carbon nucleus scattering off of a stationary proton target. An SRC-proton in the carbon nucleus knocks a proton out of the target. The short-range-correlated partner is boosted forward with momentum P_{recoil} . The A-2 nucleus continues along the beam direction (P_{A-2}).



2 GEM detectors of the size $41 \times 66 \text{ cm}^2$

Motivation: the QGP



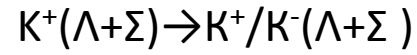
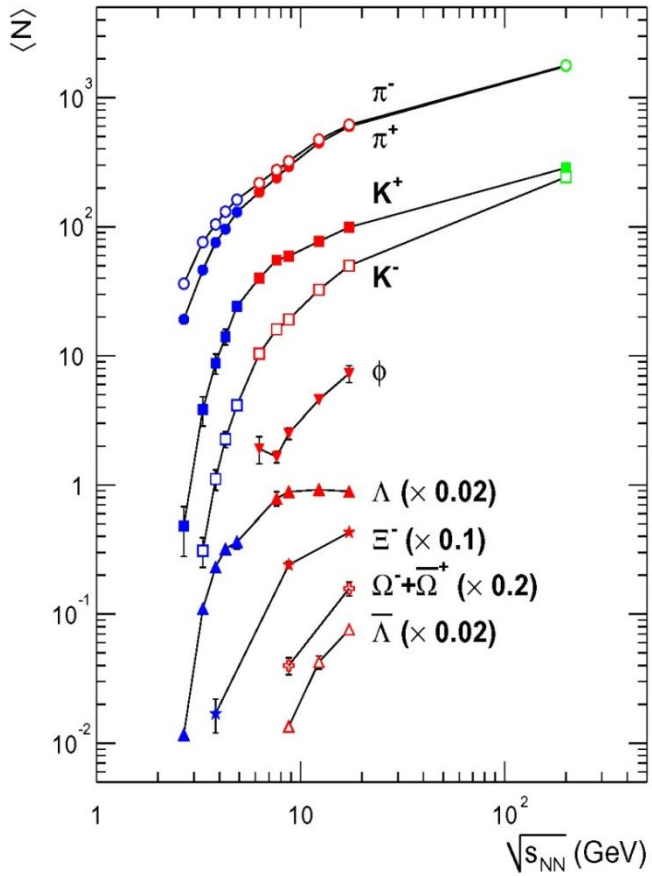
27 August 2013

16th Lomonosov Conference - Moscow - Barbara Guerzoni

4

Strange baryons: Λ, Ξ^- . Why no $\Sigma(\Sigma^-, \Sigma^0, \Sigma^+)$?

AGS NA49 BRAHMS



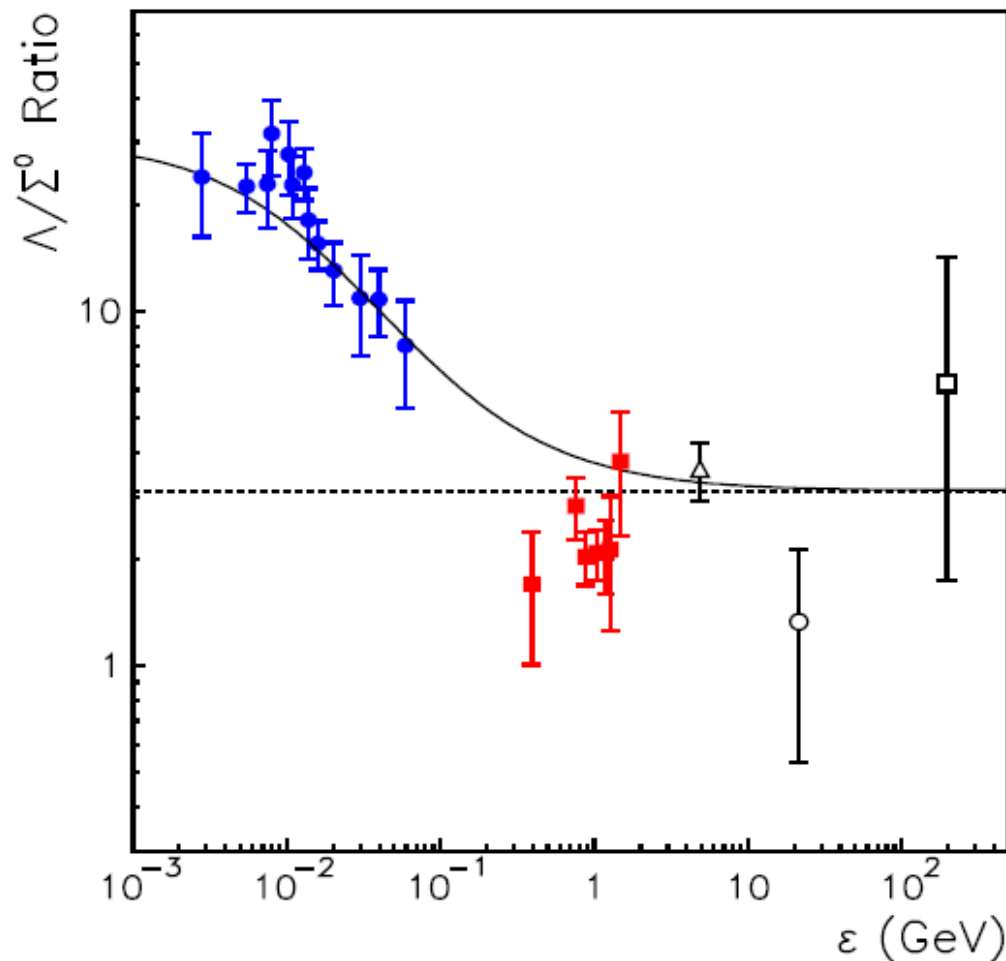


Fig. 3. The Λ/Σ^0 cross section ratio as a function of the excess energy ϵ . The solid circles show the ratio obtained for the $pp \rightarrow K^+ \Lambda p$ and $pp \rightarrow K^+ \Sigma^0 p$ reactions at COSY [2]. Solid squares are pp results from Ref. [25]. The open triangle and open circle are ratios measured in $p\text{Be}$ [28] and $p\text{Ne}$ [29] collisions, respectively. The open square is the result from a $d\text{Au}$ experiment [30]. The curves are cross section ratios based on the $pp \rightarrow K^+ \Lambda p$ results with Λp FSI (solid line) and without FSI (dashed line).

“It is interesting to observe that the ratios for nuclear targets, measured at high energies, are roughly in line with the results from high-energy pp collisions. Unfortunately, the new and still preliminary STAR result is afflicted by large uncertainties and, thus, precludes any firm conclusion concerning a possibly larger ratio with respect to that found in the pp interactions. Several authors have pointed out that the experimental ratio of around 3 coincides with the ratio of the isospin multiplicity of the Λ and Σ 's [2,28,30]. But we are not aware of any deeper reason why those two quantities should be connected.”

arXiv:hep-ph/0608098,
A.Sibirtsev et al.

$$a_{pp}(^1S_0)=-7.8 \text{ fm}; a_{np}(^1S_0)=-23.7 \text{ fm}; a_{nn}(^1S_0)=-16.4 \text{ fm}.$$

$$a_{p\Lambda}(^1S_0)=-2.7 \text{ fm}; a_{\Sigma+p}(^1S_0)=-3.85 \text{ fm}; a_{\Lambda\Lambda}(^1S_0)=-0.88 \text{ fm}[1]$$

[1] Th.A.Rijken, M.M.Nagels, Y.Yamamoto,
Progress of Theoretical Physics Suppl.NO.185(2010),14

Measurements of Short Range Correlations (SRCs) in nuclei probe the tensor part of the NN force and even start to approach the repulsive part by studying the isospin decomposition of SRC pairs.

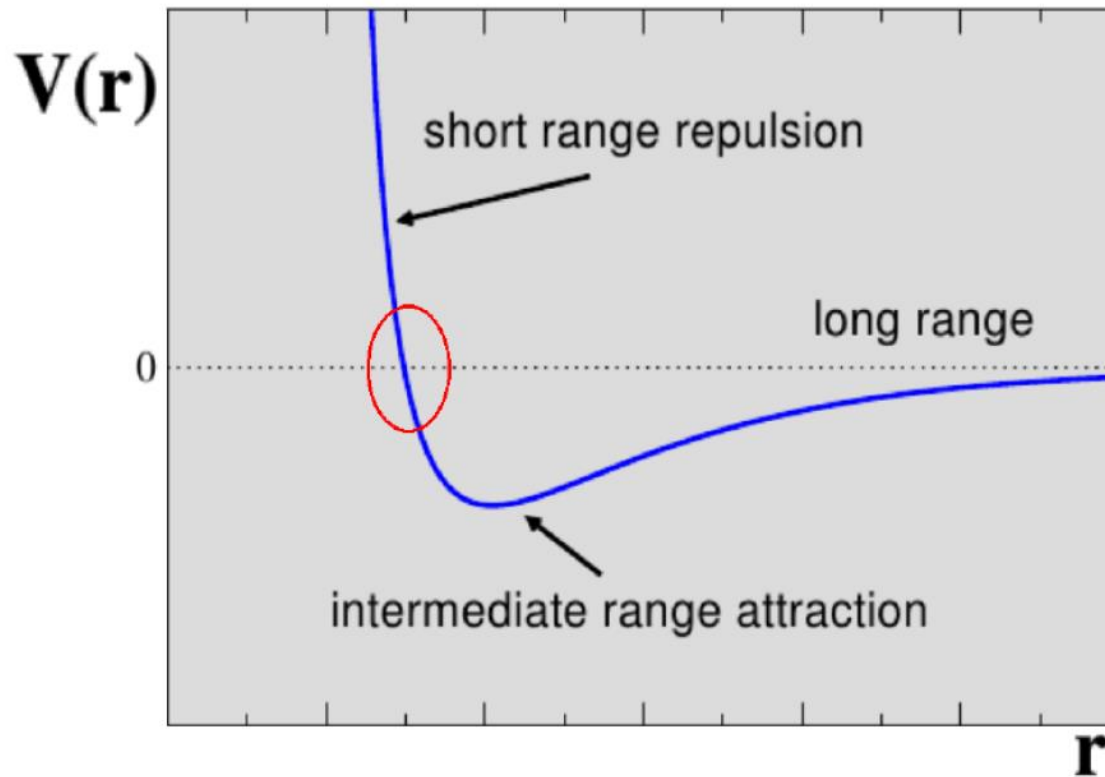


Figure 3: Schematic presentation of scalar part of the NN potential as function of distance between nucleons. Red ellipse present the region, were we expect to measure the effect of the tensor part of the force.