

# Examination of heavy-ion collisions using EPOS model in the frame of the BES program at RHIC

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*Klaus Werner*

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in cooperation with



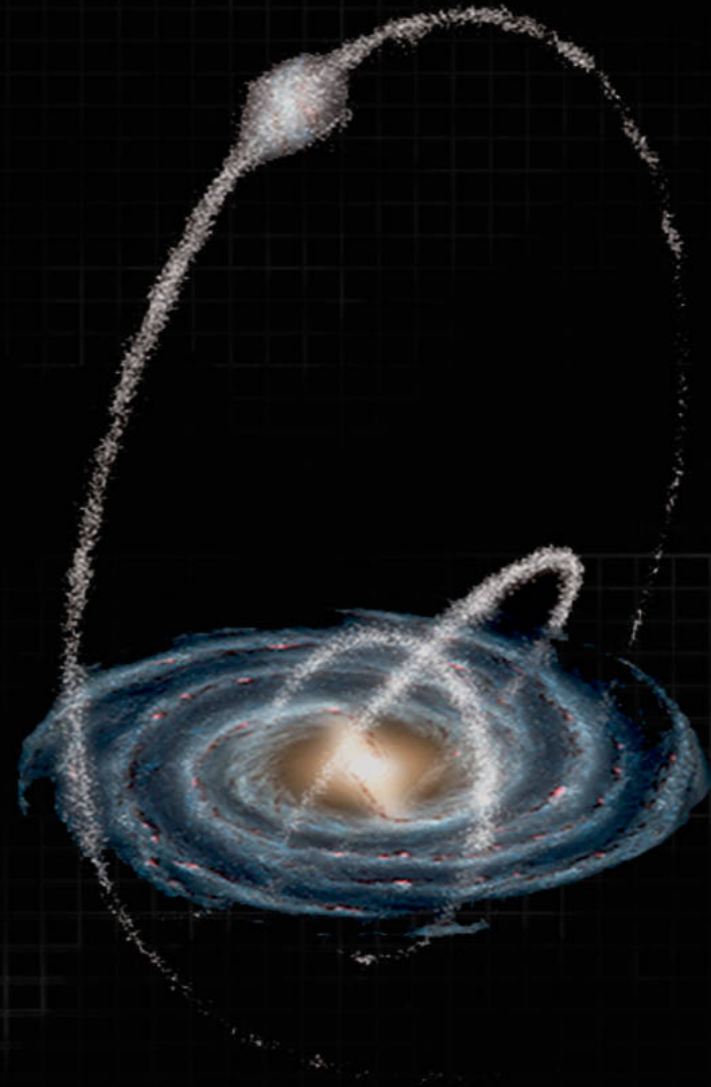
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Fizyki**

POLITECHNIKA WARSZAWSKA



# Abstract

- Motivation
- EPOS generator
- Beam Energy Scan program
- Methods of analysis and results
  - $p_T$  spectra
  - Femtoscopy correlations
  - Azimuthal Anisotropy
- Conclusion & plans



# Motivation



- EPOS - model for LHC & top RHIC energies
- What about lower energies?

# Motivation



- EPOS - model for LHC & top RHIC energies
- What about lower energies?



Studies of:

**EPOS  
simulations**

VS



**STAR  
experiment**

# EPOS generator

.....

**E**nergy conserving quantum mechanical multiple scattering approach,  
based on **P**artons (parton ladders), **O**ff-shell remnants,  
and partons **S**aturation.

## Gribov - Regge theory

- Soft aspects of particle collisions
- Multiple scattering
- Interactions described with Pomerons
- ...

## Parton-based theory

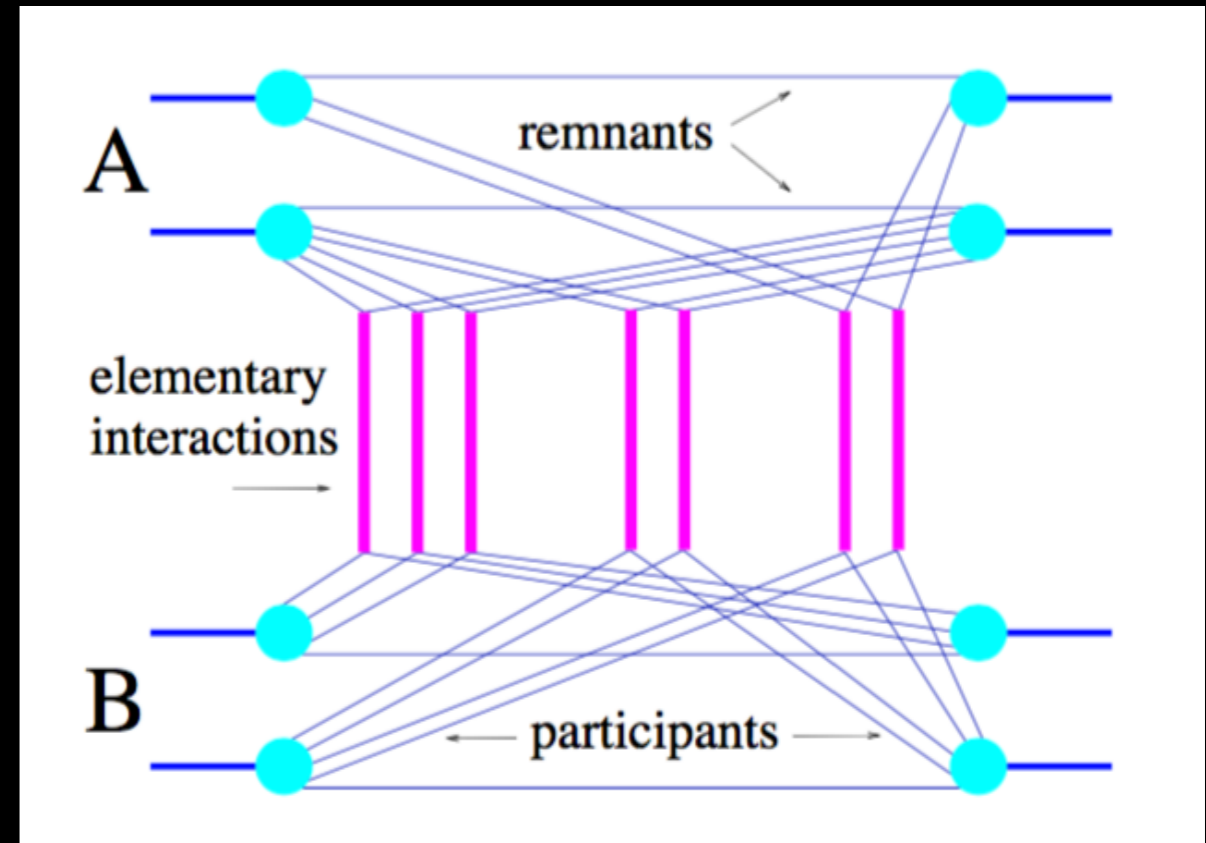
- Partons: quarks & gluons
- Calculation of parton jets
- QCD & QED
- ...

# EPOS generator

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## Parton-based Gribov-Regge theory

- Conservation of energy

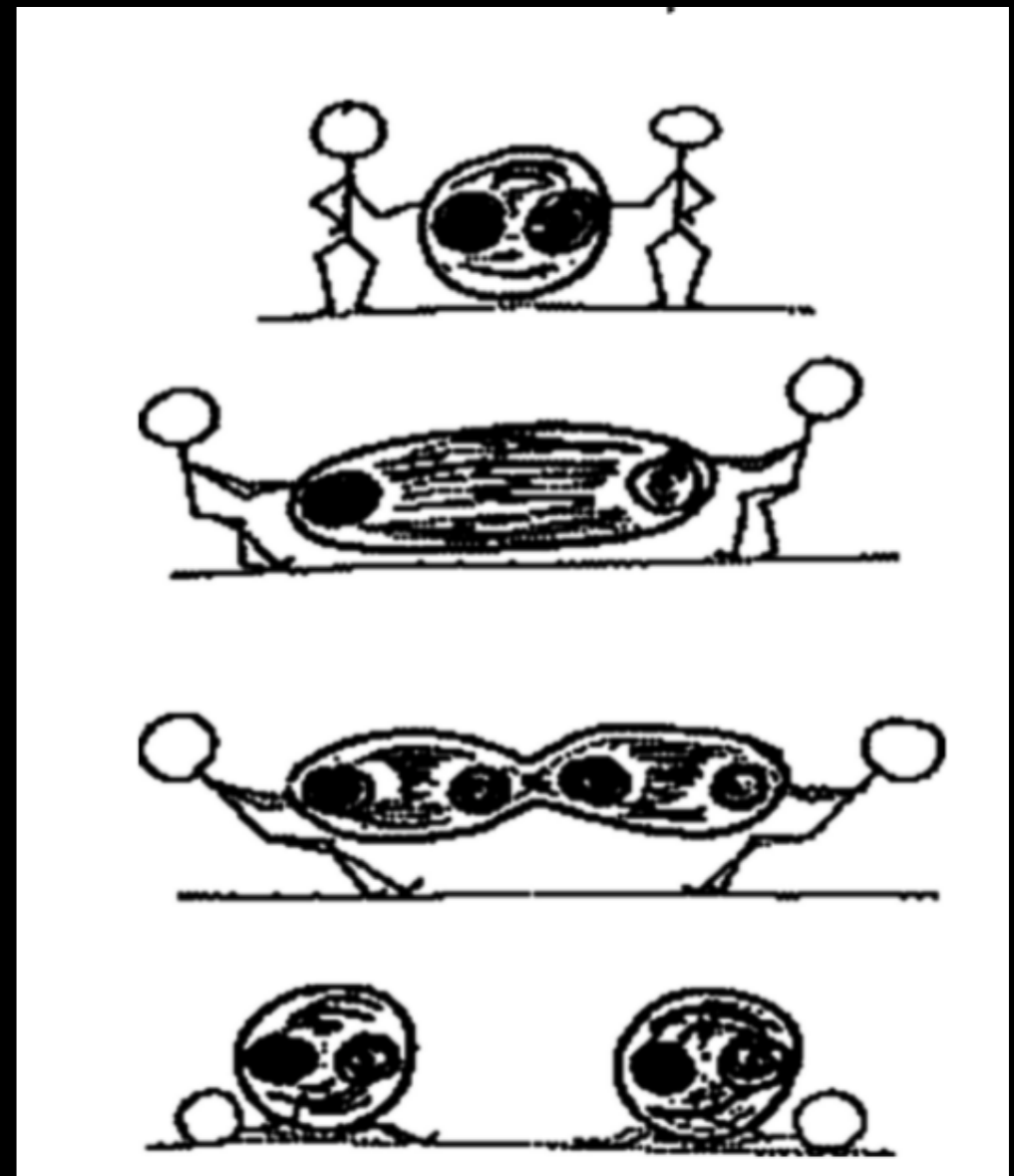


# EPOS generator

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## Parton-based Gribov-Regge theory

- Conservation of energy
- Relativistic strings



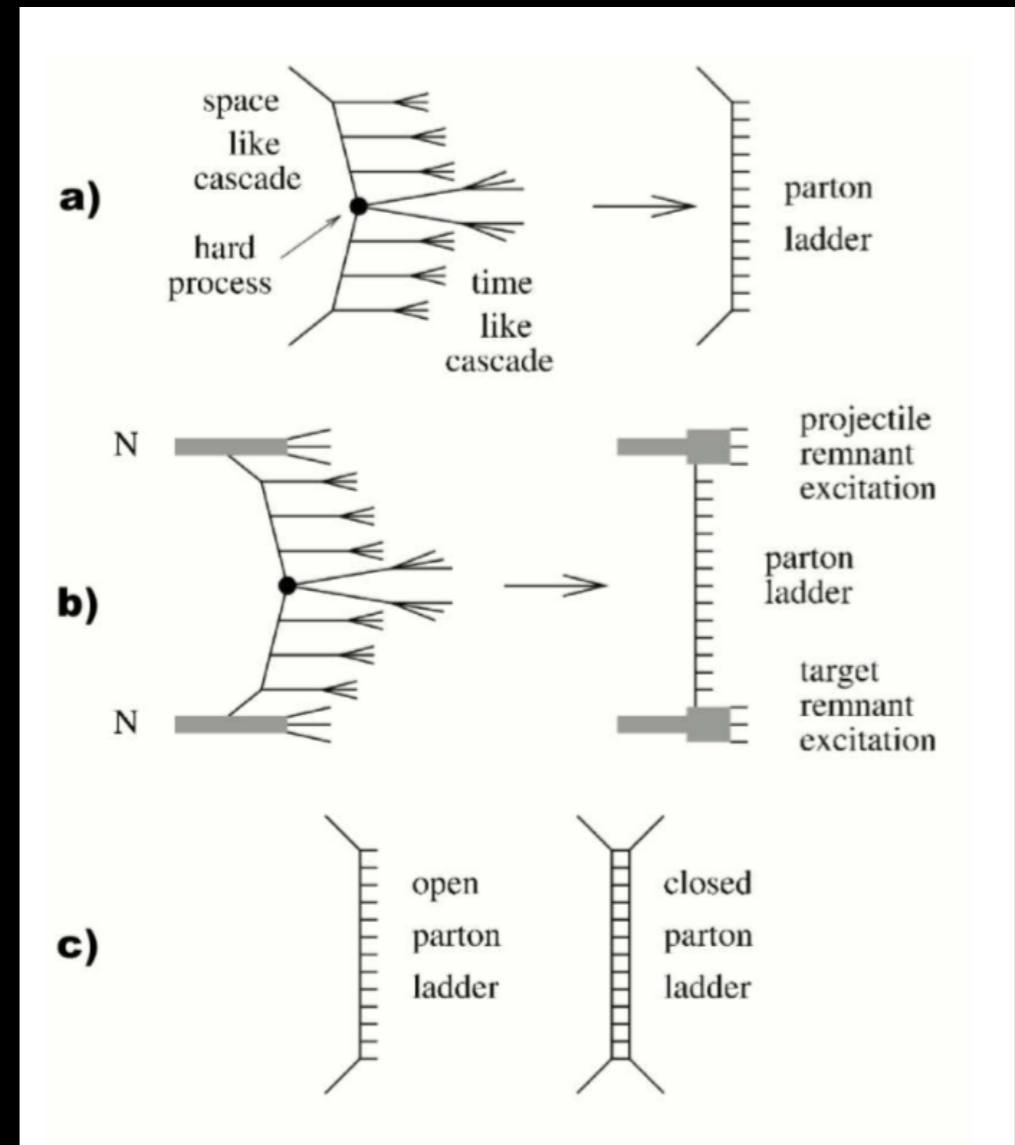
# EPOS generator

.....

## Parton-based Gribov-Regge theory

- Conservation of energy
- Relativistic strings
- Open and closed ladders

↓ ↓  
inelastic and elastic scattering



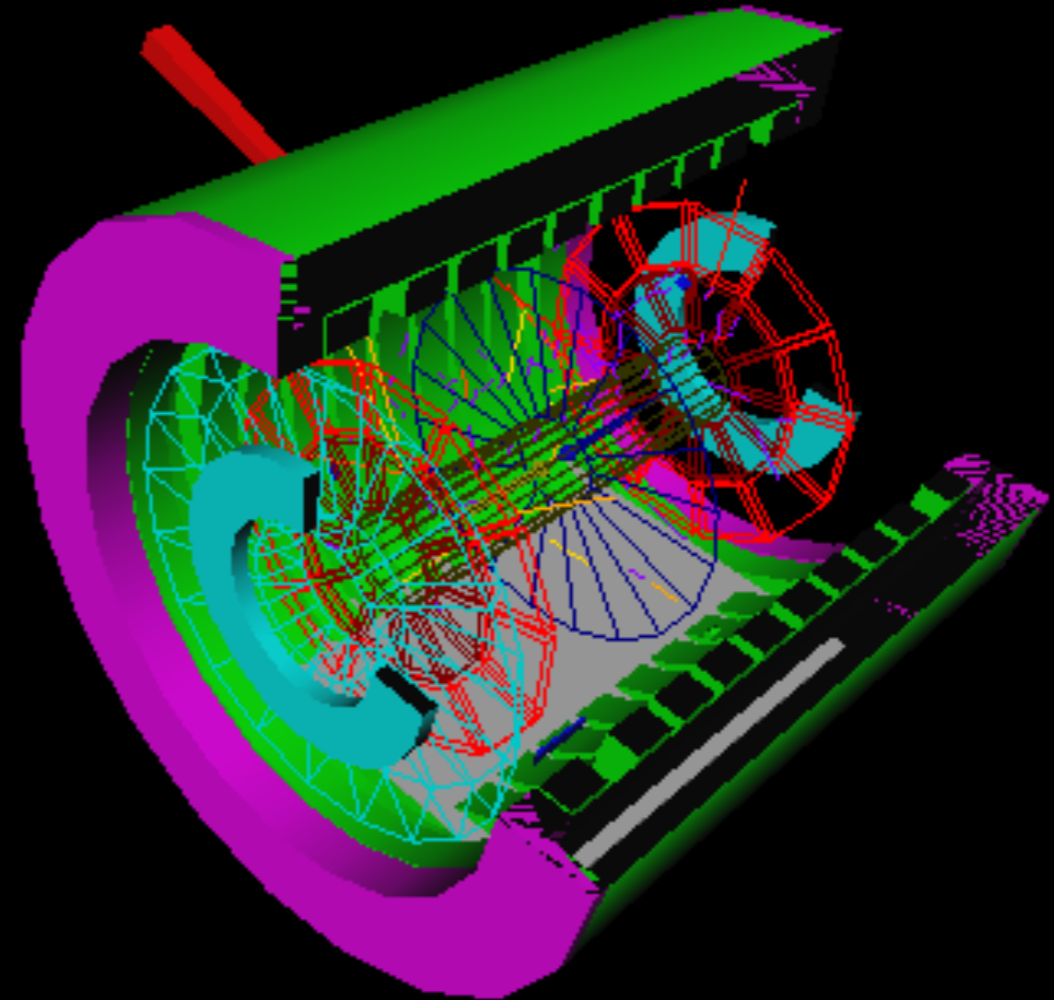
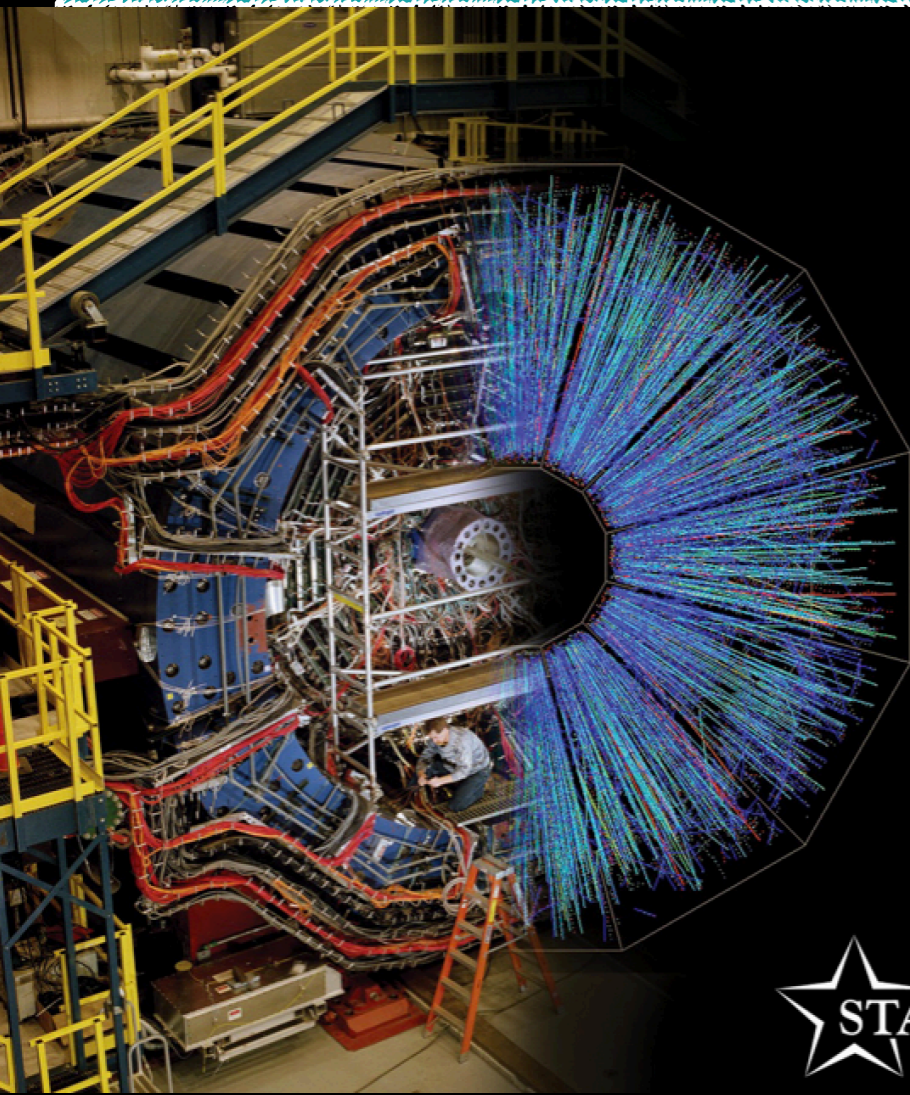


# Beam Energy Scan

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## BES program:

- Run at RHIC in Brookhaven National Laboratory
- Collisions of: Au + Au



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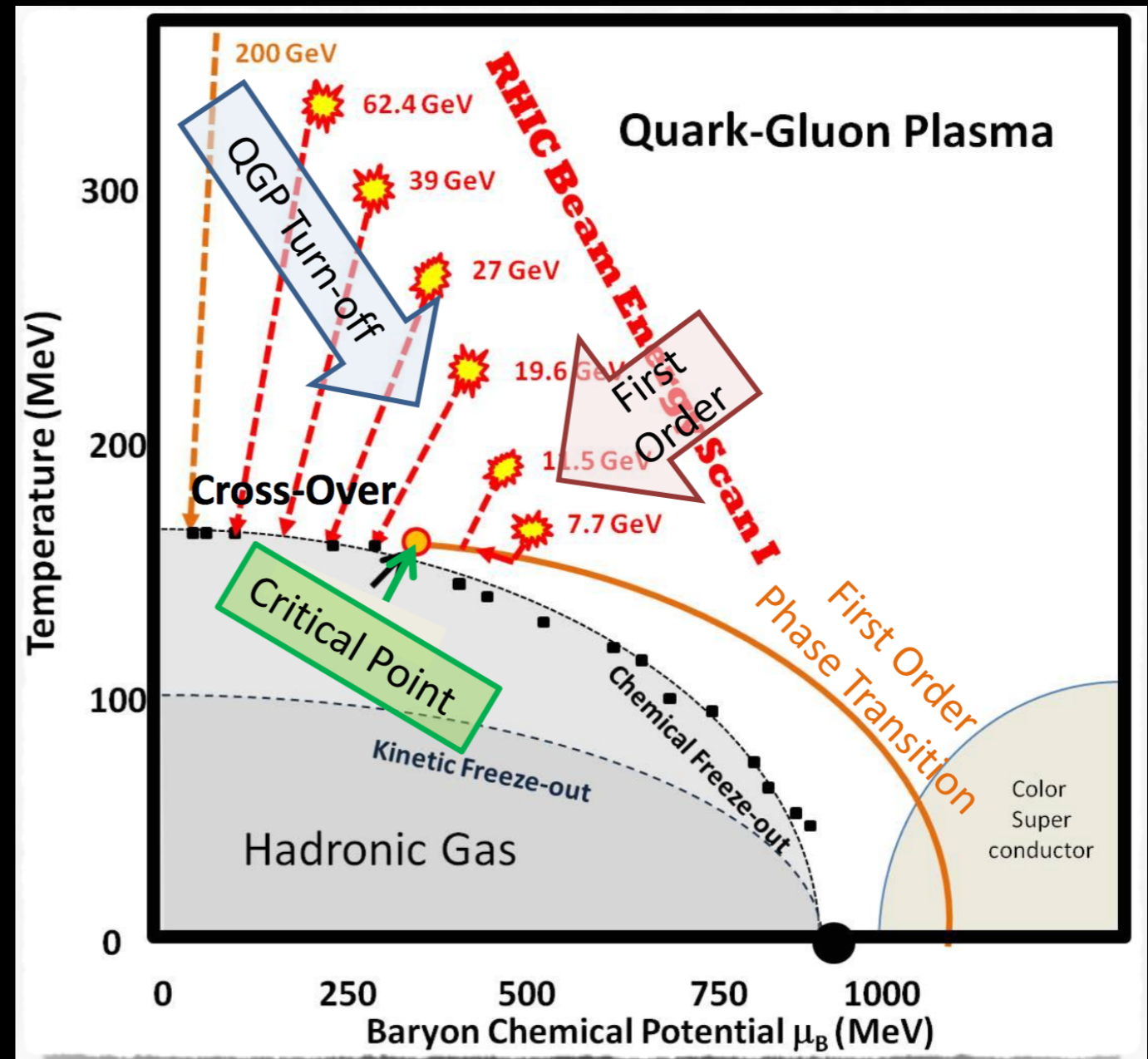
# Beam Energy Scan

## BES program:

- Run at RHIC in Brookhaven National Laboratory
- Collisions of: Au + Au

## Three Goals:

- Turn-off QGP signatures
- Find critical point
- Examine First order phase transition



# Analysis & Results

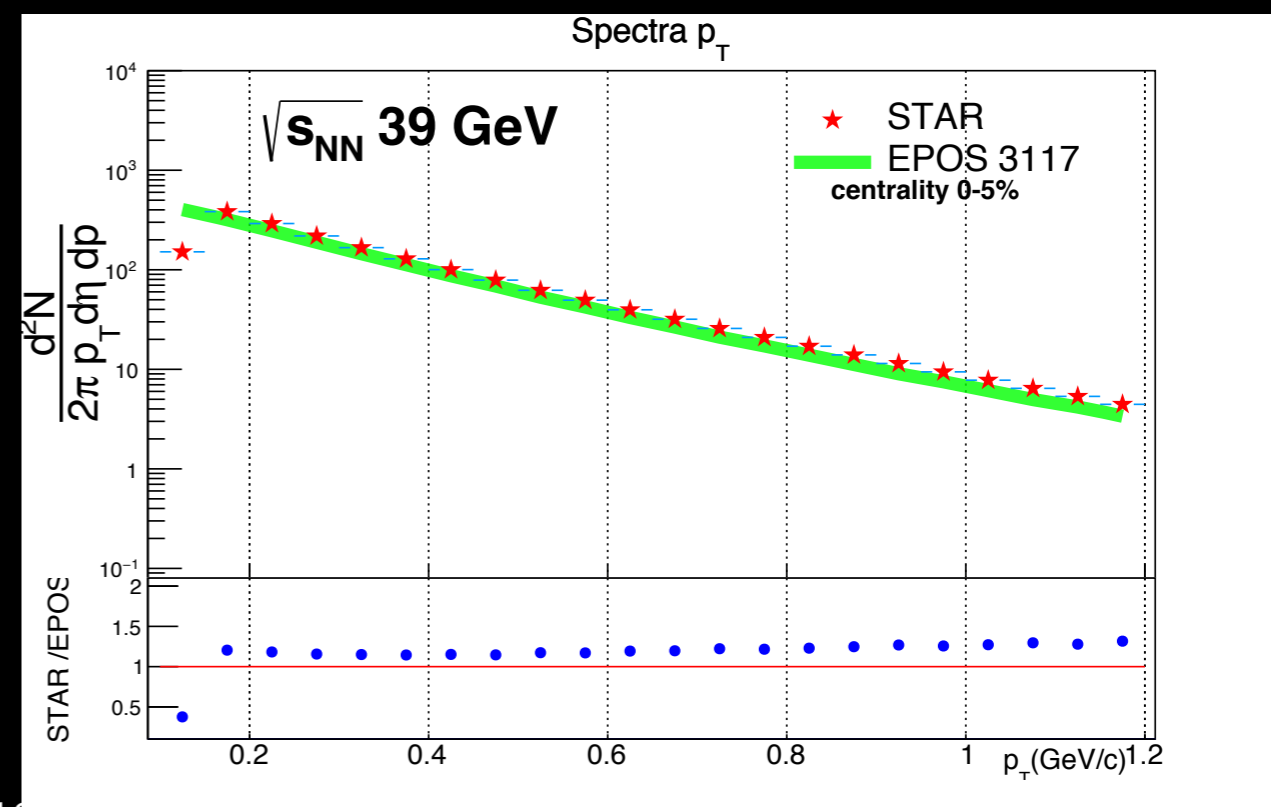
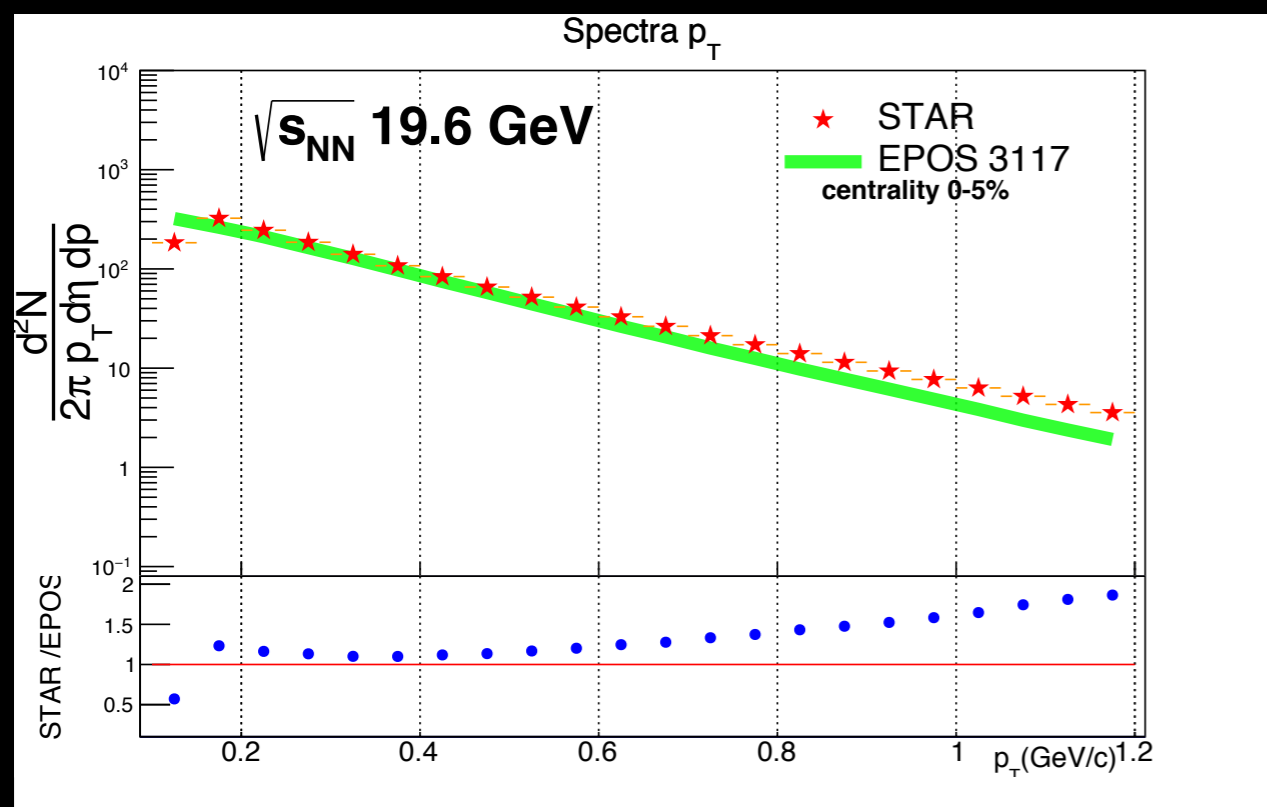
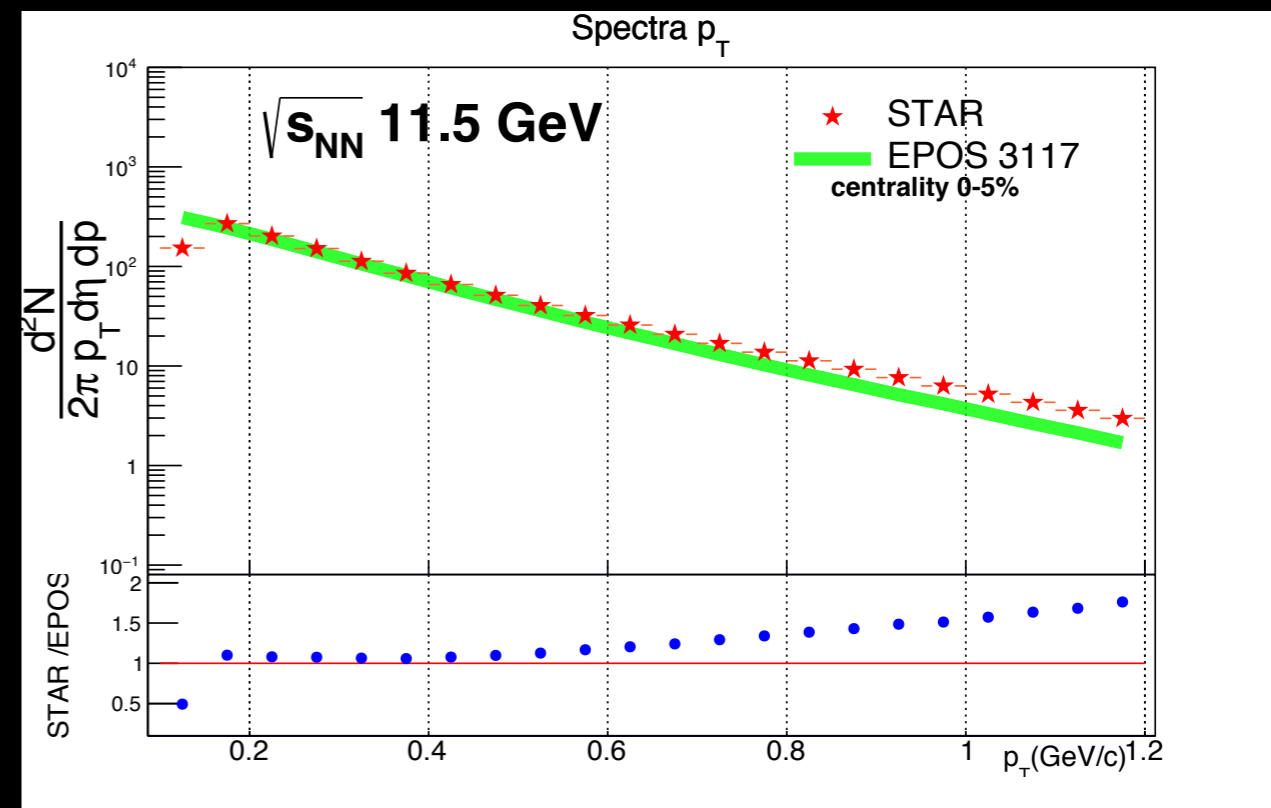
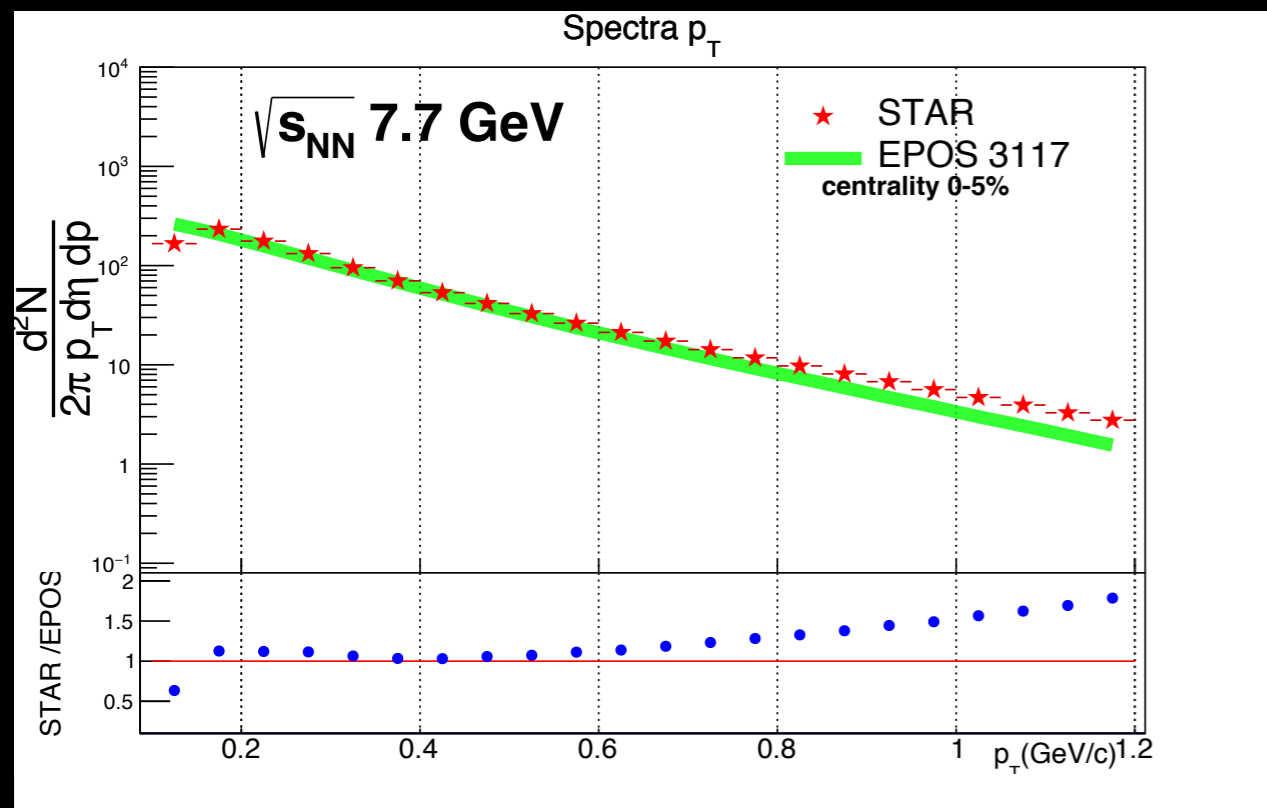
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$$p_T = \sqrt{p_x^2 + p_y^2}$$

# Au+Au Analysis

STAR data : J. Phys. Conf. Ser., 446:012017, 2013

central 0-5%

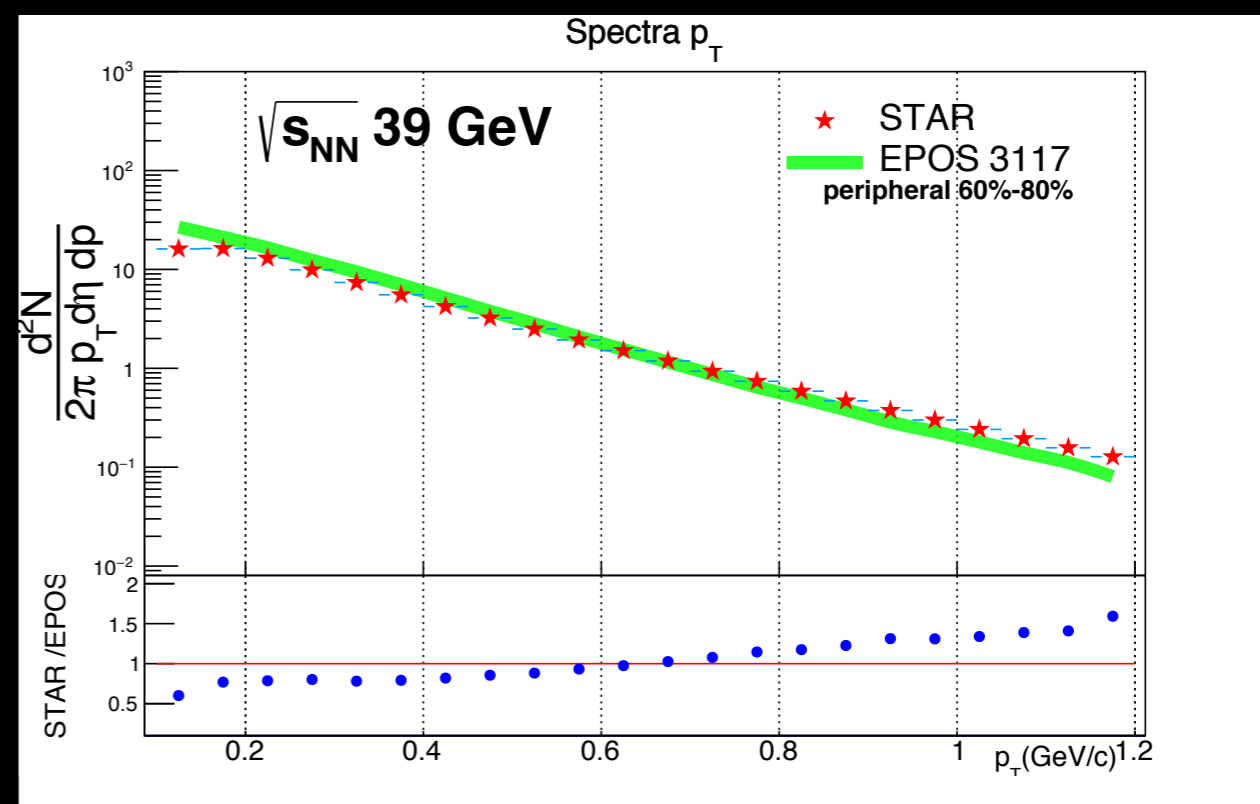
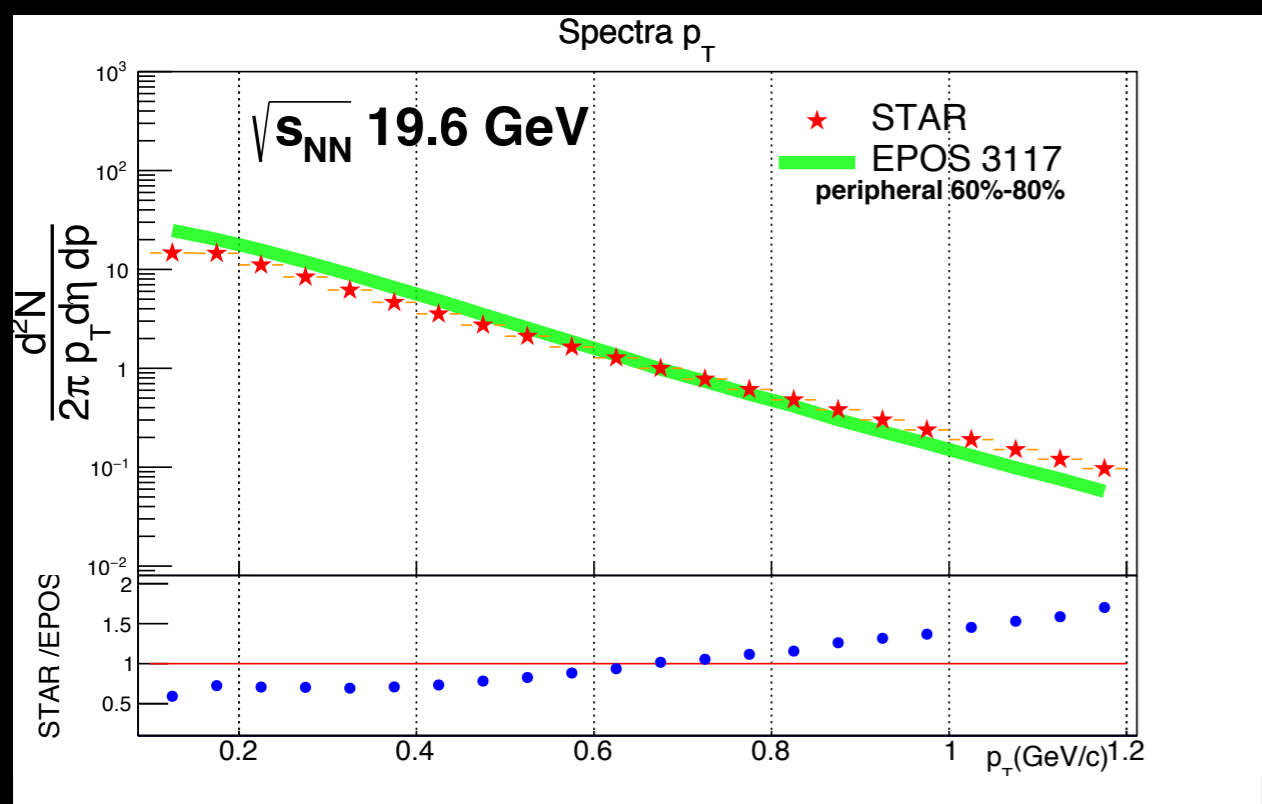
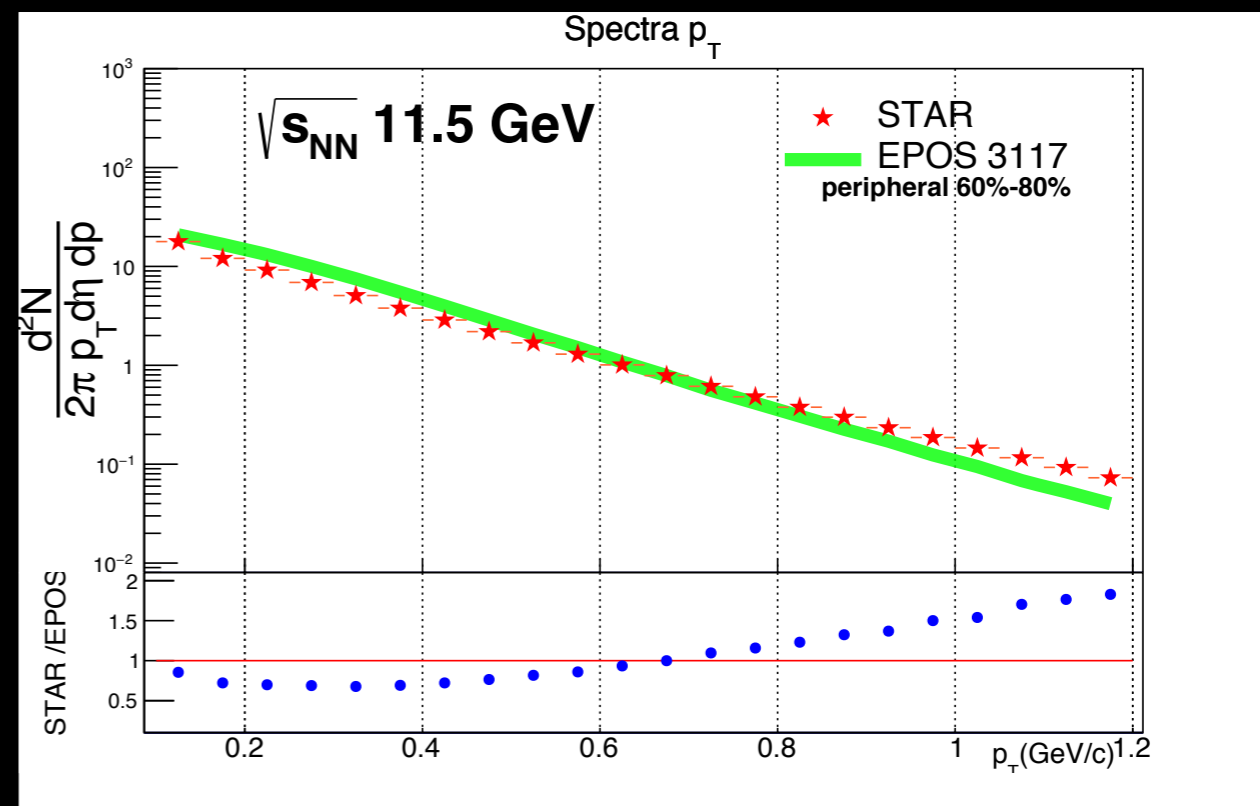
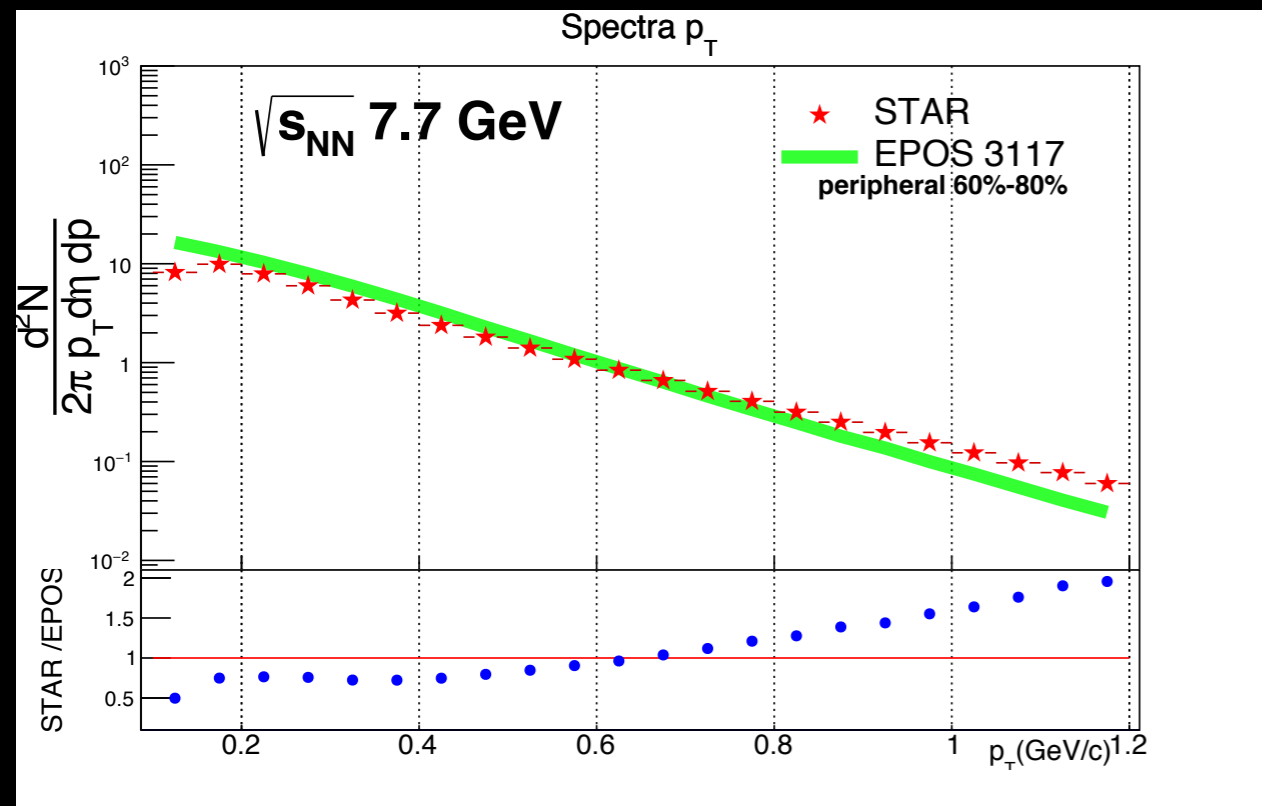


$$p_T = \sqrt{p_x^2 + p_y^2}$$

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STAR data : J. Phys. Conf. Ser., 446:012017, 2013

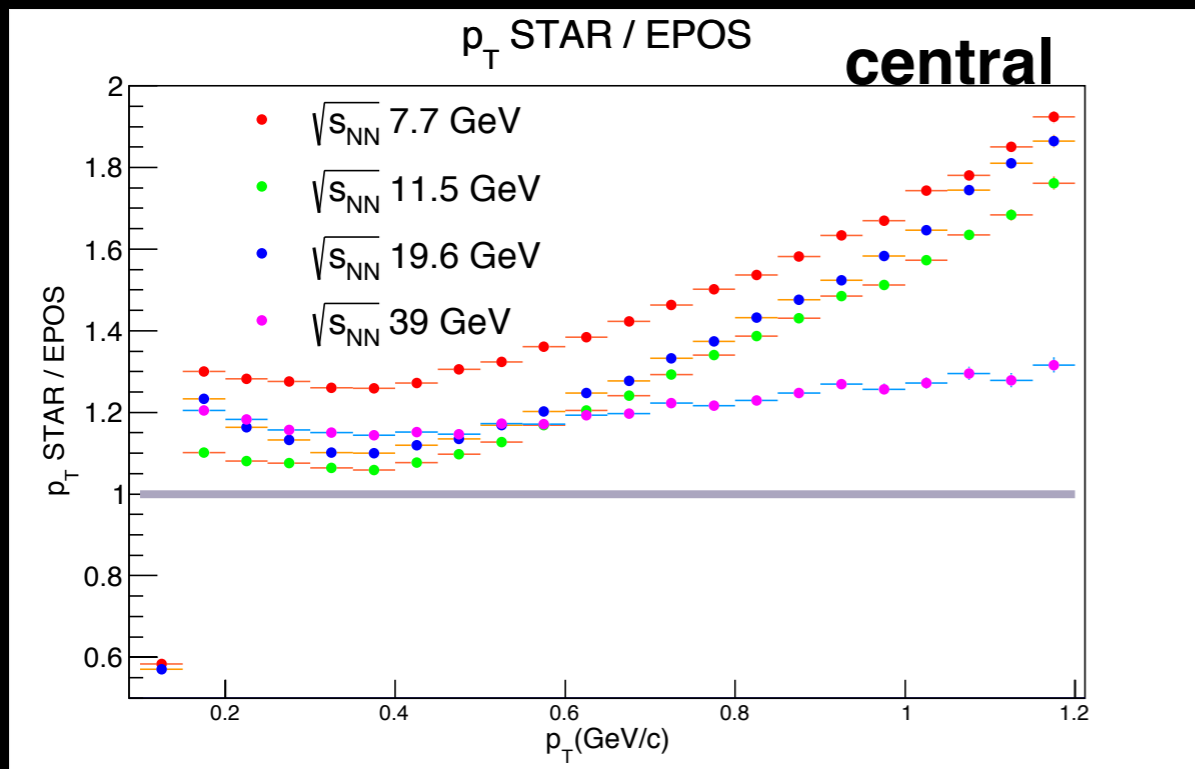
## peripheral 60%-80%



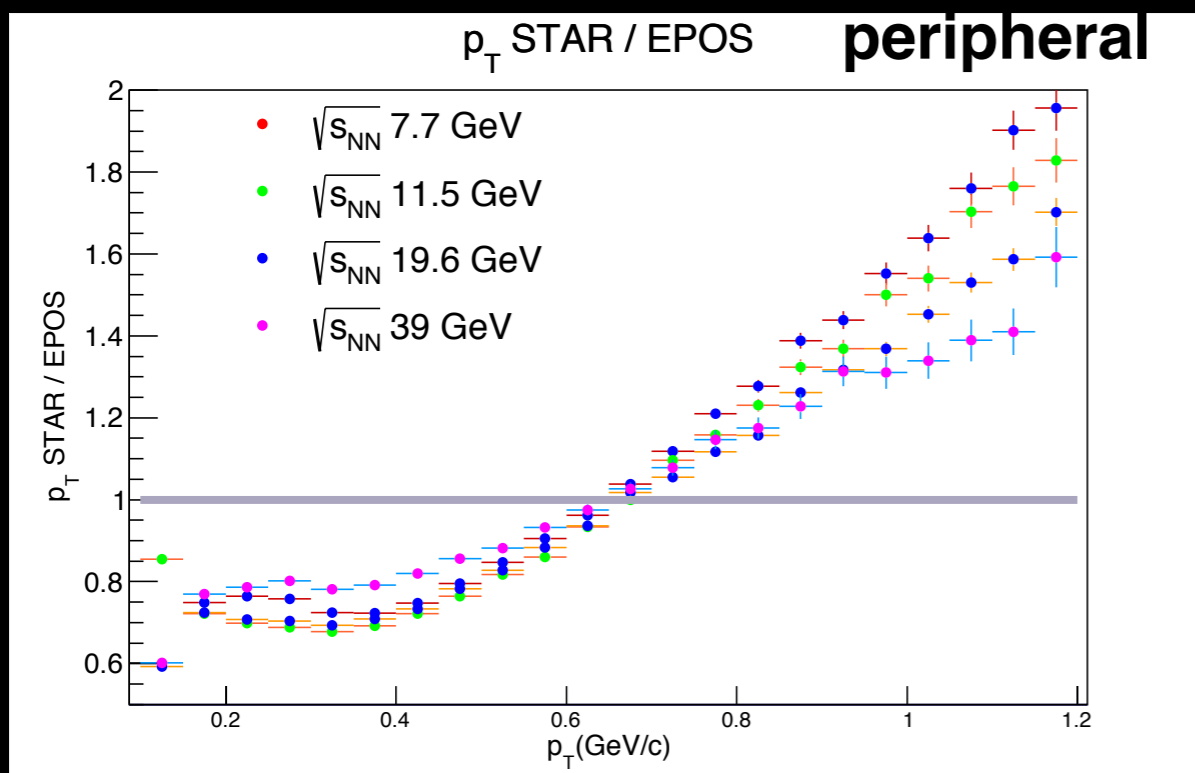
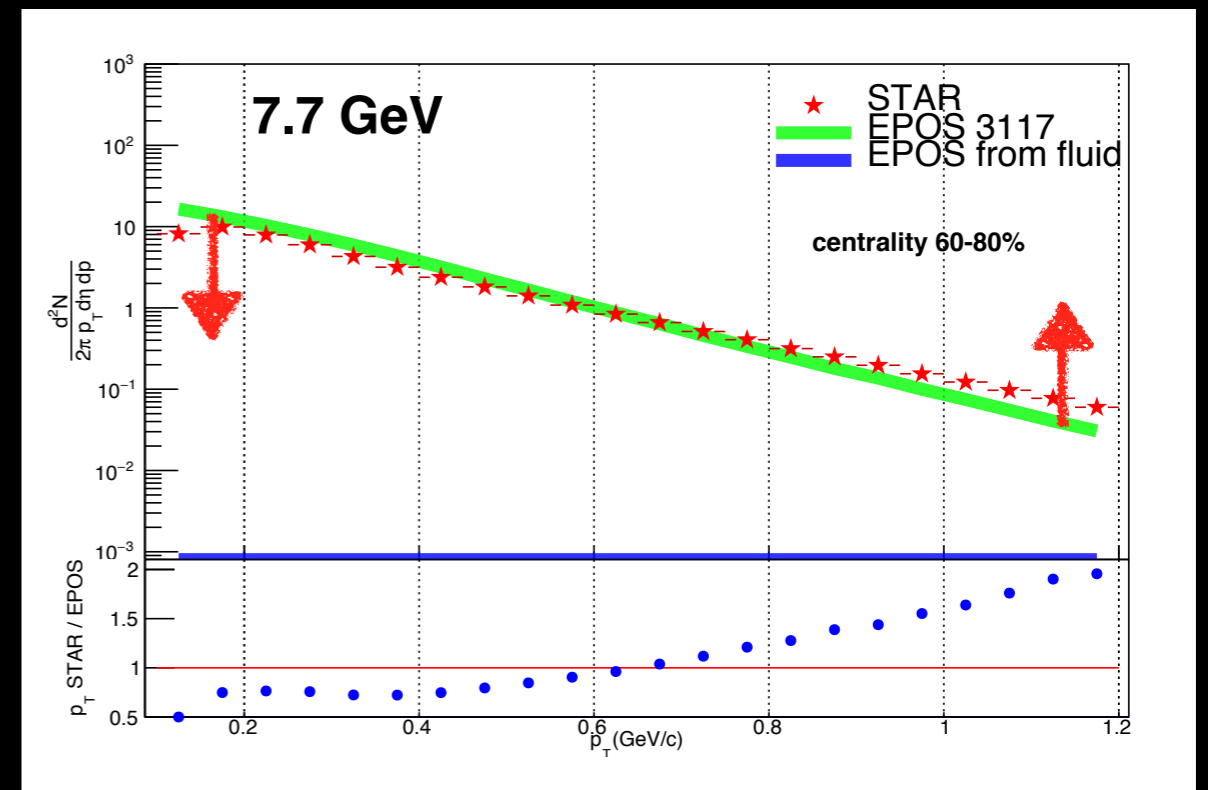
$$p_T = \sqrt{p_x^2 + p_y^2}$$

# Au+Au Analysis

STAR data : J. Phys. Conf. Ser., 446:012017, 2013



More particles derived from QGP

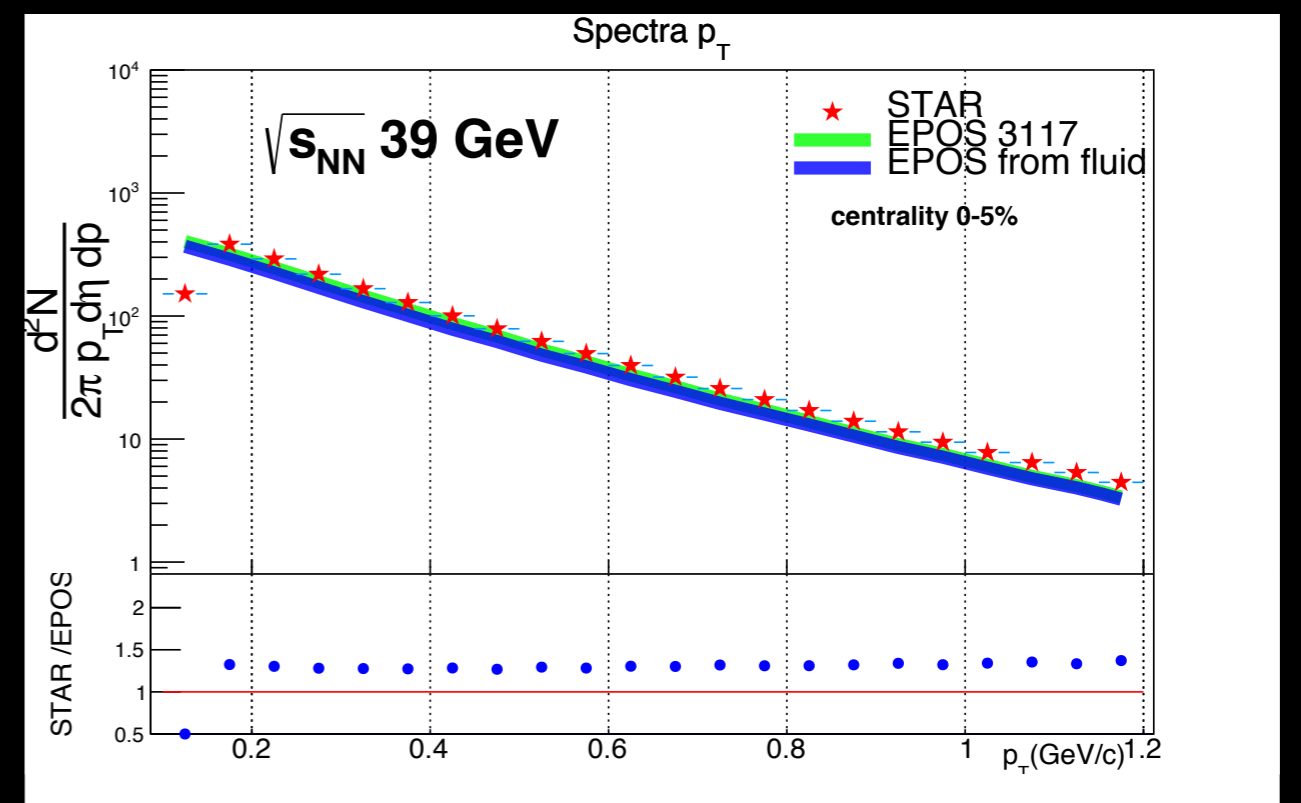
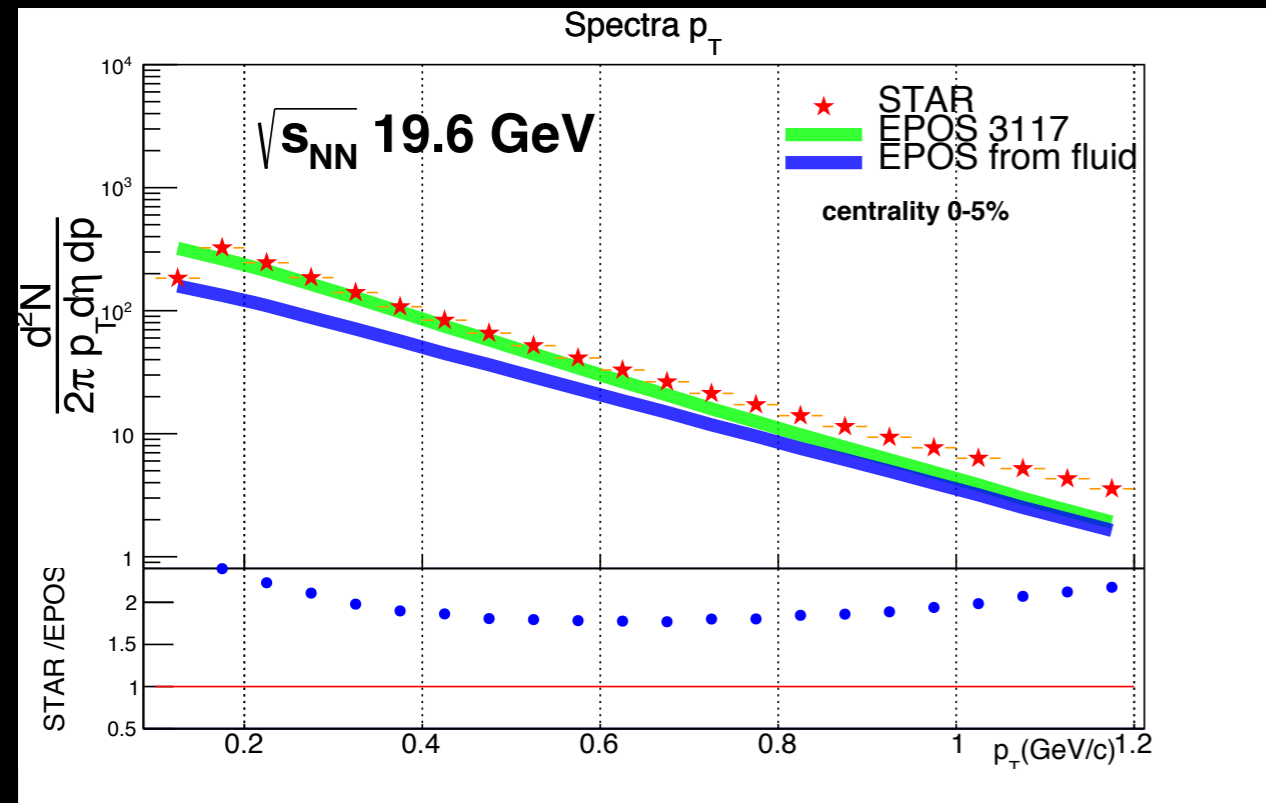
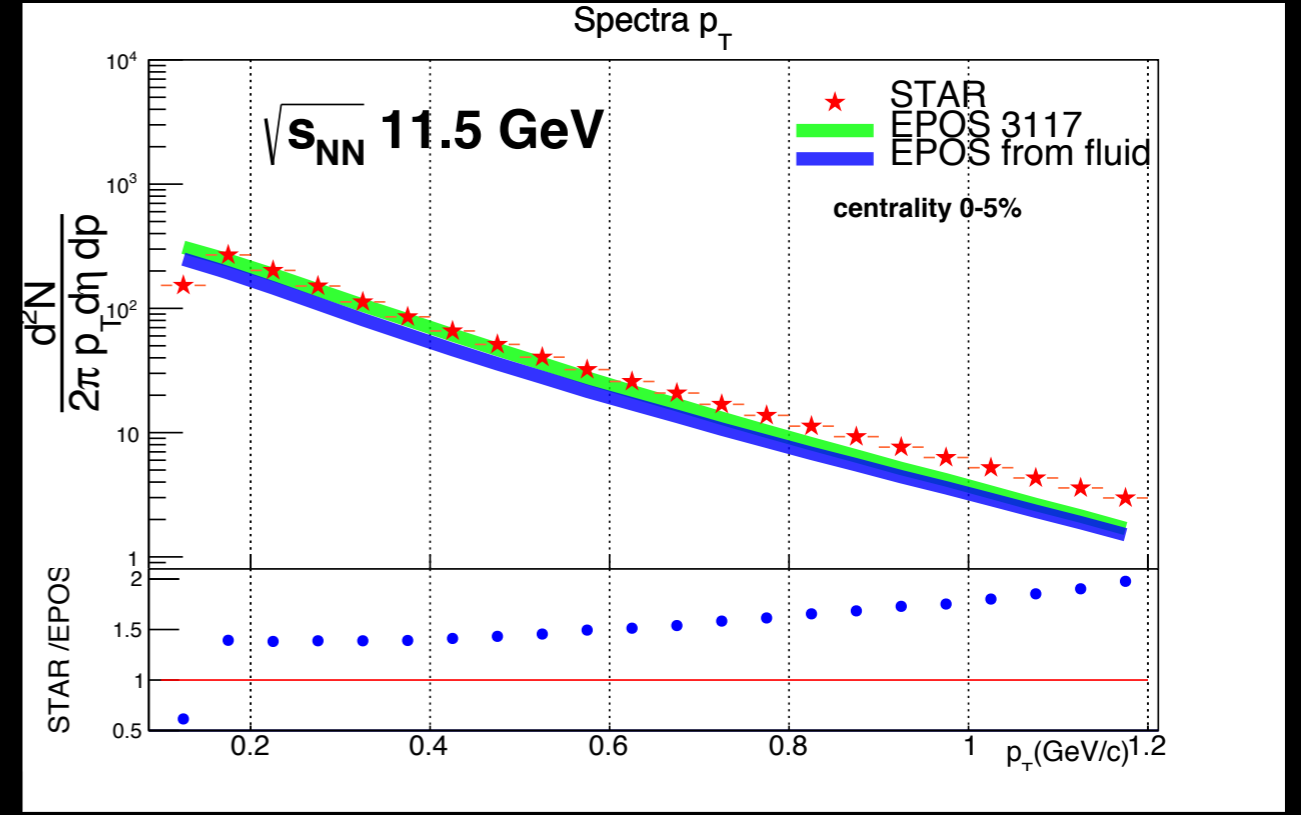
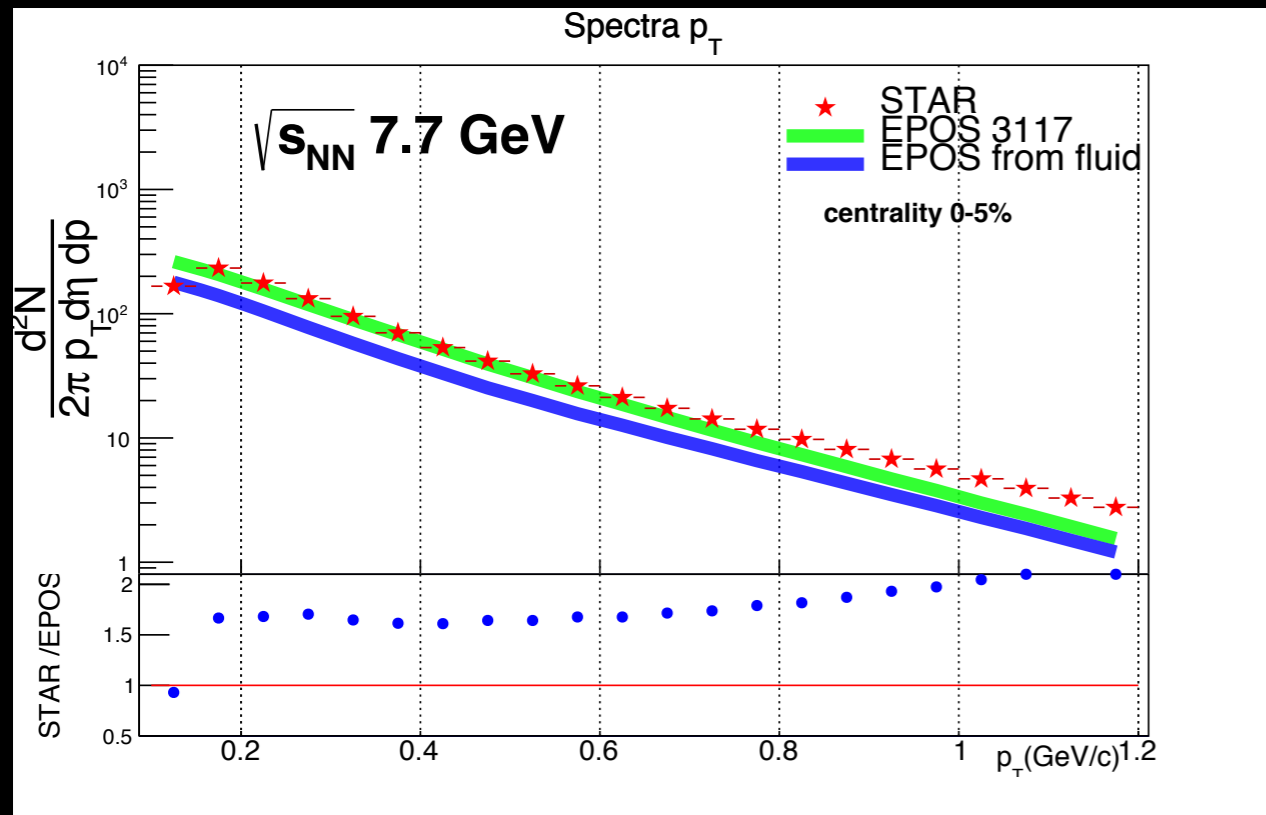


$$p_T = \sqrt{p_x^2 + p_y^2}$$

# Au+Au Analysis

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central 0-5%

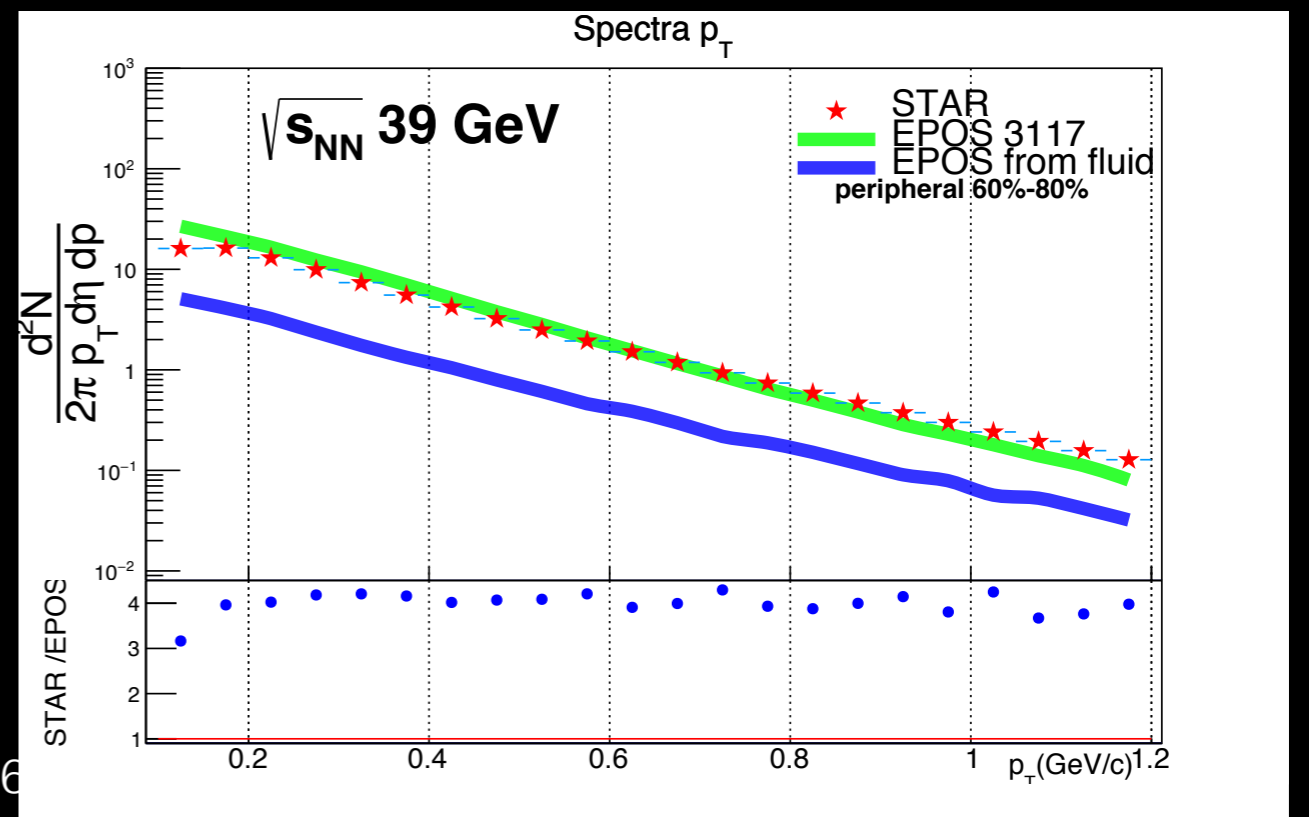
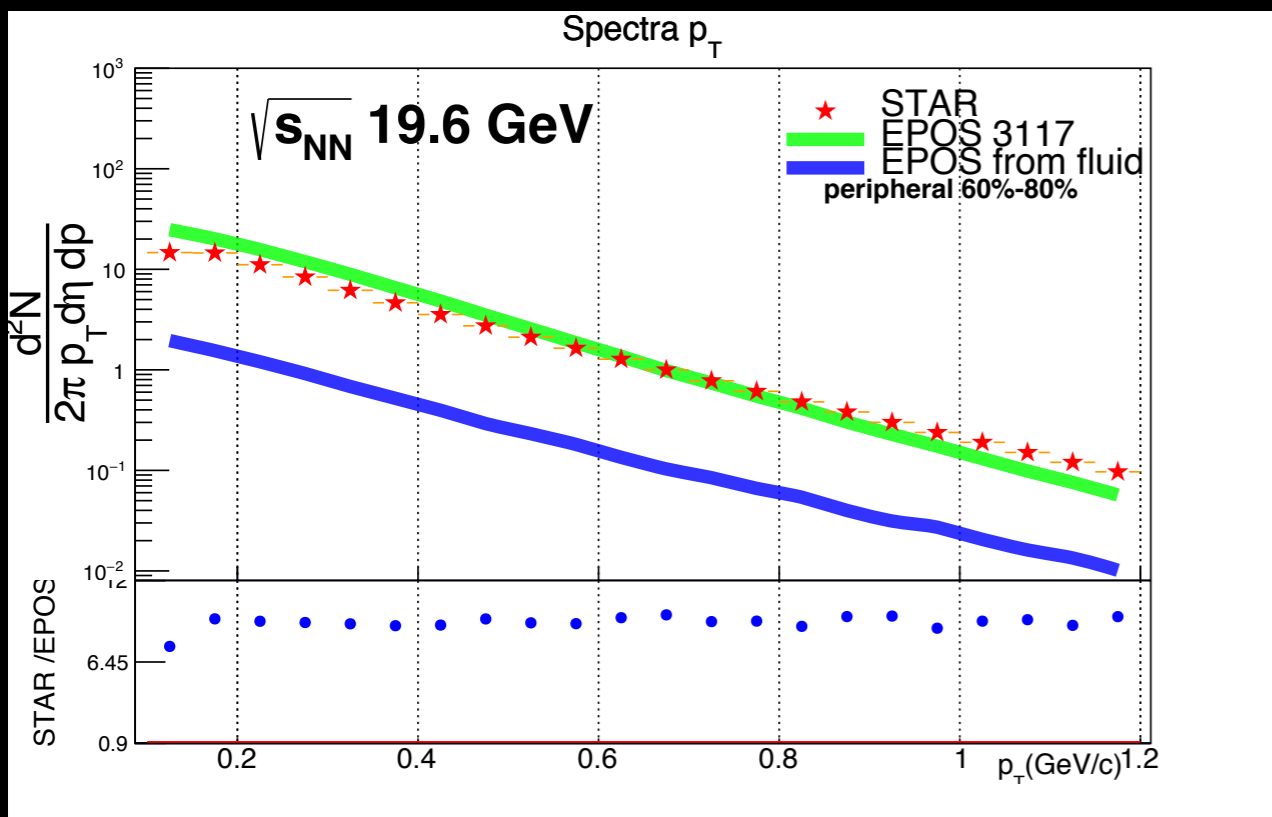
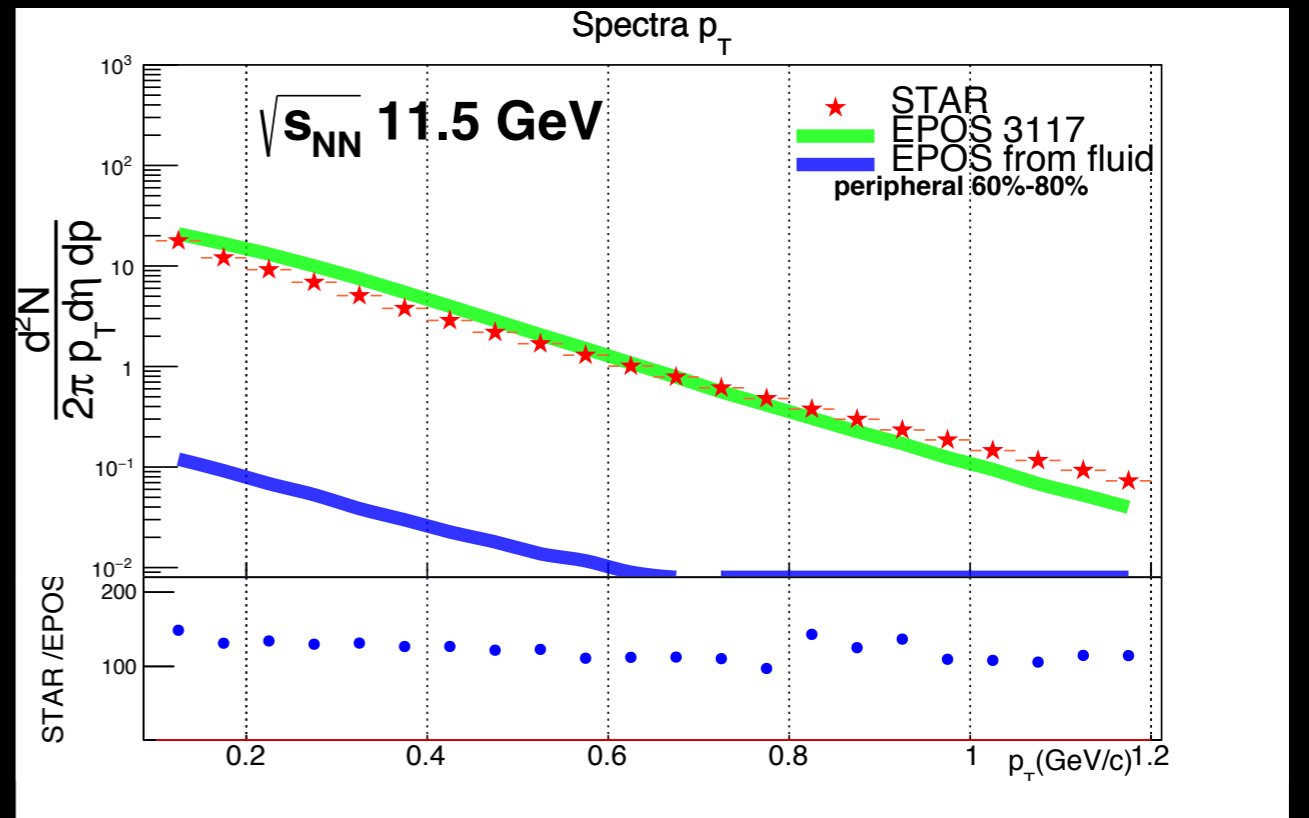
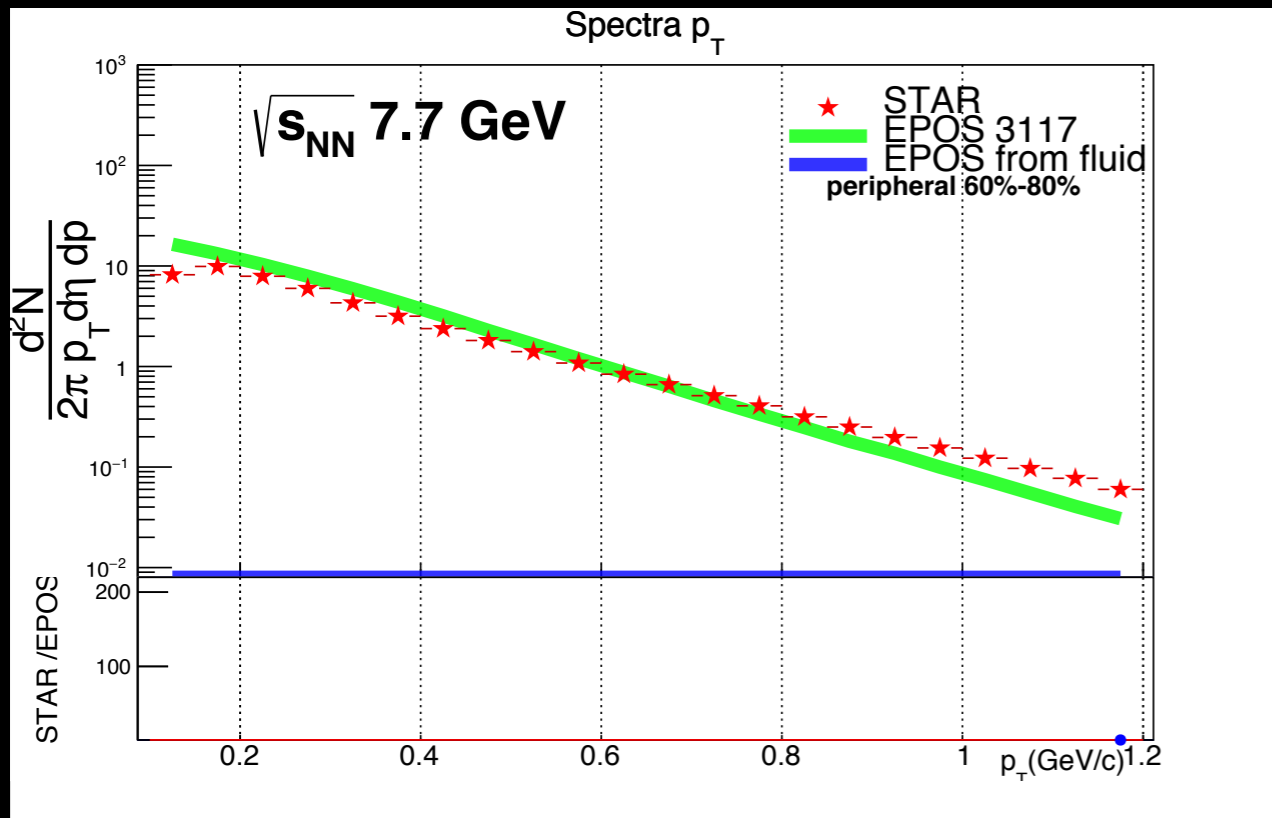


$$p_T = \sqrt{p_x^2 + p_y^2}$$

# Au+Au Analysis

STAR data : J. Phys. Conf. Ser., 446:012017, 2013

## peripheral 60%-80%

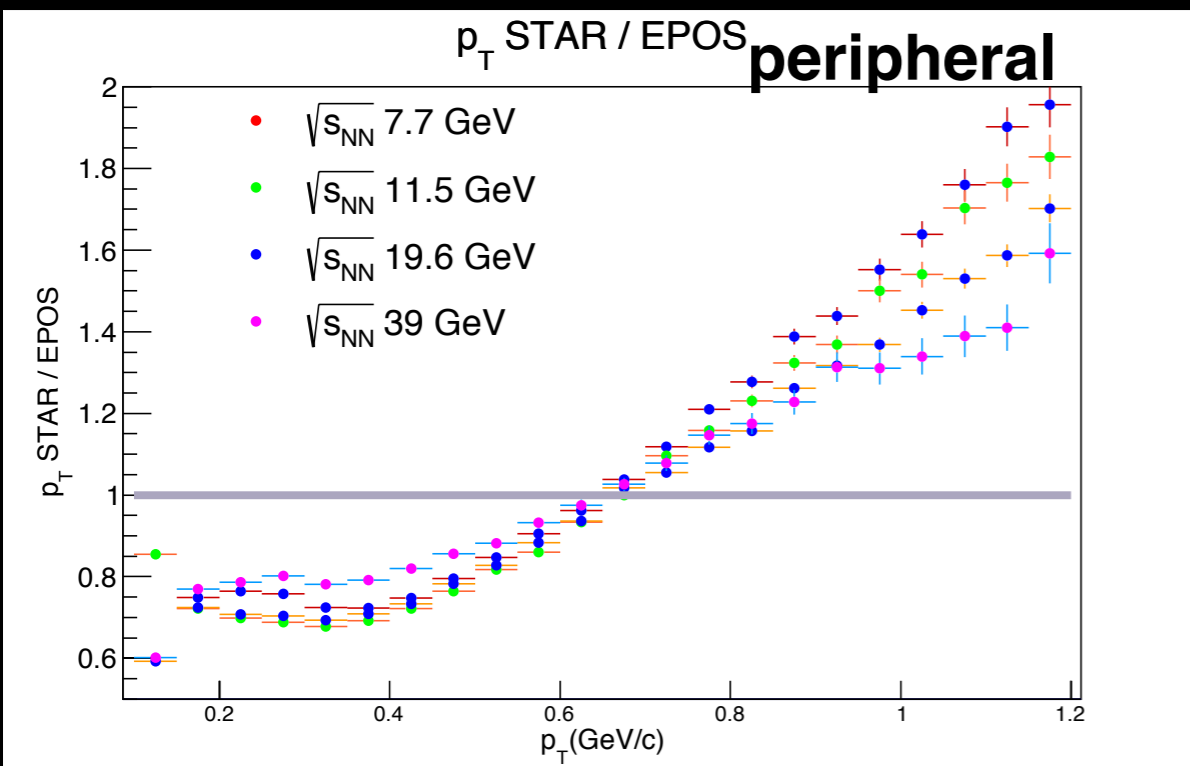
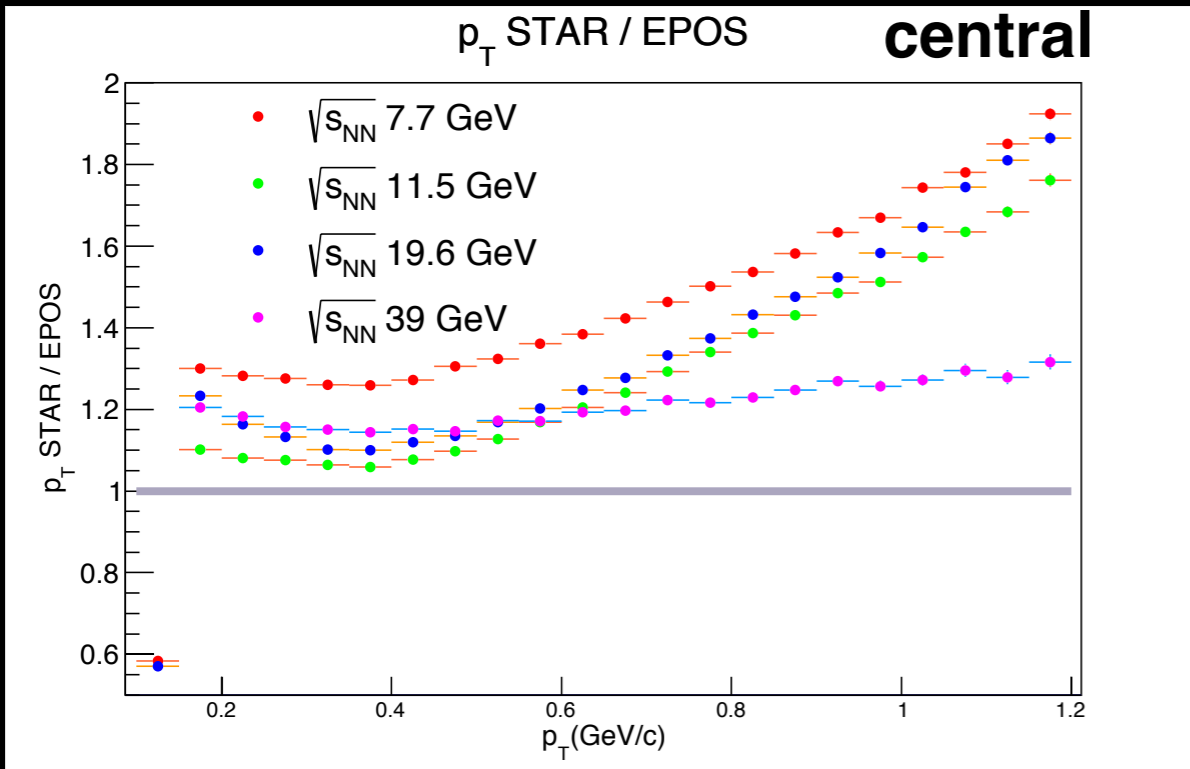




$$p_T = \sqrt{p_x^2 + p_y^2}$$

# Au+Au Analysis

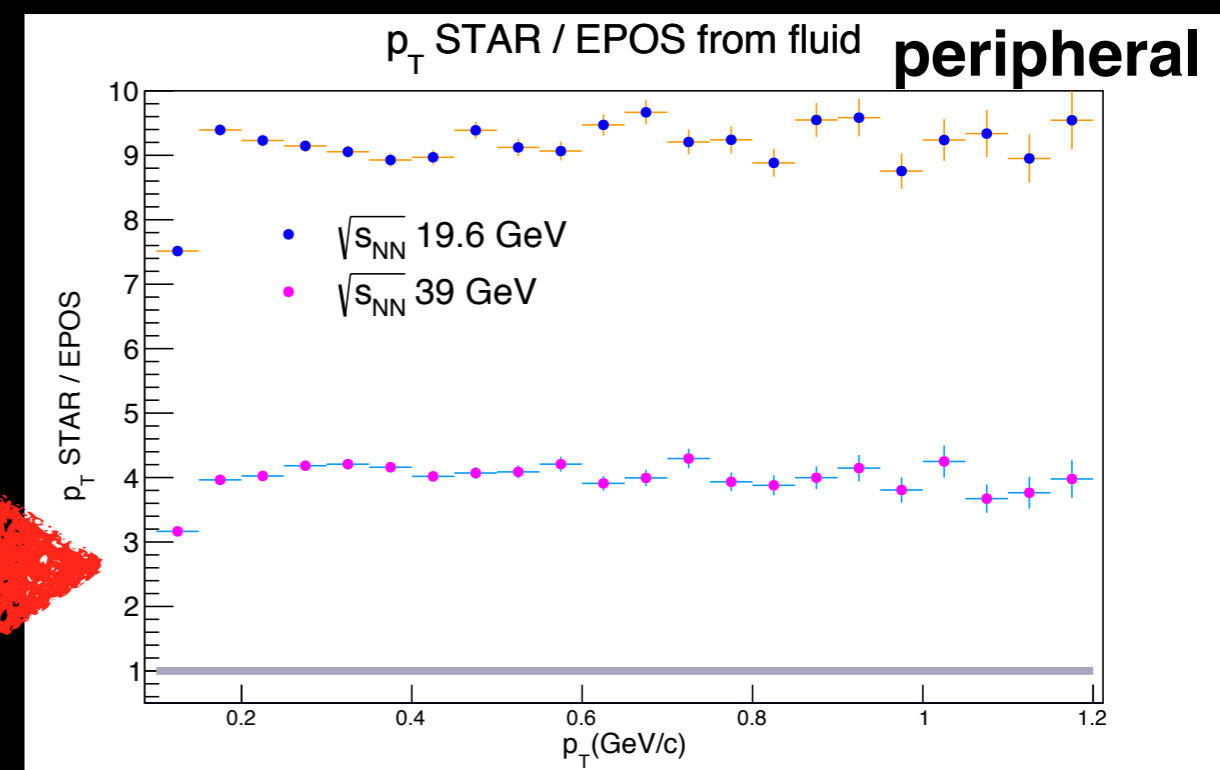
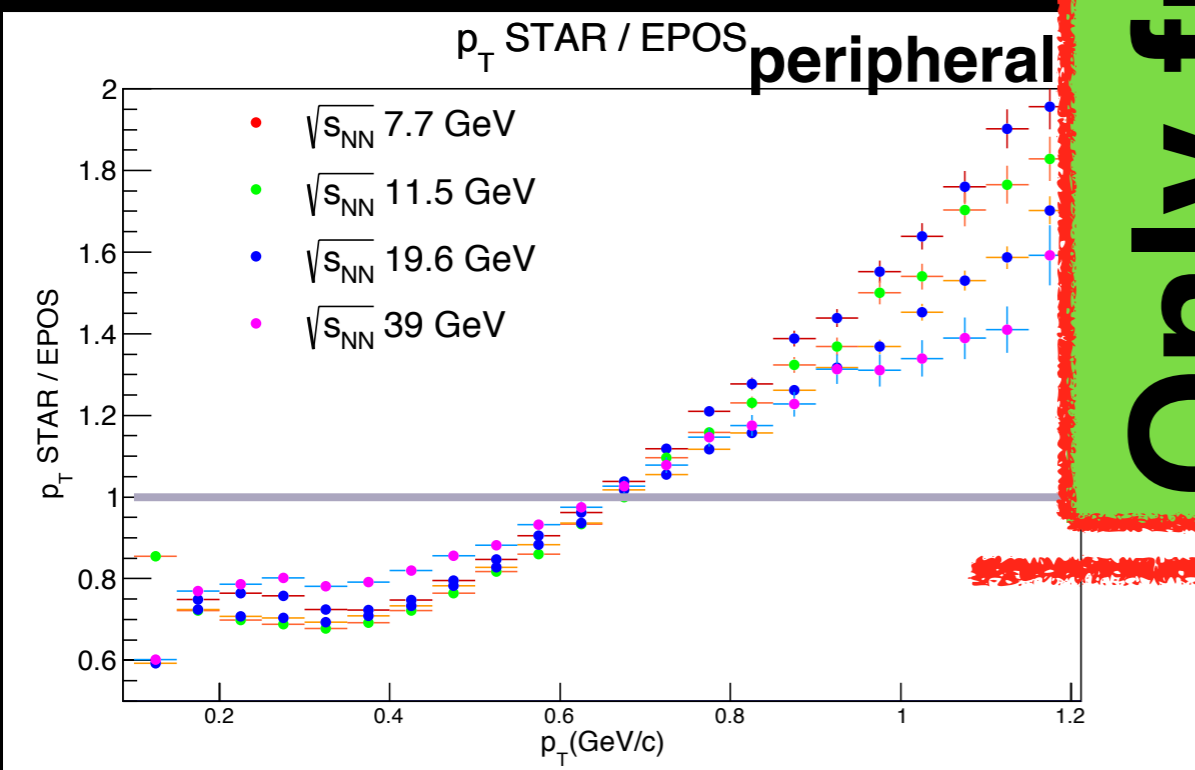
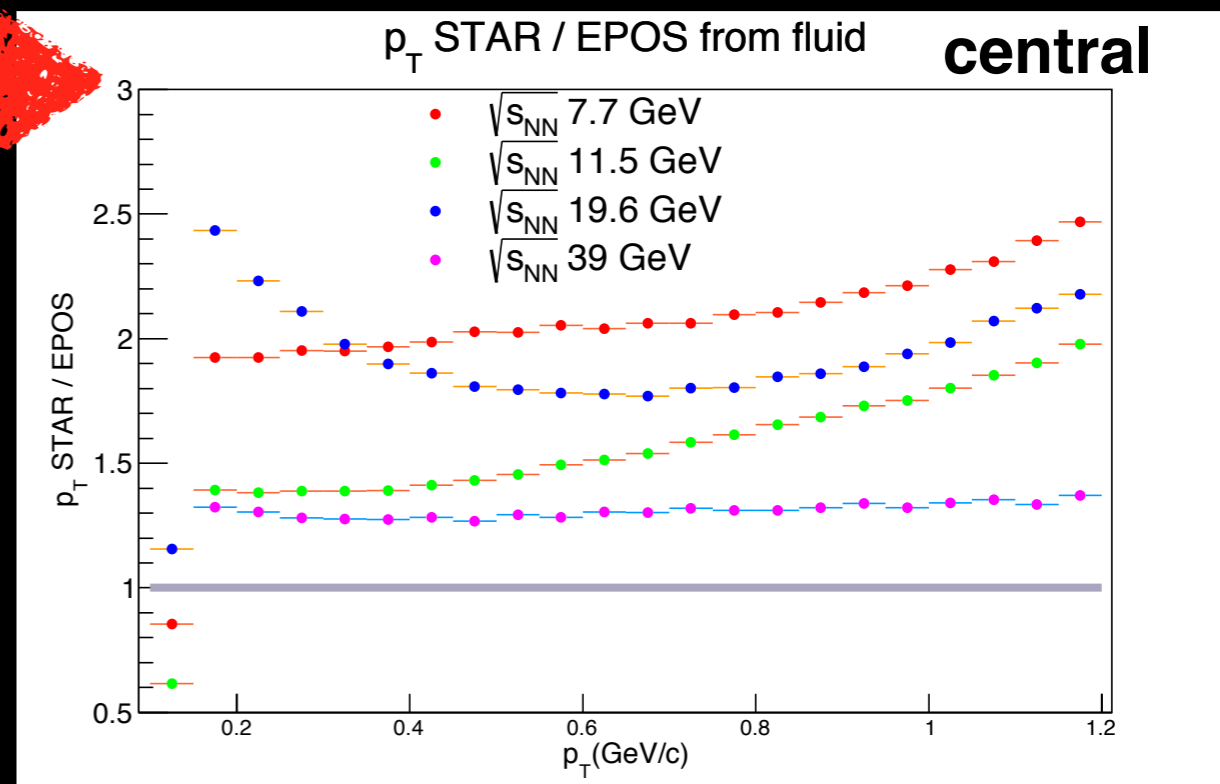
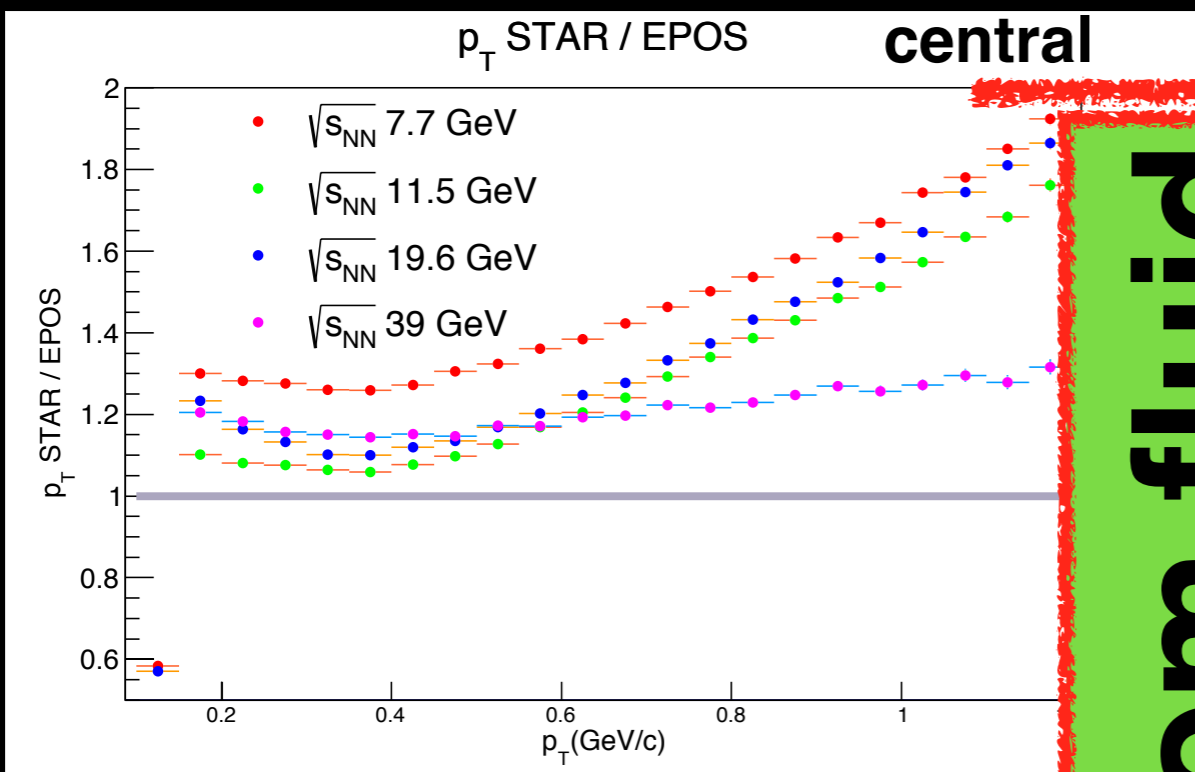
STAR data : J. Phys. Conf. Ser., 446:012017, 2013



$$p_T = \sqrt{p_x^2 + p_y^2}$$

# Au+Au Analysis

STAR data : J. Phys. Conf. Ser., 446:012017, 2013



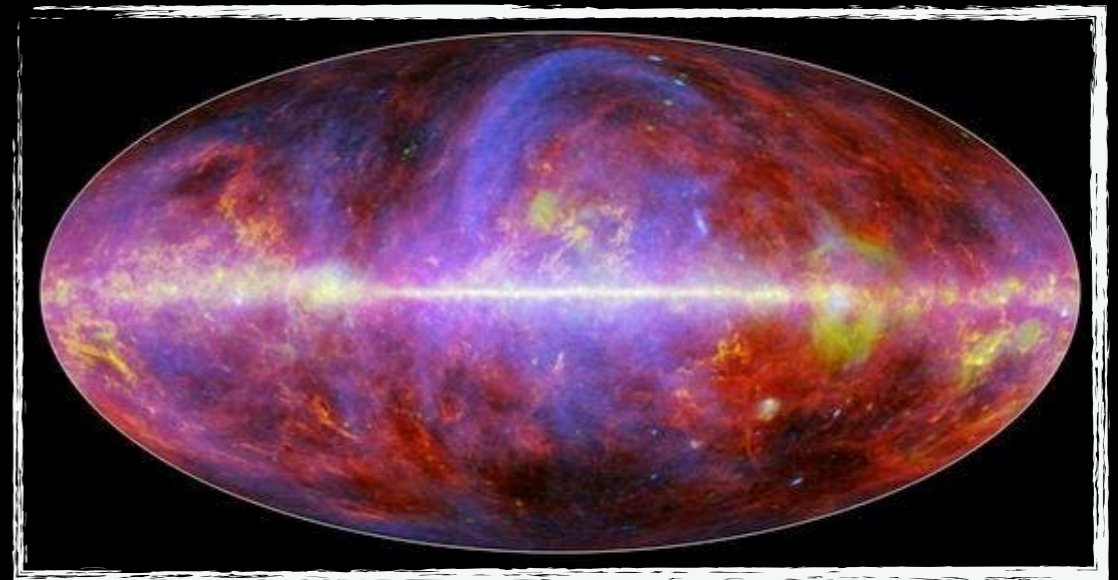
**Only from fluid**

# Analysis

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**HBT** method

R.**H**anbury **B**rown and R.Q.**T**wiss

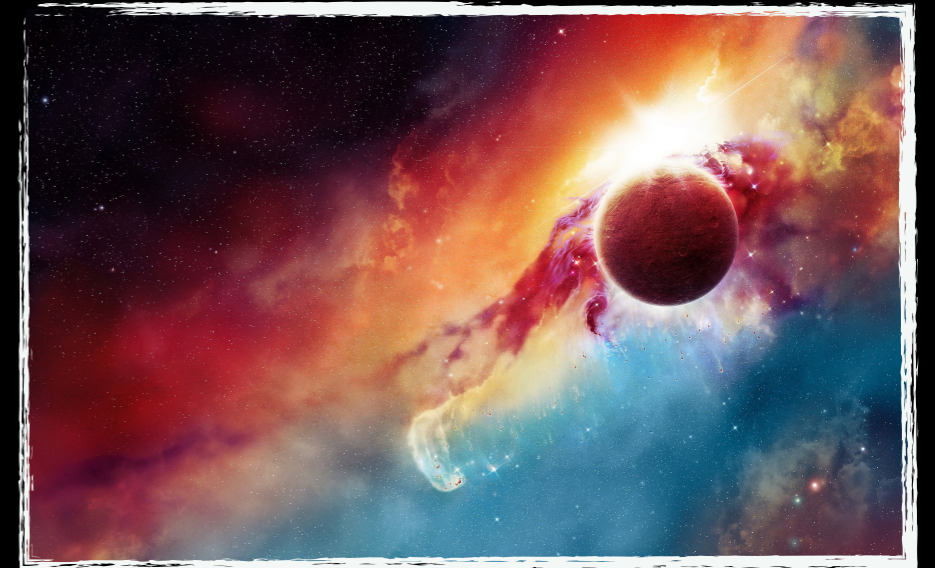


**HBT method**

# Analysis

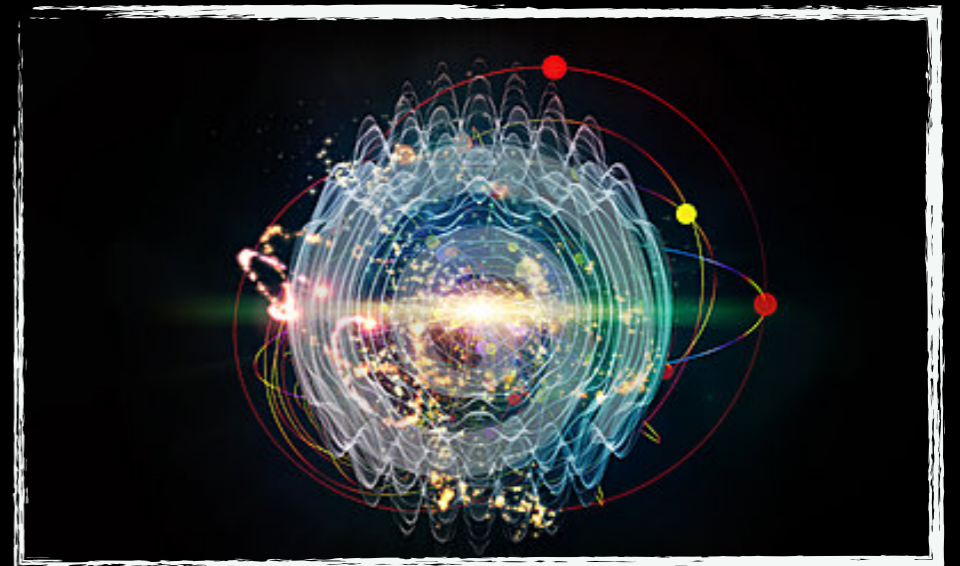
**HBT Method**

**$\sim 10^{15}$  m**



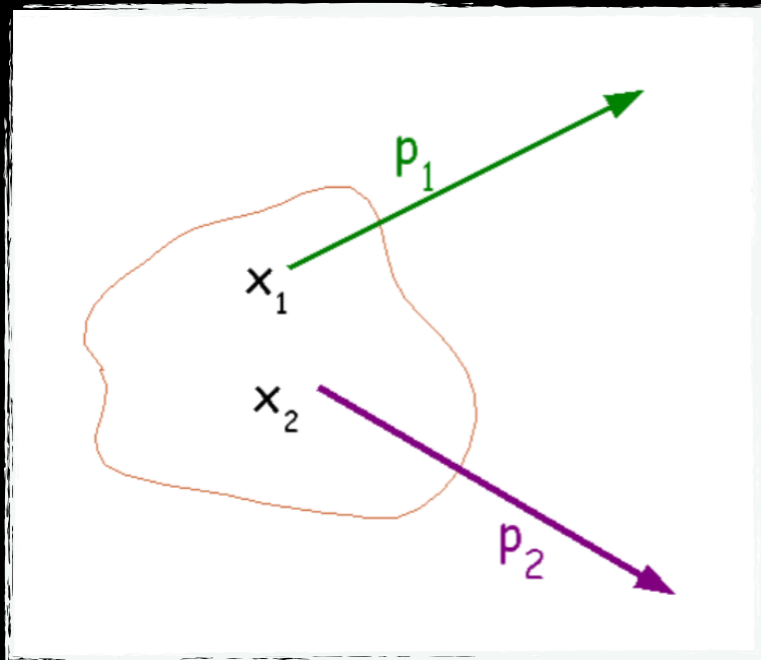
**Femtoscscopy correlations**

**$\sim 10^{-15}$  m**



## Two-particle distribution

$$P_2(p_1, p_2) = E_1 E_2 \frac{dN}{d^3 p_1 d^3 p_2} = \int d^4 x_1 S(x_1, p_1) d^4 x_2 S(x_2, p_2) \Phi(x_2, p_2 | x_1, p_1)$$



$$C(p_1, p_2) = \frac{P_2(p_1, p_2)}{P_1(p_1) P_1(p_2)}$$

## One-particle distribution

$$P_1(p) = E \frac{dN}{d^3 p} = \int d^4 x S(x, p)$$

**S(x,p)** – emission function: the distribution of source density probability of finding particle with x and p

In experiment:

**Signal, distribution of the difference of particles' momentums derived from the SAME collision**

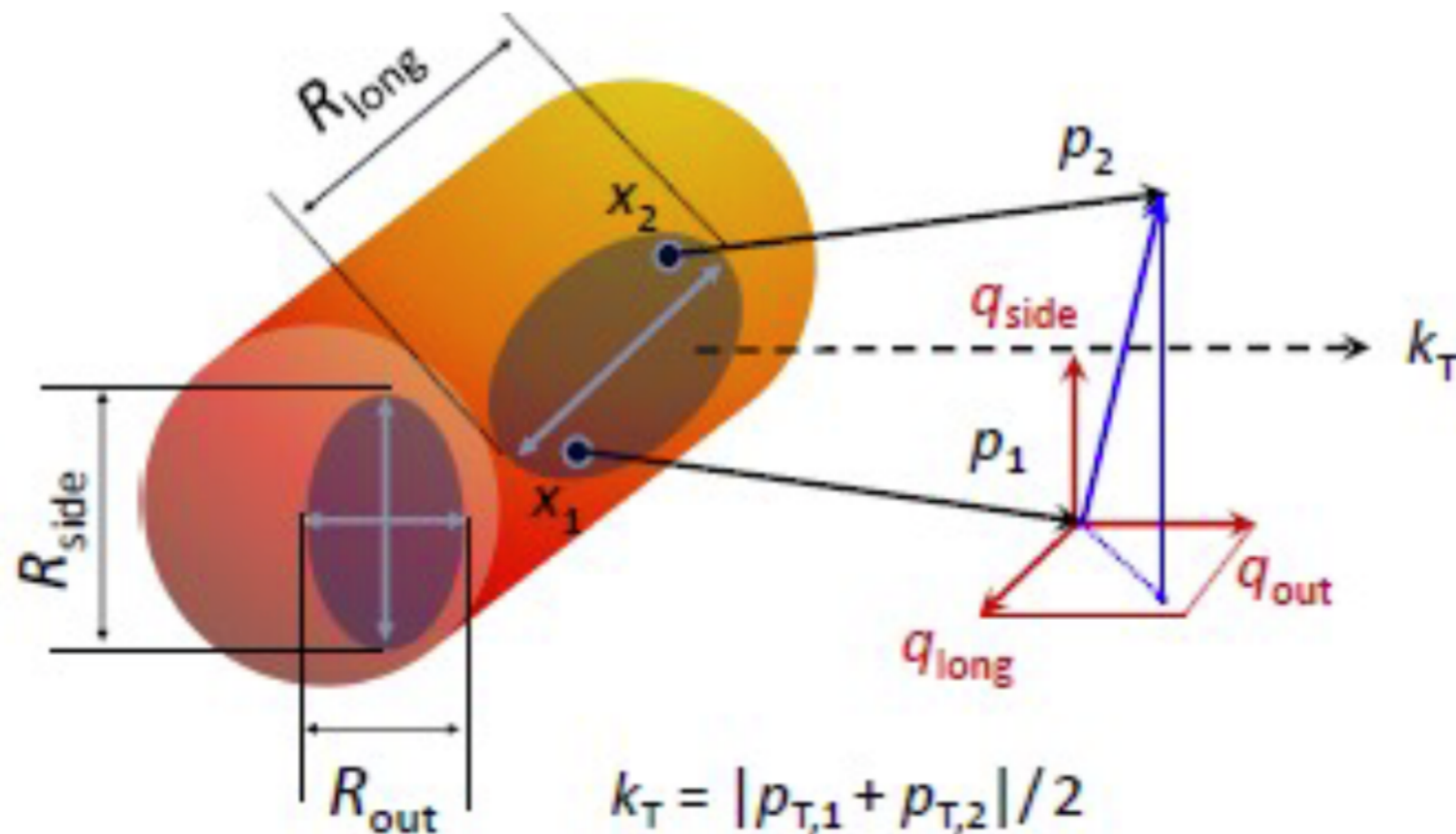
$$C_2(\vec{q}) = \frac{A(\vec{q})}{B(\vec{q})}$$

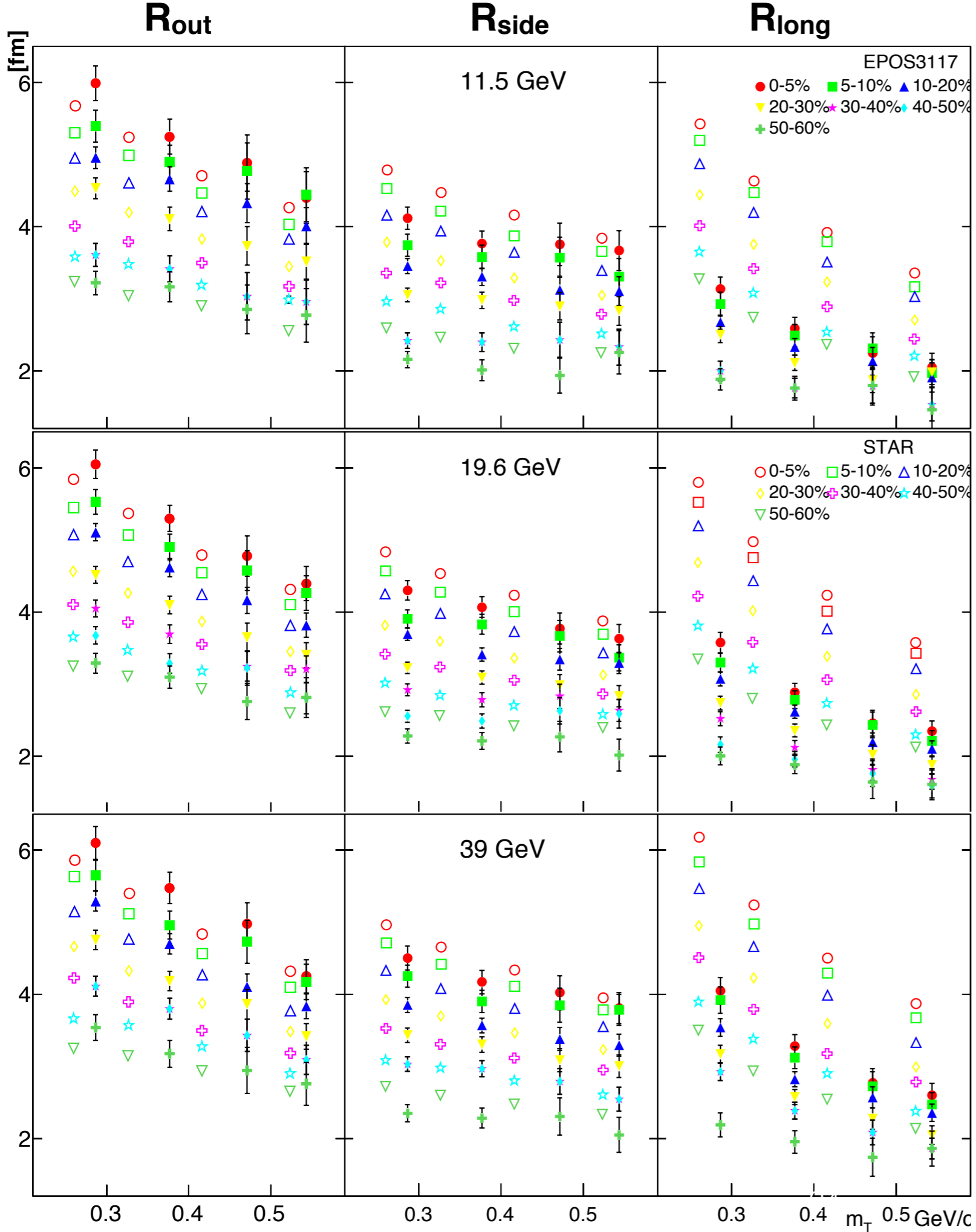
$$\vec{q} = \vec{p}_1 - \vec{p}_2$$

**Background, distribution of the difference of particles' momentums derived from DIFFERENT collisions**

Parametrization:

$$C(q_{out}, q_{side}, q_{long}, \lambda) = 1 + \lambda \exp(-q_{out}^2 r_{out}^2 - q_{side}^2 r_{side}^2 - q_{long}^2 r_{long}^2)$$

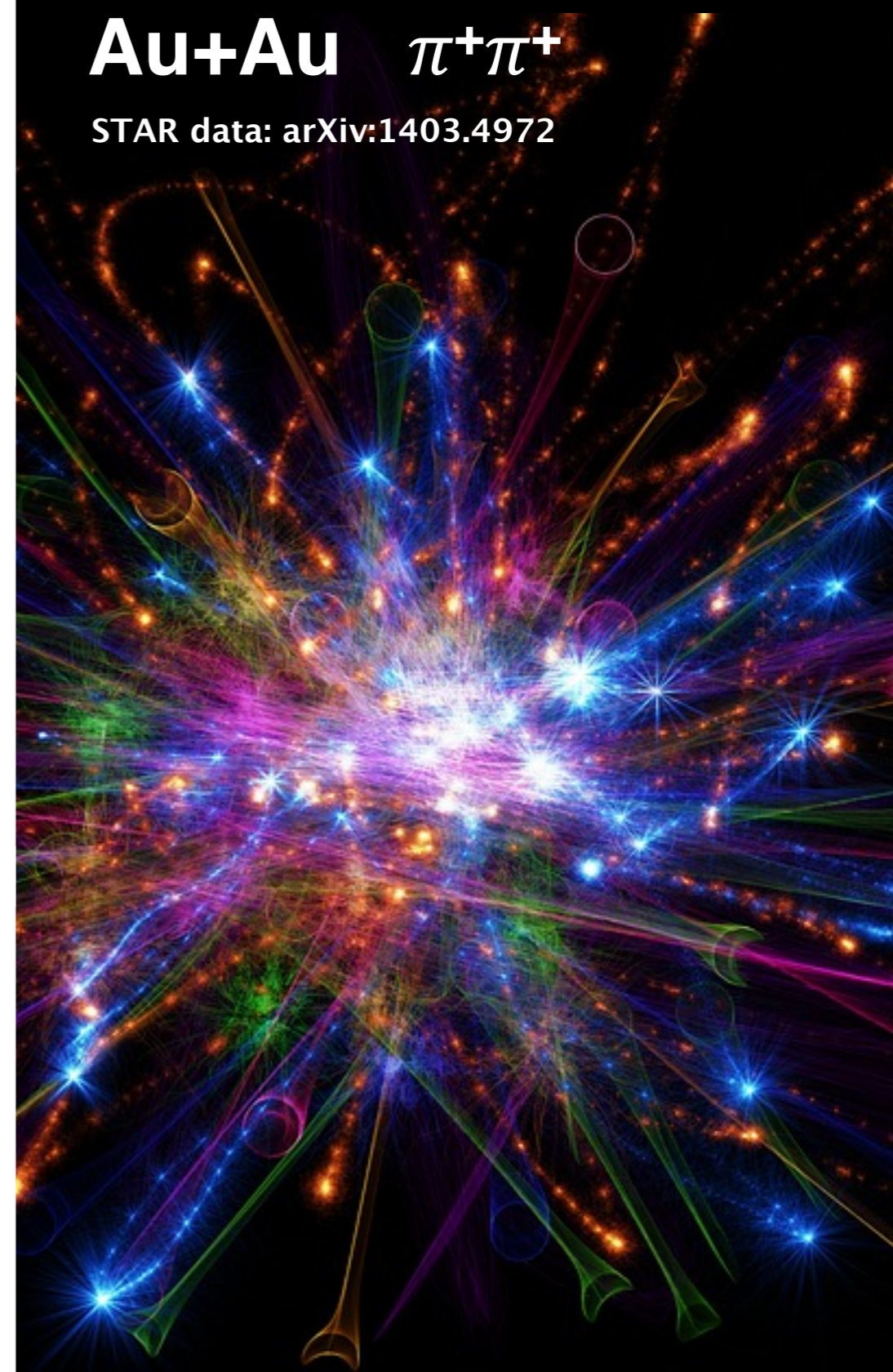




**HBT method**

**Au+Au**     $\pi^+\pi^+$

STAR data: arXiv:1403.4972

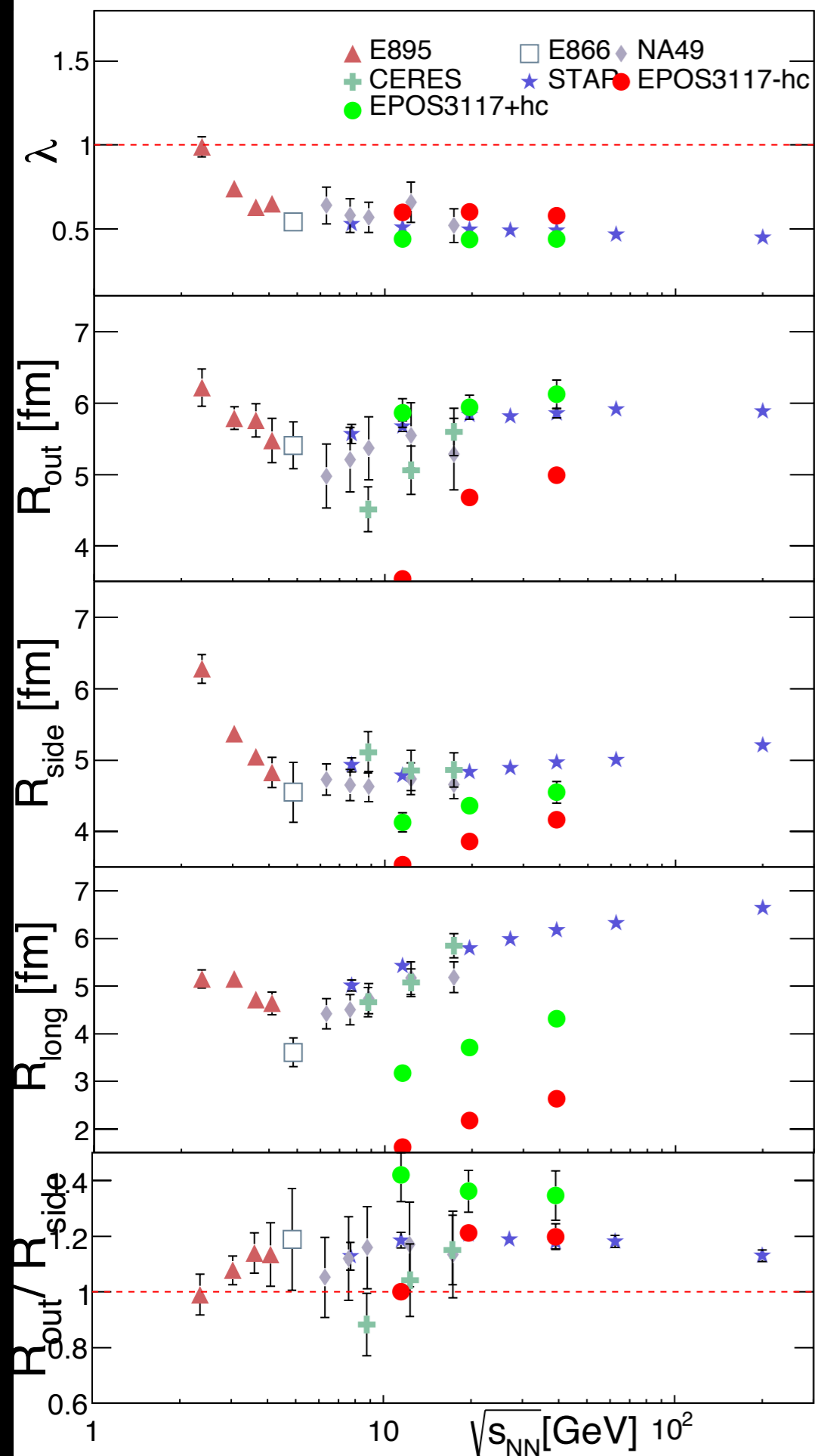




# Analysis

**HBT** method

arXiv:1403.4972



**Lambda comparable!**

**$R_{out}$  comparable!**

**$R_{side}$  slightly lower**

**$R_{long}$  relevantly lower**

**Impact of the *hadron cascades***

**Au+Au  $\pi^+\pi^+$   $k_T \approx 0.225$  GeV/c**

# Elliptic flow

# Analysis

## - event plane method

One way of studying the azimuthal anisotropy is the Fourier decomposition, where each of coefficients reports to the shape of matter flow.

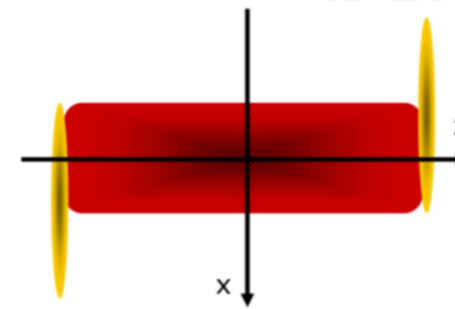
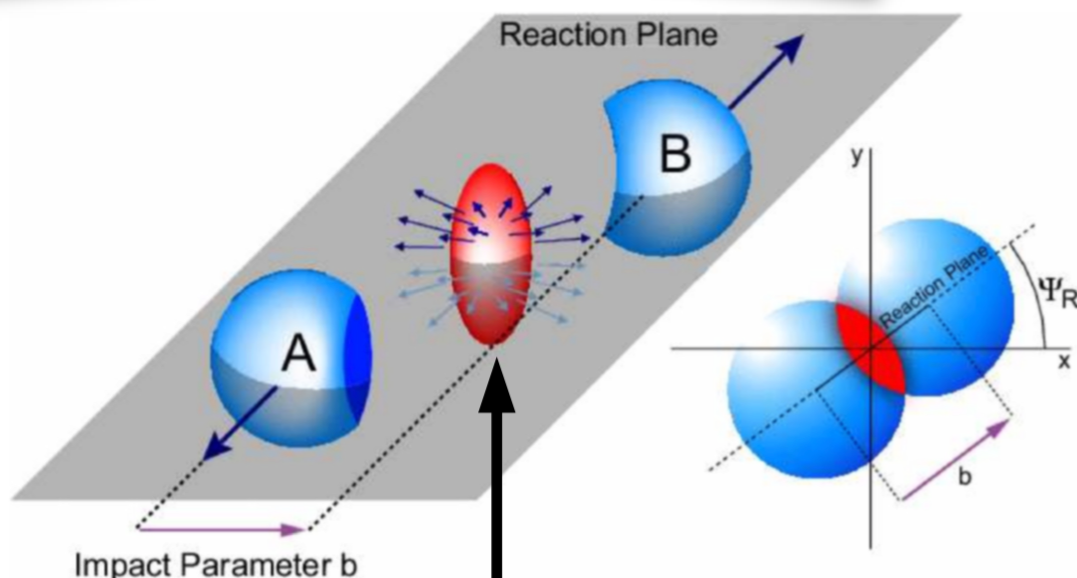
$$\frac{dN}{d(\phi - \Phi_{RP})} = \frac{N_0}{2\pi} \left( 1 + 2 \sum_{n=1}^{\infty} v_n \cos[(\phi - \Phi_{RP})] \right)$$

$N_0$  - number of particles

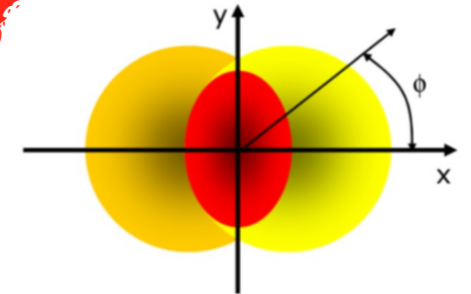
$v_n$  - n-th harmonic coefficient

$\phi$  - azimuthal angle of particles

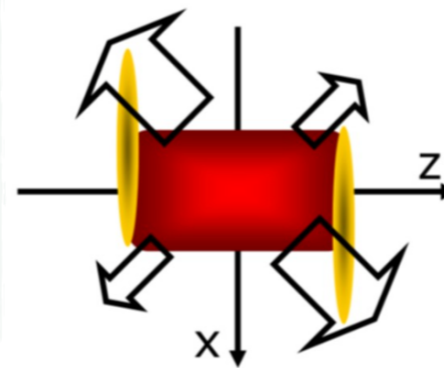
$\Phi_{RP}$  - azimuthal angle of the reaction plane



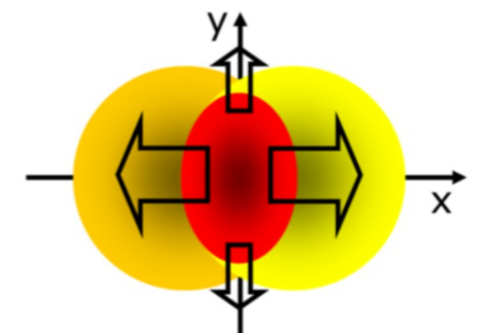
(a) In the reaction plane



(b) In the transverse plane



(a) First harmonic  $v_1$



(b) Second harmonic  $v_2$

- Estimate *event plane* with equation (Fourier coefficient  $n = 2$ , elliptic flow)

$$\Phi_2 = \tan^{-1} \left( \frac{\sum_i w_i \sin(2\phi_i)}{\sum_i w_i \cos(2\phi_i)} \right) / 2$$

In analyze of elliptic flow were used  $\eta$ -sub method:

- from all measured particles there are selected two groups with "forward" and "backward" pseudorapidity with a gap between them.
- To express the observed  $v_2$  of particles with respect to already investigated event plane one uses:

$$v_2^{obs}(p_T, y) = \langle \cos[2(\phi_i - \Phi_2)] \rangle$$

- As a consequence of the final multiplicity limitation in the investigation of the angle of the reaction plane, the correction of  $v_2$  with event plane resolution have to be done.

$$R_2 = \sqrt{\langle \cos[2(\Phi_2^A - \Phi_2^B)] \rangle}$$

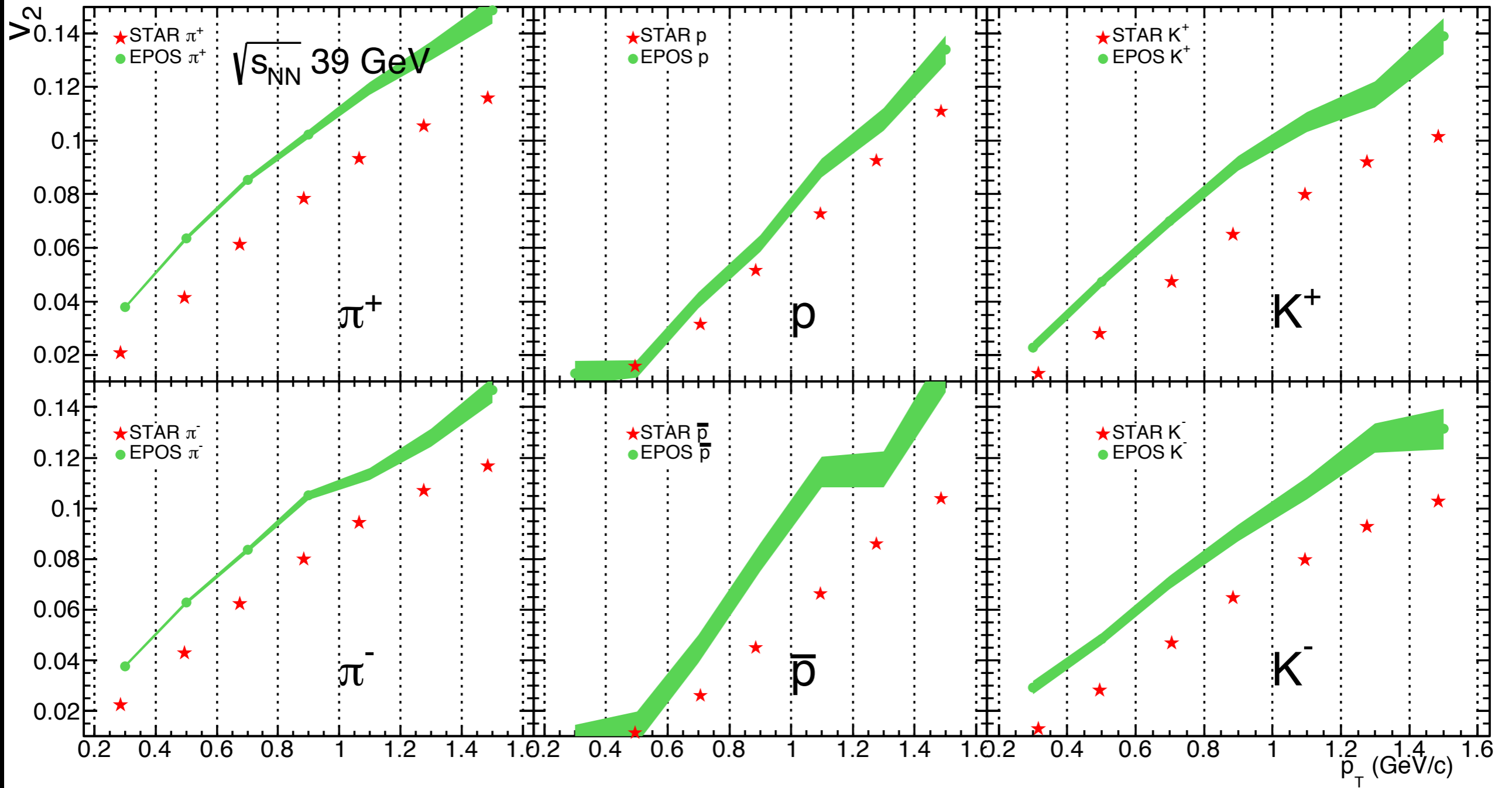
$\Phi_n^A$  - event plane calculated only using "forward-pseudorapidity" particles while  
 $\Phi_n^B$  - with "backward-pseudorapidity" ones.

- Finally:

$$v_2 = \frac{v_2^{obs}}{R_2}$$

# Elliptic flow

# Analysis



**Au+Au**

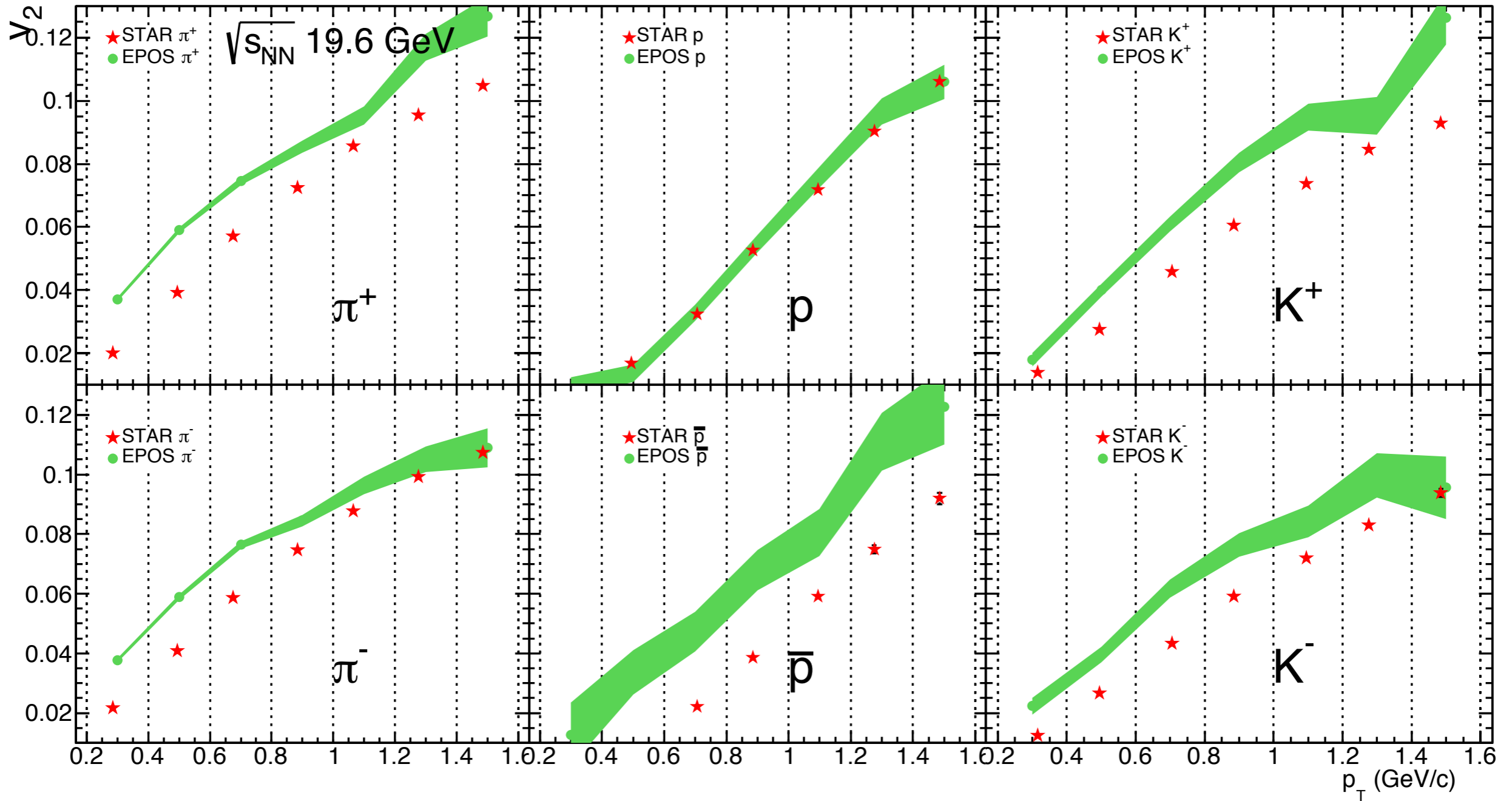
centrality: 0-80%

$p \in (0.15, 5 \text{ GeV/c})$

$|\eta| \in (0.05, 1)$

# Elliptic flow

# Analysis



**Au+Au**

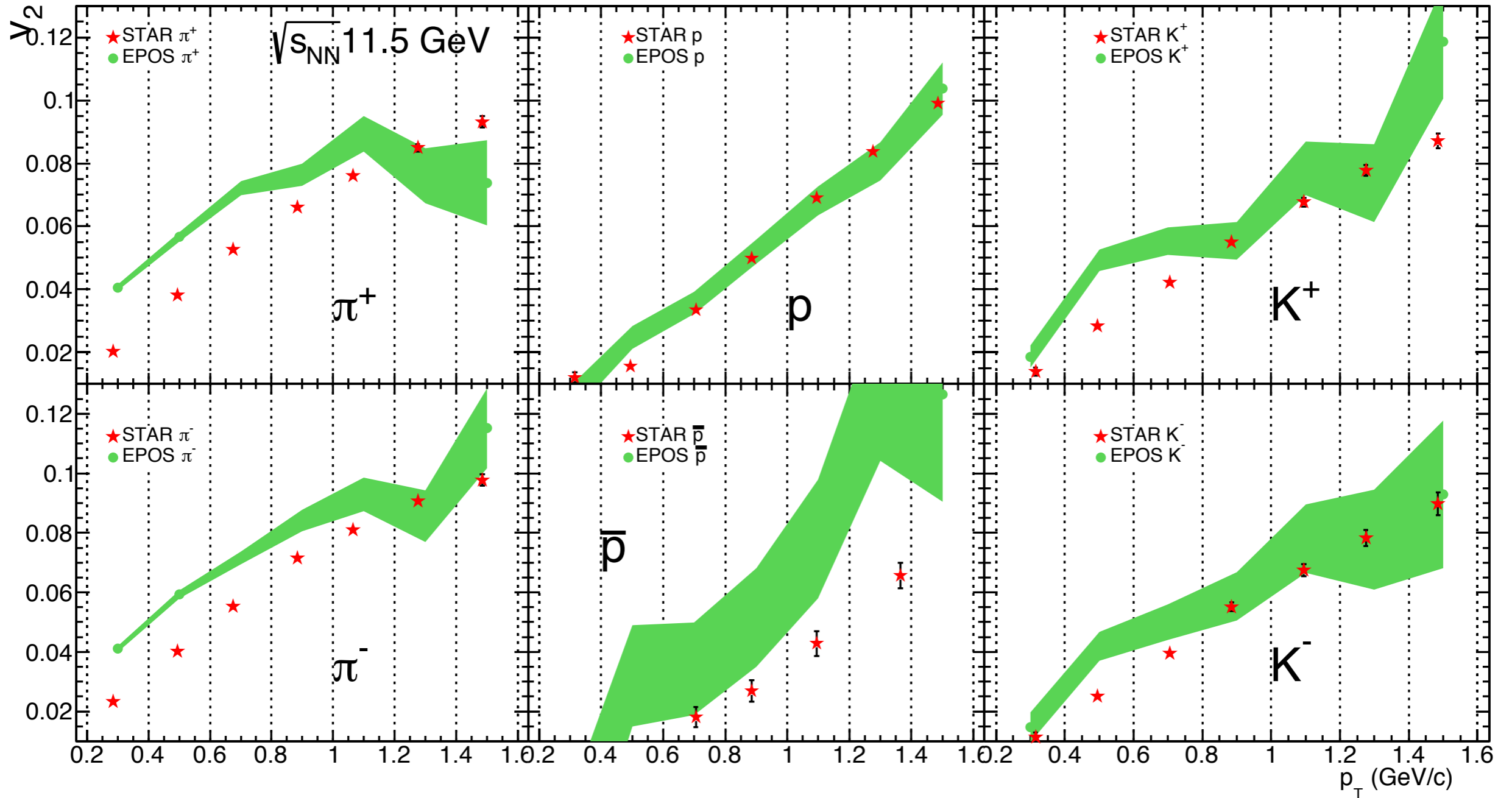
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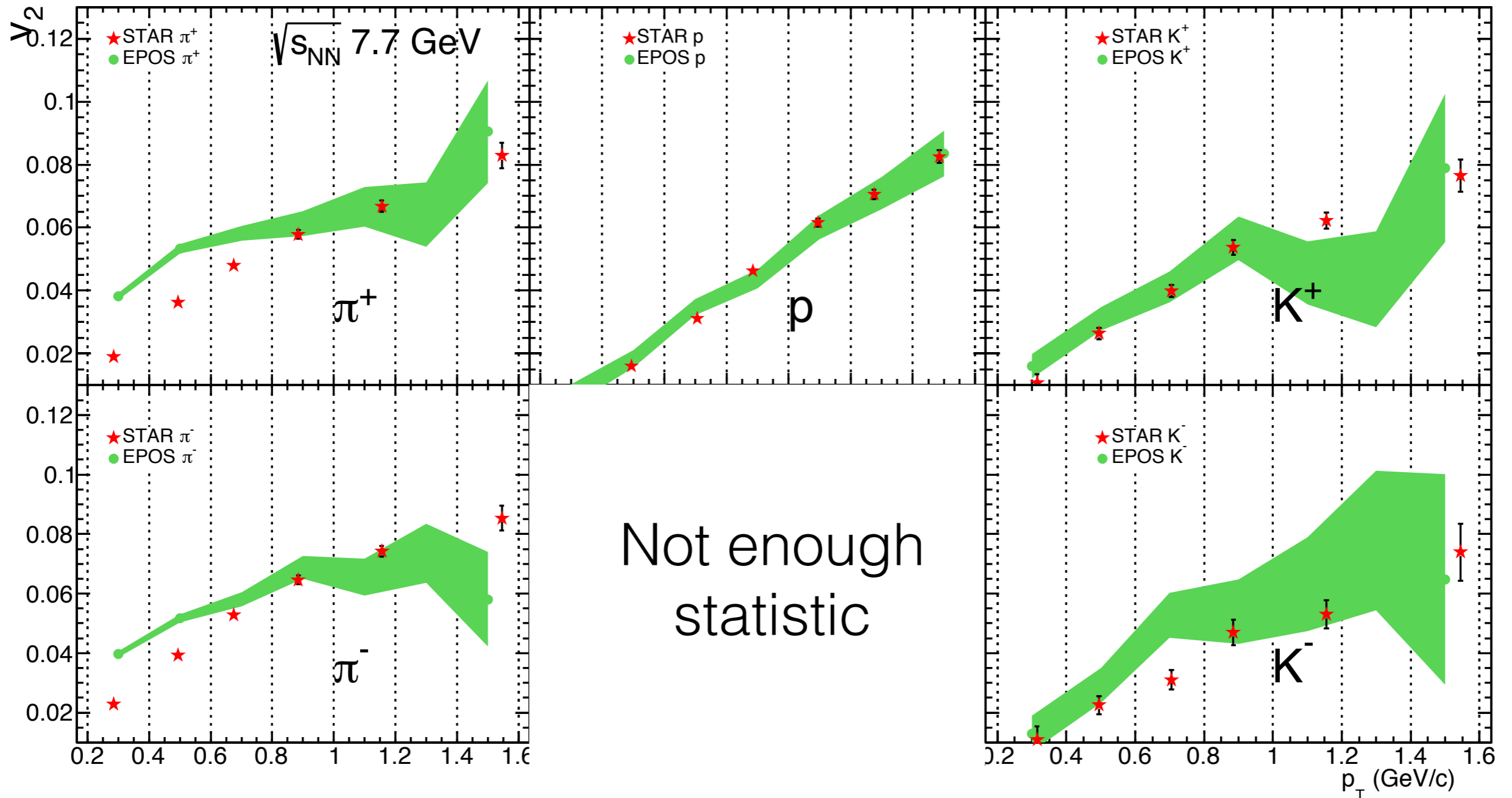
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# Elliptic flow

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# Conclusion

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- Three different methods were used:
  - transverse momentum spectra
  - elliptic flow
  - femtoscopy correlations
- Decreasing energy of collision results in more relevant differences between simulated and STAR data?

**$p_T$  spectra:** Not enough particles created in fluid in case of the peripheral collisions

**femtoscopy:**

- Relevant discrepancy in  $R_{long}$  between the simulated and experimental data
- Huge impact of the hadron cascades on the homogeneity length

**elliptic flow:**

- too high values for the lighter particles
- protons in range of expectation



# Plans



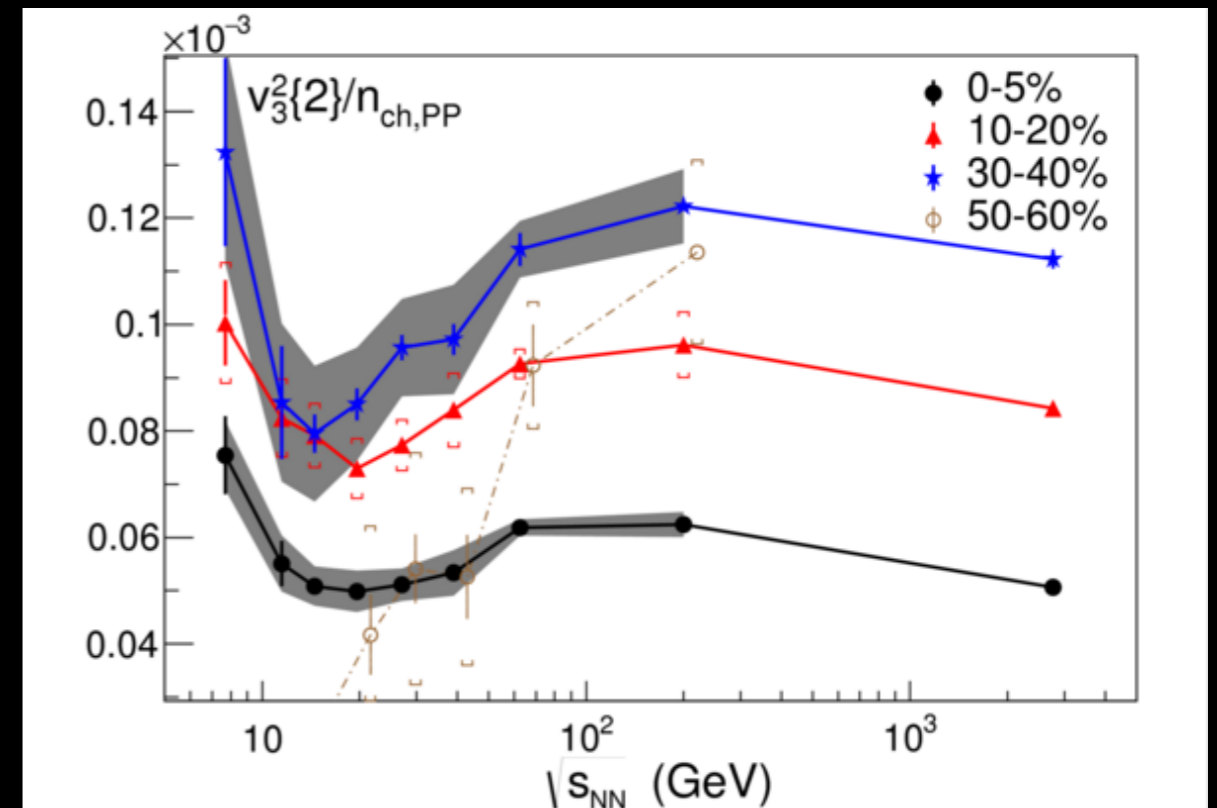
# Triangular flow

Particularly sensitive to the presence of QGP phase

The development of  $v_3^2\{2\}$  relies strongly on the presence of a low viscosity QGP phase early in the collision

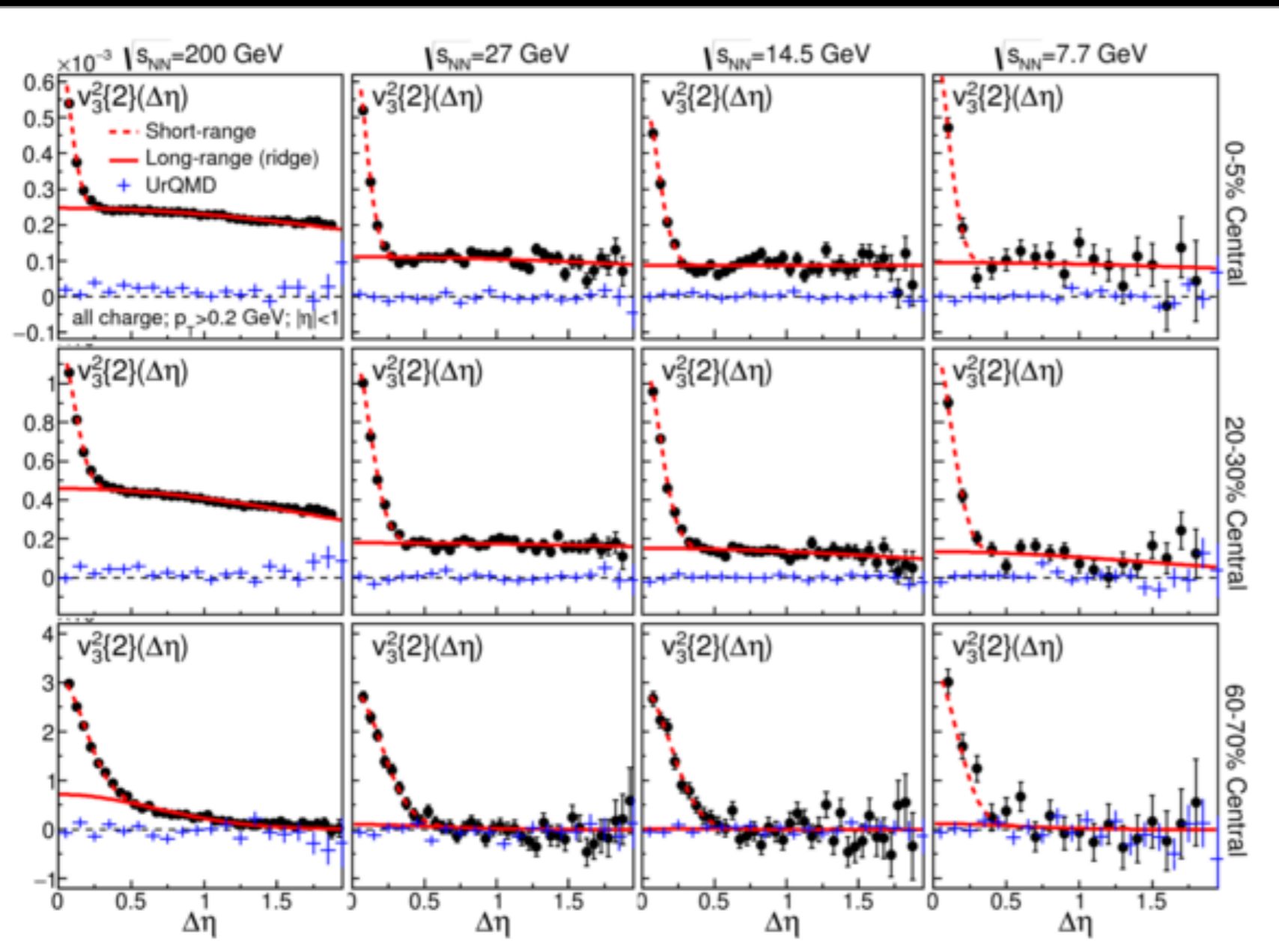
arXiv:1601.01999v1 [nucl-ex] 8 Jan 2016

Ideal observable to probe the formation of QGP



# Triangular flow

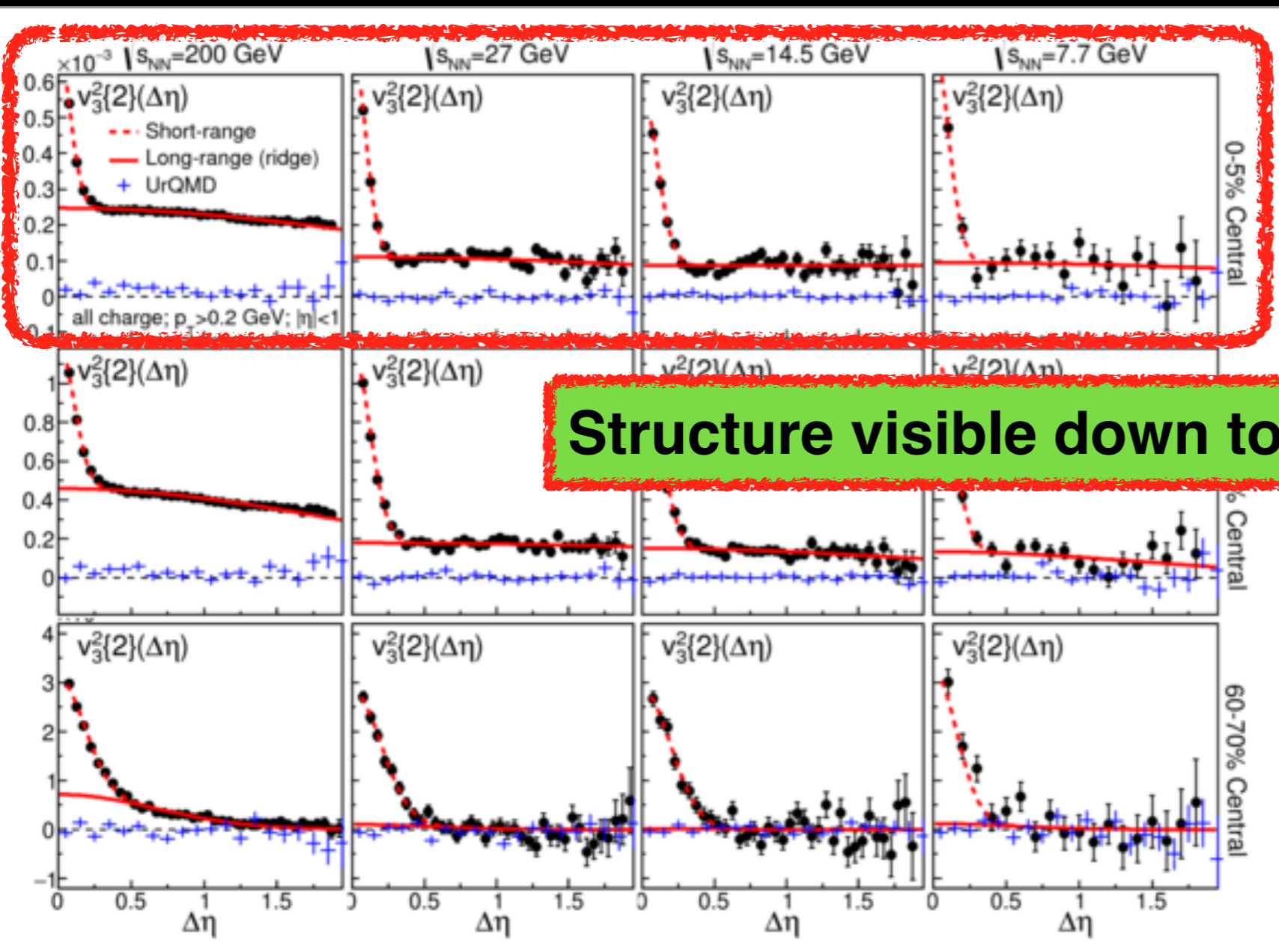
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# Triangular flow

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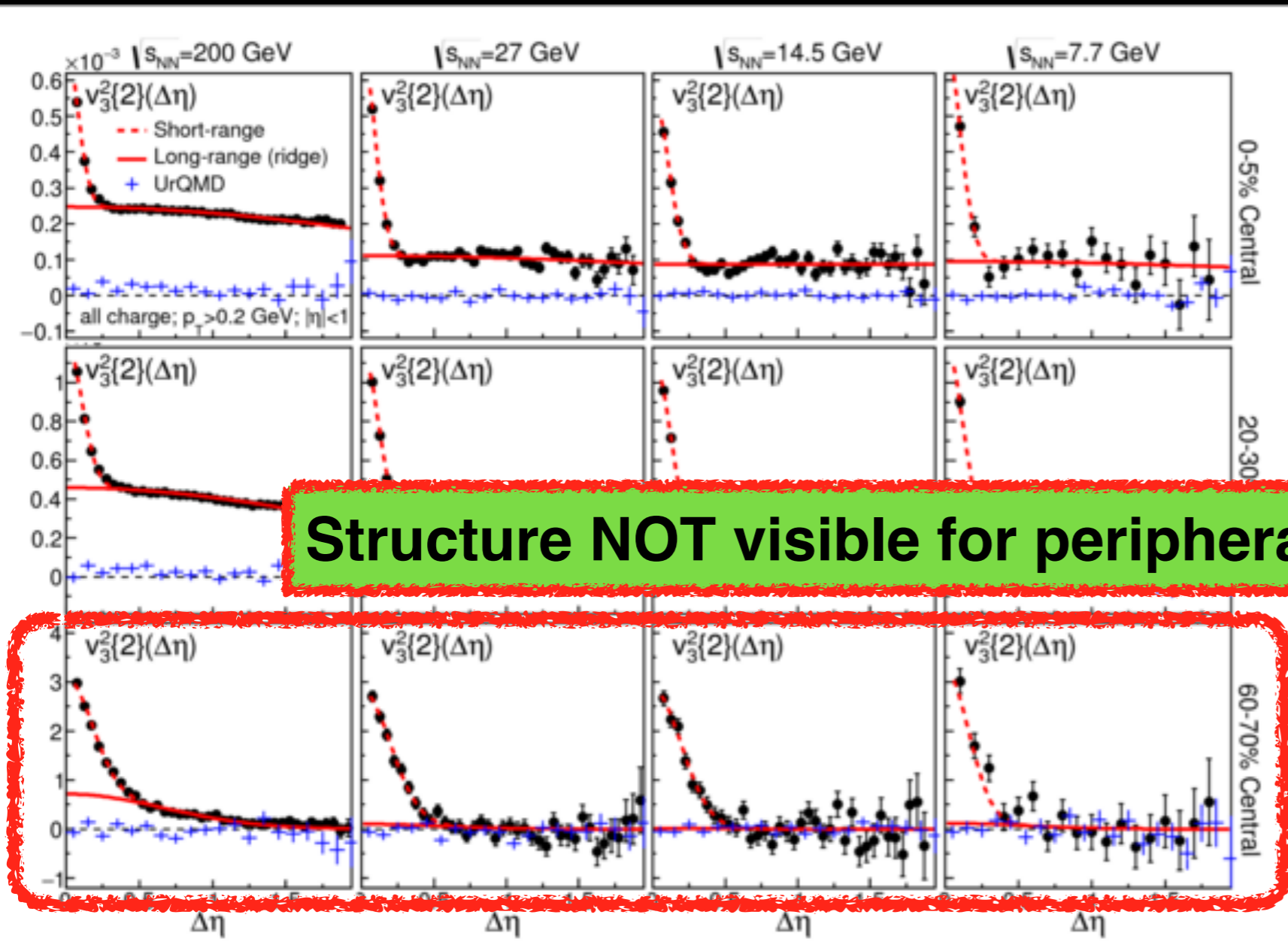
- **Ridge** - non-zero values at larger  $\Delta \eta$  caused by long-range correlations



# Triangular flow

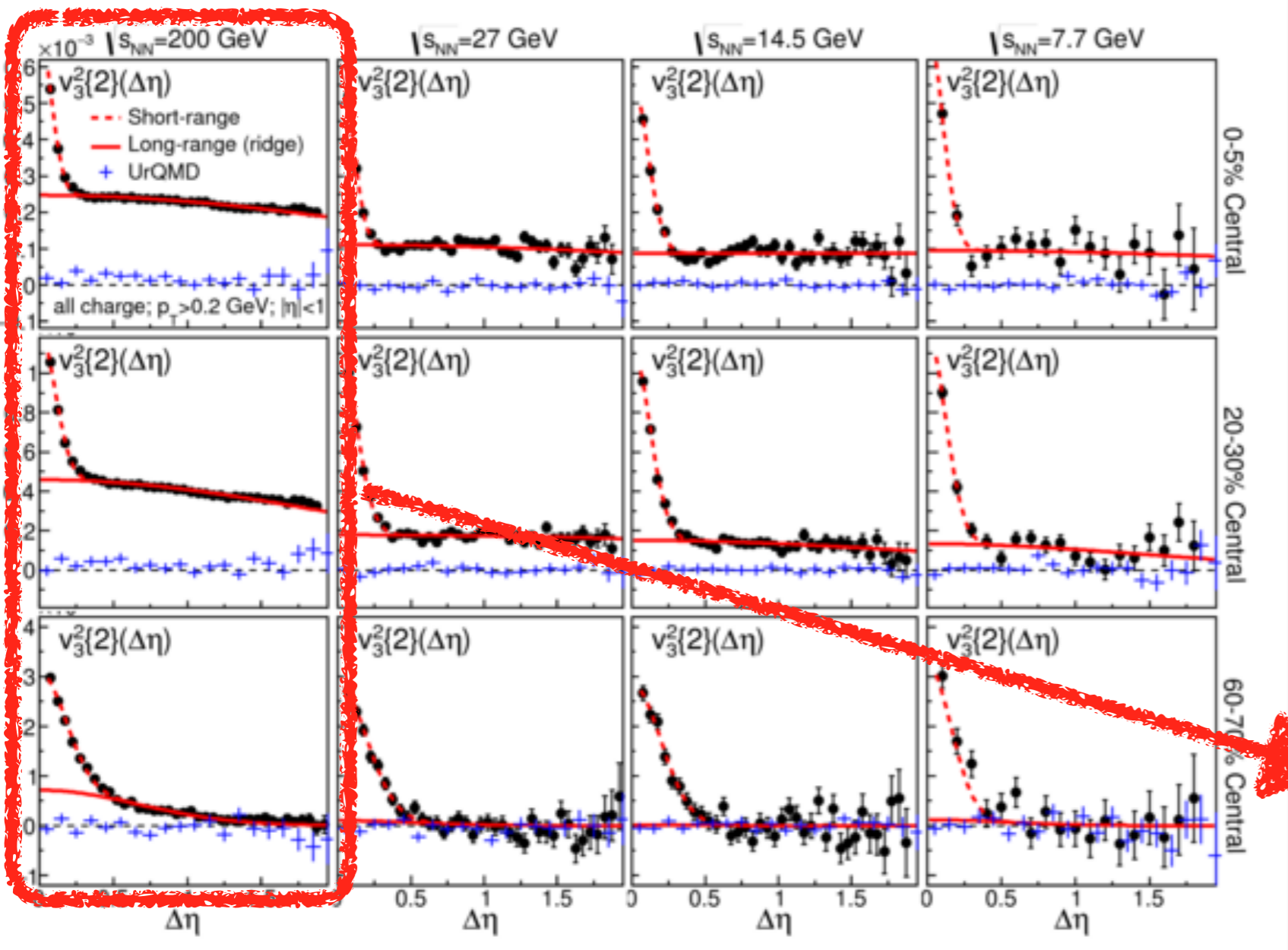
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# Triangular flow

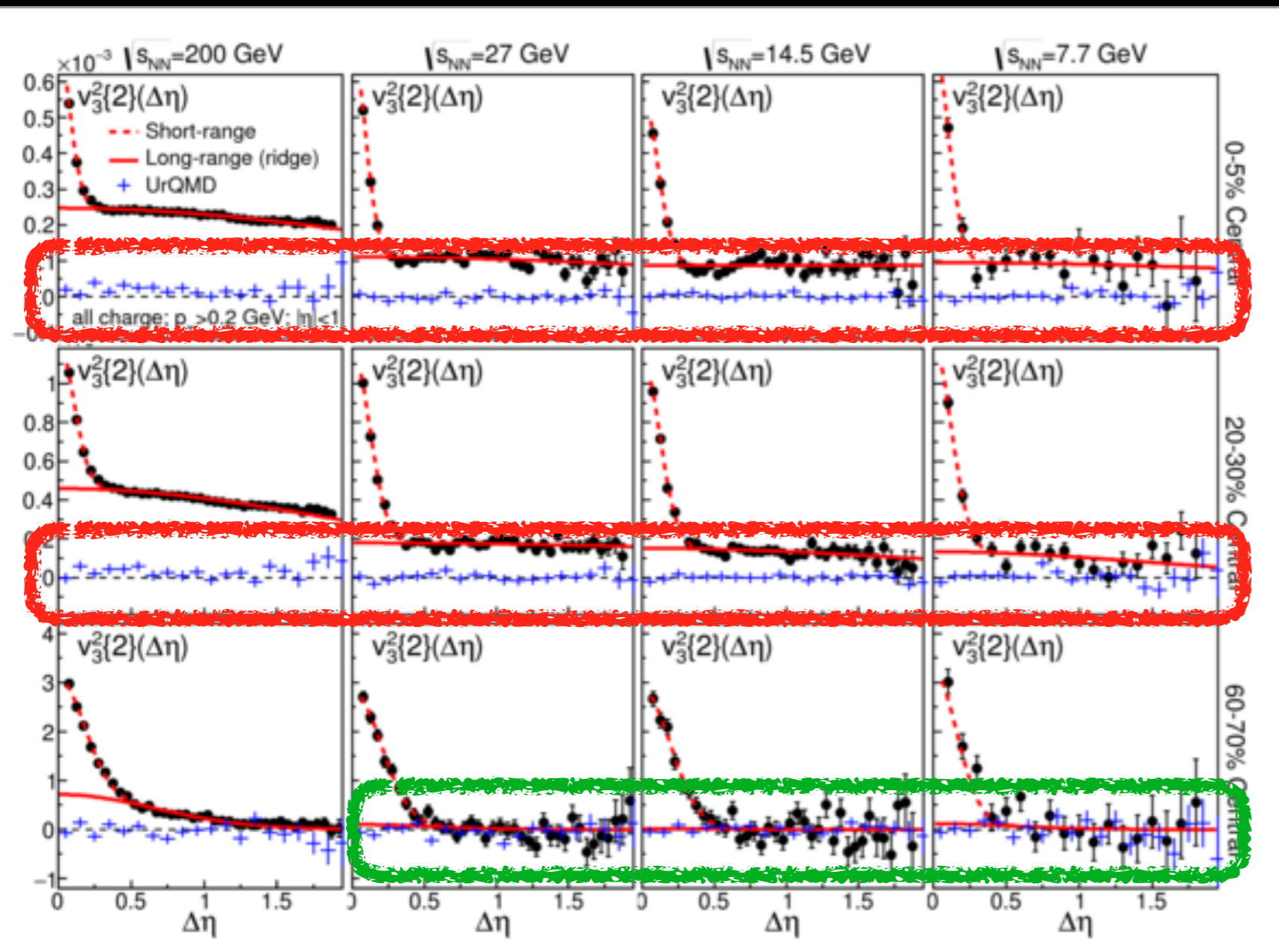
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- **Ridge** - non-zero values at larger  $\Delta \eta$  caused by long-range correlations
- **Narrow peak** - caused by short-range correlations.  
Can arise from several sources like:
  - fragmentation of hard & semi-hard jets
  - resonances
  - HBT
  - coulomb interference

# Triangular flow

arXiv:1601.01999v1 [nucl-ex] 8 Jan 2016



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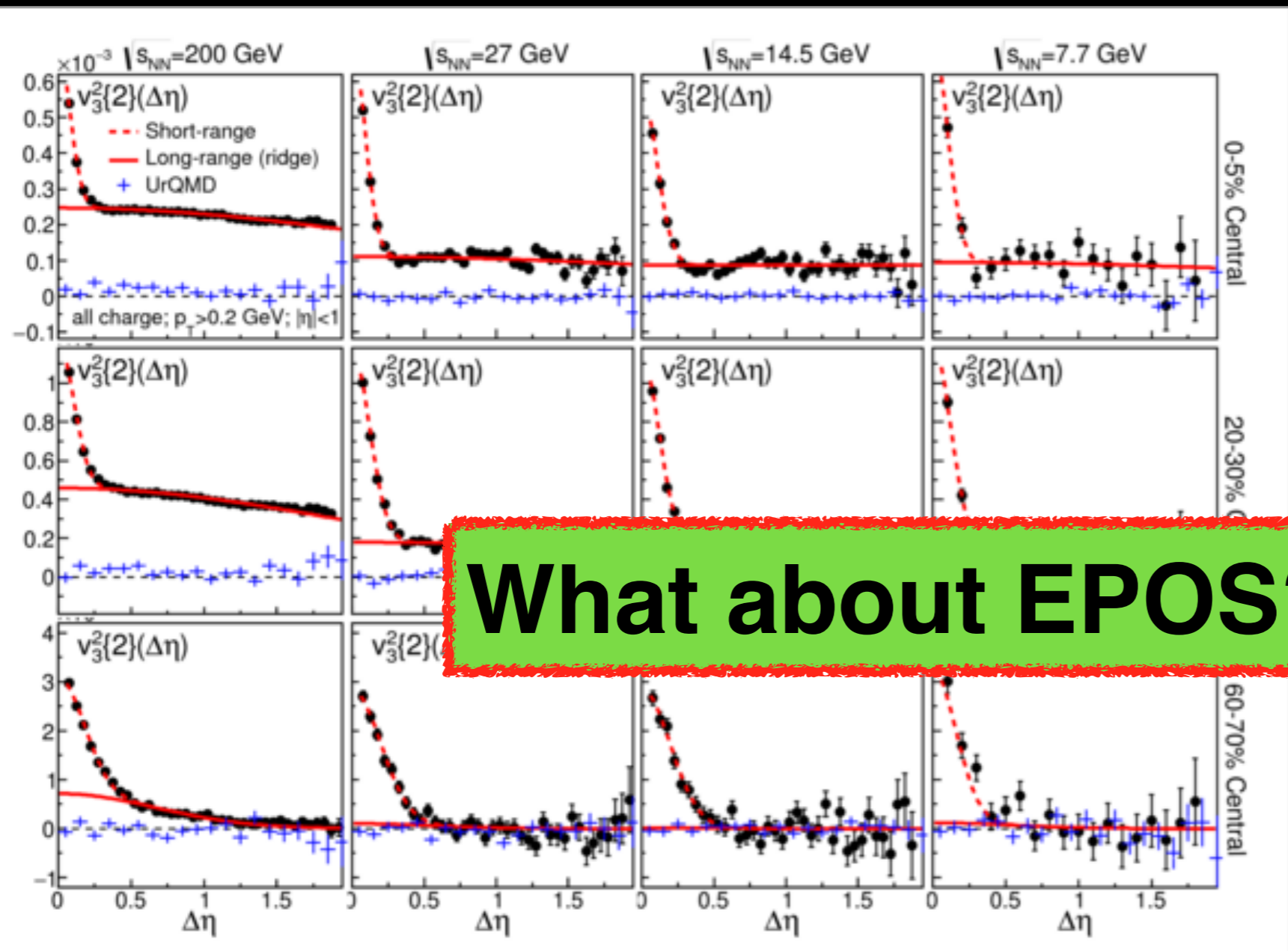
Can arise from several sources like:

- fragmentation of hard & semi-hard jets
- resonances
- HBT
- coulomb interference

- **UrQMD** - non-QGP model in agreement with more peripheral, lower  $\sqrt{s_{NN}}$ .

# Triangular flow

arXiv:1601.01999v1 [nucl-ex] 8 Jan 2016



**What about EPOS???**

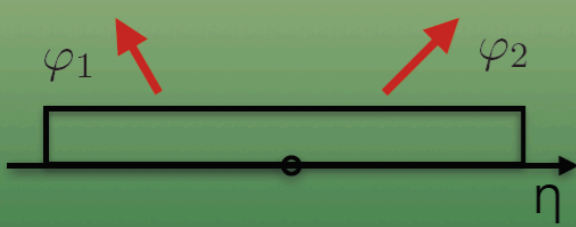
- **Ridge** - non-zero values at larger  $\Delta \eta$  caused by long-range correlations
- **Narrow peak** - caused by short-range correlations. Can arise from several sources
  - fragmentation of hard & semi-hard jets
  - resonances
  - HBT
  - coulomb interference
- **UrQMD** - non-QGP model in agreement with more peripheral, lower  $\sqrt{s_{NN}}$ .



# Triangular flow

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Methods to exclude non-flow contributions:



**cumulant**

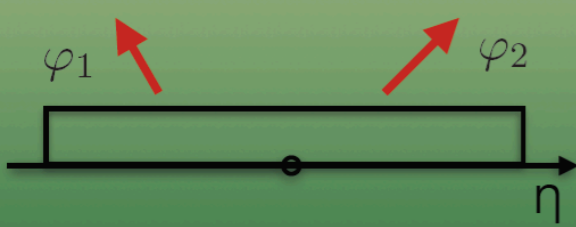
$$c_n\{2\} = \langle\langle 2 \rangle\rangle = \langle\langle \cos n(\varphi_1 - \varphi_2) \rangle\rangle$$

**flow coefficient**

$$v_n\{2\} = \sqrt{c_n\{2\}}$$

# Triangular flow

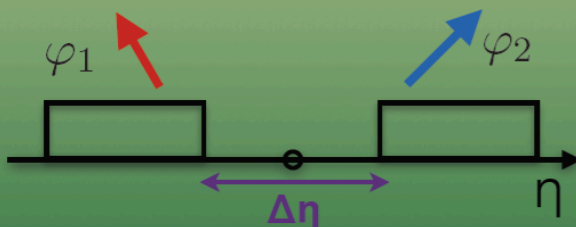
Methods to exclude non-flow contributions:



The diagram shows a horizontal axis labeled  $\eta$ . A single rectangular pulse is centered on the axis. Two red arrows originate from the top of the pulse: one pointing up and to the left, labeled  $\varphi_1$ , and another pointing up and to the right, labeled  $\varphi_2$ .

**cumulant**  
 $c_n\{2\} = \langle\langle 2 \rangle\rangle = \langle\langle \cos n(\varphi_1 - \varphi_2) \rangle\rangle$

**flow coefficient**  
 $v_n\{2\} = \sqrt{c_n\{2\}}$



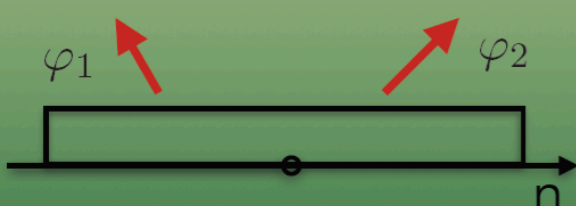
The diagram shows a horizontal axis labeled  $\eta$ . Two rectangular pulses are shown, one on the left and one on the right. A double-headed arrow between the centers of the two pulses is labeled  $\Delta\eta$ . A red arrow labeled  $\varphi_1$  points up and to the left from the top of the left pulse. A blue arrow labeled  $\varphi_2$  points up and to the right from the top of the right pulse.

**cumulant**  
 $c_n\{2, |\Delta\eta|\} = \langle\langle \cos n(\varphi_1 - \varphi_2) \rangle\rangle$

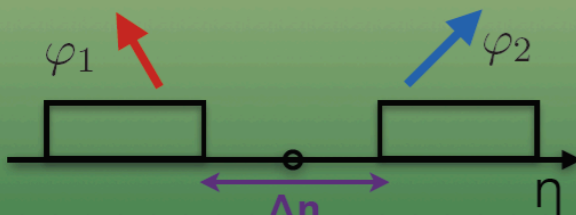
**flow coefficient**  
 $v_n\{2, |\Delta\eta|\} = \sqrt{c_n\{2, |\Delta\eta|\}}$

# Triangular flow

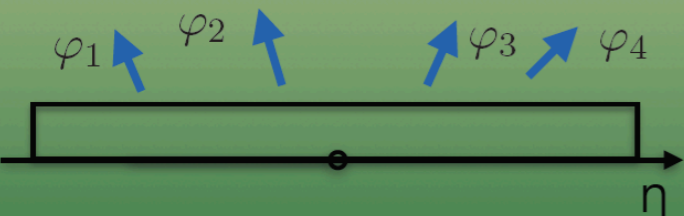
Methods to exclude non-flow contributions:



**cumulant**  $c_n\{2\} = \langle\langle 2 \rangle\rangle = \langle\langle \cos n(\varphi_1 - \varphi_2) \rangle\rangle$  **flow coefficient**  $v_n\{2\} = \sqrt{c_n\{2\}}$



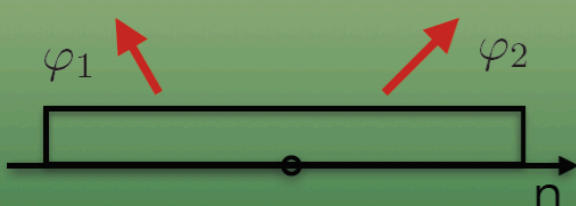
**cumulant**  $c_n\{2, |\Delta\eta|\} = \langle\langle \cos n(\varphi_1 - \varphi_2) \rangle\rangle$  **flow coefficient**  $v_n\{2, |\Delta\eta|\} = \sqrt{c_n\{2, |\Delta\eta|\}}$



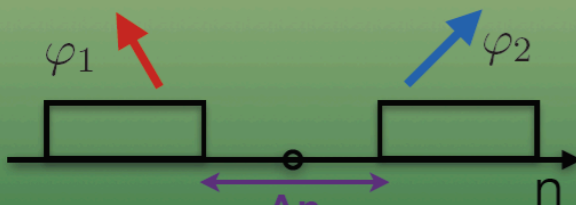
**cumulant**  $c_n\{4\} = \langle\langle 4 \rangle\rangle - 2 \cdot \langle\langle 2 \rangle\rangle^2$  **flow coefficient**  $v_n\{4\} = \sqrt[4]{-c_n\{4\}}$

# Triangular flow

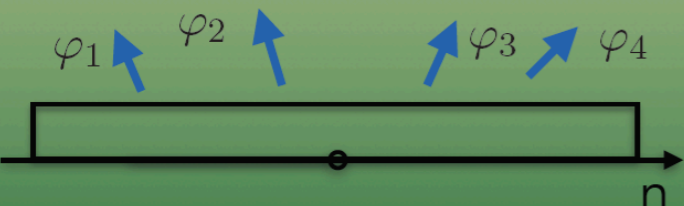
Methods to exclude non-flow contributions:



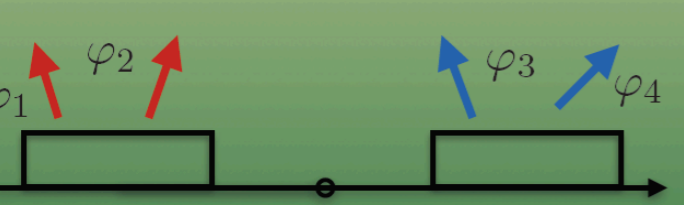
**cumulant**  $c_n\{2\} = \langle\langle 2 \rangle\rangle = \langle\langle \cos n(\varphi_1 - \varphi_2) \rangle\rangle$  **flow coefficient**  $v_n\{2\} = \sqrt{c_n\{2\}}$



**cumulant**  $c_n\{2, |\Delta\eta|\} = \langle\langle \cos n(\varphi_1 - \varphi_2) \rangle\rangle$  **flow coefficient**  $v_n\{2, |\Delta\eta|\} = \sqrt{c_n\{2, |\Delta\eta|\}}$



**cumulant**  $c_n\{4\} = \langle\langle 4 \rangle\rangle - 2 \cdot \langle\langle 2 \rangle\rangle^2$  **flow coefficient**  $v_n\{4\} = \sqrt[4]{-c_n\{4\}}$



**cumulants**  $c_n\{4, |\Delta\eta|\} = \langle\langle 4 \rangle\rangle_{|\Delta\eta|} - 2 \cdot \langle\langle 2 \rangle\rangle_{|\Delta\eta|}^2$  **flow coefficient**  $v_n\{4, |\Delta\eta|\} = \sqrt[4]{-c_n\{4, |\Delta\eta|\}}$

# Triangular flow

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**More detailed analysis**

**Identified Particles:  
proton, pion, kaon**

**Different types of calculation  
of triangular flow**

**EPOS analysis**



# EPOS

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**Baseline for BES II?**

Thank you for your attention!

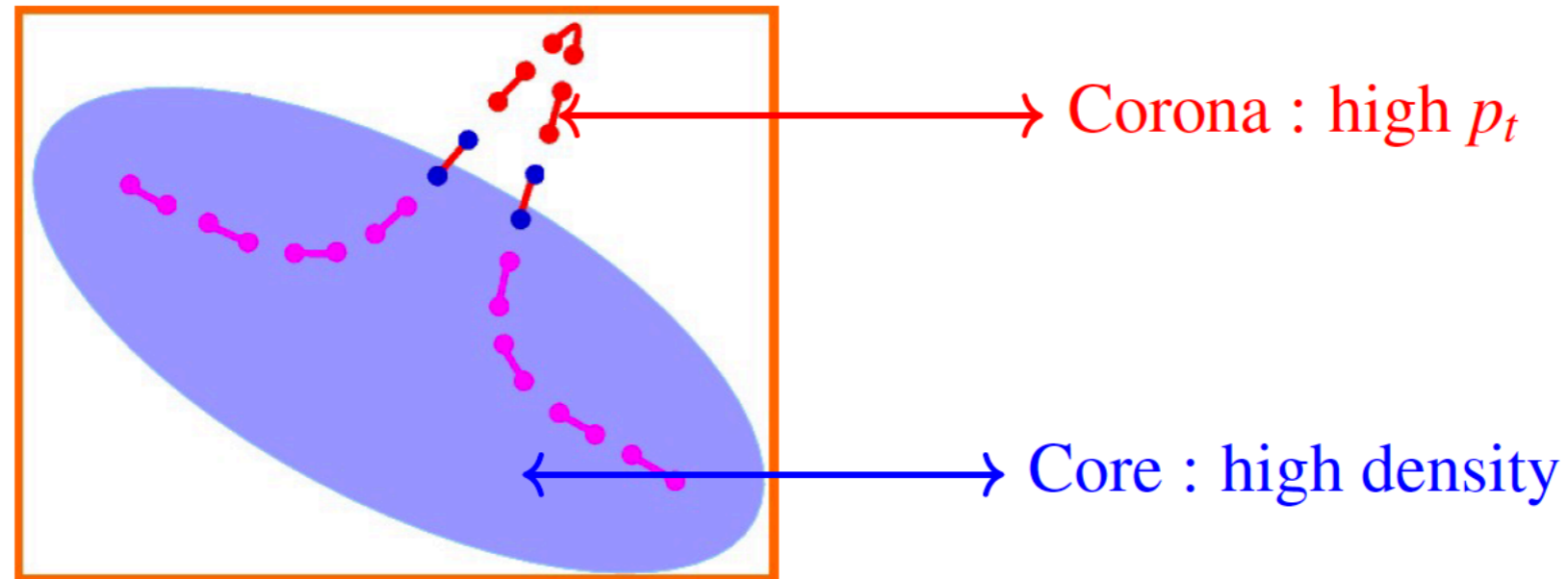
Backup



## Core-Corona Approach

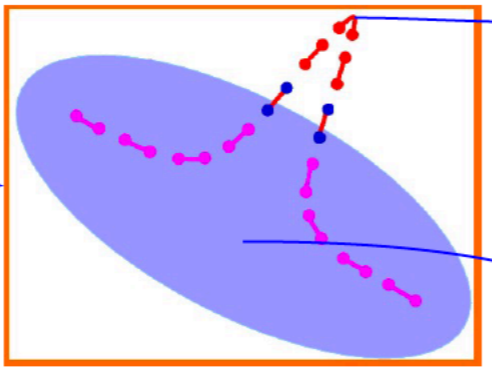
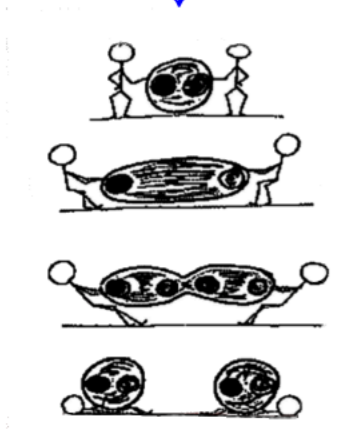
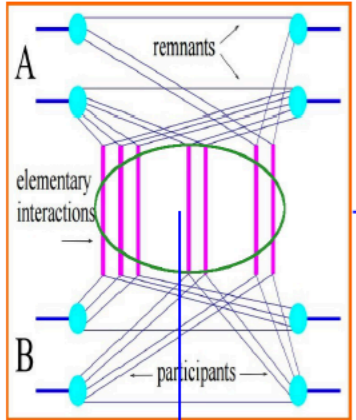
- Statistical hadron
- Final state hadro

Using hydrodynamic  $\rightarrow$  the Core is treated as a fluid  
Corona becomes Jet  $\Rightarrow$  Later Hadrons !



B. Guiot and K. Werner, J. Phys. Conf. Ser. **589** (2015) no.1

One Event



Jet  $\rightarrow$  UrQMD

Hydrodynamic Expansion

Hadronization  
& Rescattering  
 $\rightarrow$  UrQMD